

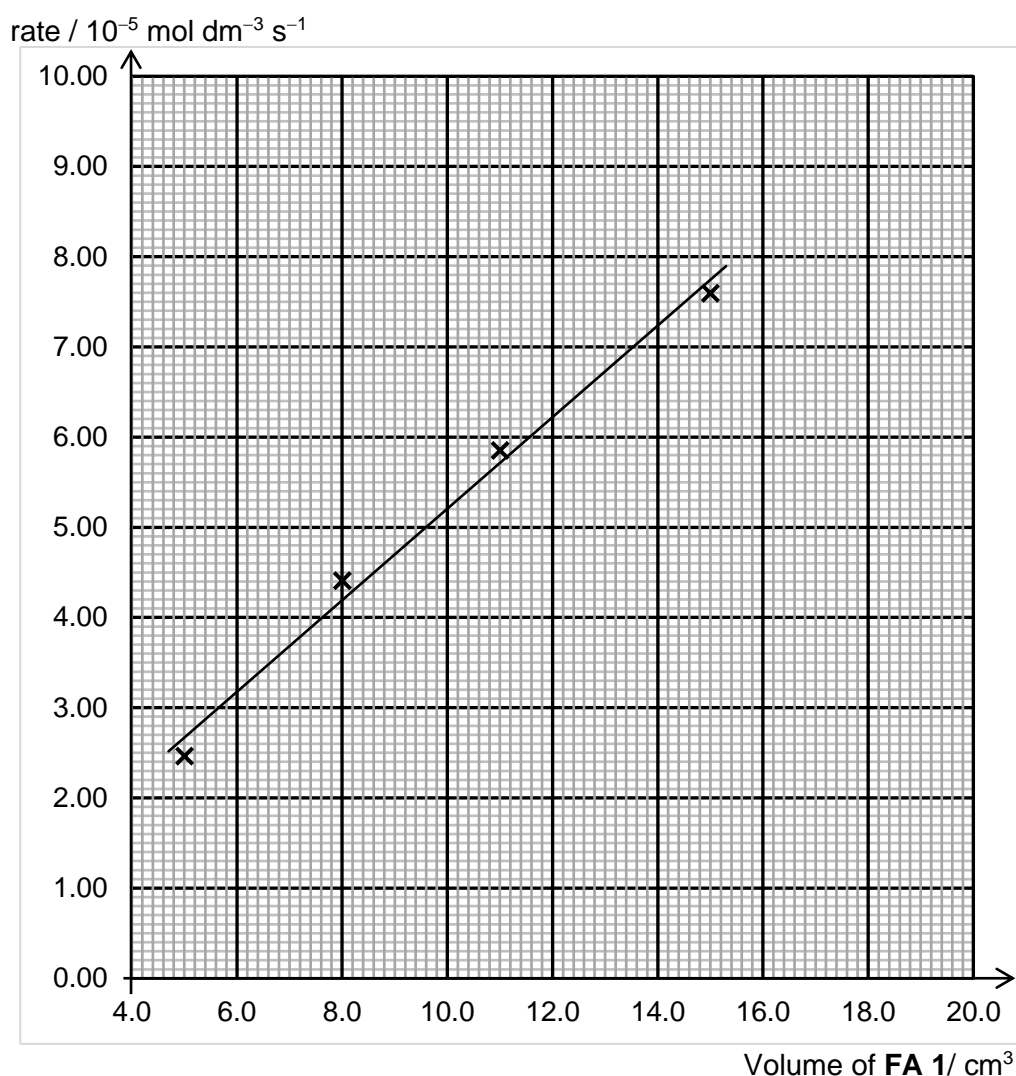
Qn 1**(a)**

Expt	Volume of FA 1 / cm ³	Volume of deionised water / cm ³	<i>t</i> / s	part (c) rate / mol dm ⁻³ s ⁻¹
1	5.0	25.0	29.0	2.46 x 10 ⁻⁵
2	8.0	22.0	16.2	4.41 x 10 ⁻⁵
3	11.0	19.0	12.2	5.85 x 10 ⁻⁵
4	15.0	15.0	9.4	7.60 x 10 ⁻⁵

- (b)** Amount of S₂O₃²⁻ added = $0.00500 \times \frac{20}{1000} = 1.000 \times 10^{-4}$ mol
Amount of I₂ reacted with S₂O₃²⁻ added = $\frac{1}{2} \times 1.000 \times 10^{-4}$
= 5.00 × 10⁻⁵ mol
= Amount of I₂ produced just before the first appearance of blue-black colour
Concentration of I₂ in reaction mixture = $5.00 \times 10^{-5} \div \frac{70}{1000}$
= 7.14 × 10⁻⁴ mol dm⁻³

- (c)** See table in part **(a)**.

(d)(i)



(d)(ii) Since total volume of reaction mixture is kept constant, volume of **FA 1** is directly proportional to $[\text{Fe}^{3+}]$ in the mixture. Since the graph is a straight line with a positive gradient, rate is directly proportional to $[\text{Fe}^{3+}]$, the reaction is first order with respect to Fe^{3+} .

(e) Agree with student. The reaction time would be longer since more time is required to produce more iodine to react with the larger amount of thiosulfate ions present, and so the percentage error is reduced.

(f)(i) $\text{rate} = k[\text{Fe}^{3+}][\text{I}^-]^2$

(f)(ii) From the slow step, the rate equation is: $\text{rate} = k'[[\text{FeI}^{2+}][\text{I}^-] = k[\text{Fe}^{3+}][\text{I}^-]^2$. This matches the rate equation for the reaction. Hence the proposed mechanism is consistent with the observed kinetics data.

Qn 2**(a)(i)****Table 2.1**

test		observations
1	Test solution FA 4 with Universal Indicator paper.	UI paper turned orange, pH is 3
2	To 1 cm depth of FA 4 in a clean test-tube, add 1 cm depth of aqueous sodium carbonate.	White ppt formed. Effervescence observed. CO ₂ gas evolved gave a white ppt in limewater.
3	Add 1 cm depth of FA 4 into a clean test-tube. Add aqueous sodium hydroxide, slowly with shaking, until no further change is seen.	White ppt. formed, soluble in excess NaOH(aq) to give a colourless solution.

(a)(ii) Cation: Al³⁺**Evidence:**

In test 2, **FA 4** reacted with Na₂CO₃ to form a white ppt of Al(OH)₃ together with the effervescence of CO₂ gas.

OR

From test 1 / test 2, **FA 4** contained an acidic ion. Additionally, in test 3, **FA 4** reacted with NaOH to form a white ppt of Al(OH)₃ which was soluble in excess NaOH to form the colourless complex ion, [Al(OH)₄]⁻.

(a)(iii)

test		observations
To 1 cm depth of FA 4 , add a few drops of AgNO ₃ .		No ppt / No observable change
To 1 cm depth of FA 4 in a boiling tube, add 1 cm depth of aqueous NaOH and a piece of Al foil. Heat cautiously.		White ppt formed, soluble in excess NaOH to form a colourless solution. Effervescence of H ₂ was observed. Upon heating, pungent NH ₃ evolved turned damp red litmus paper blue.

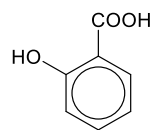
(a)(iv) Anion: NO₃⁻**(b)(i)****Table 2.2**

test		observations
1	To 1 cm depth of neutral iron(III) chloride, add 10 drops of FA 5 and shake the test-tube. This solution is FA 6 . Proceed to test 2 using this solution.	Solution turned violet.

2	To the solution of FA 6 , add aqueous sodium hydroxide dropwise, with shaking, until no further change is seen.	Violet solution decolourised. Red-brown ppt formed, insoluble in excess NaOH(aq).
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(b)(ii) Phenol

(b)(iii)



(b)(iv) $[\text{Fe}(\text{H}_2\text{O})_6]^{3+} + \text{L}^{2-} \rightleftharpoons [\text{Fe}(\text{H}_2\text{O})_4\text{L}]^+ + 2\text{H}_2\text{O}$

(b)(v) When NaOH was added, the red-brown ppt of $\text{Fe}(\text{OH})_3$ was formed. Thus, the concentration of $[\text{Fe}(\text{H}_2\text{O})_6]^{3+}$ decreases and the position of equilibrium of the equation in (iv) shifted to the left, decreasing the concentration of $[\text{Fe}(\text{H}_2\text{O})_4\text{L}]^+$ and causing the violet solution to decolourise.

Qn 3

(a)(i)

Dilution of FA 7

Final burette reading / cm^3	30.50
Initial burette reading / cm^3	0.00
Volume of FA 7 used / cm^3	30.50

Titration results

Titration number	1	2
Final burette reading / cm^3	24.20	24.20
Initial burette reading / cm^3	0.00	0.00
Volume of FA 8 used / cm^3	24.20	24.20
Values used (✓)	✓	✓

(a)(ii) Average volume of **FA 8** used = $\frac{24.20 + 24.20}{2} = \underline{24.20 \text{ cm}^3}$ (2 d.p.)

(b)(i) Amount of MnO_4^- ions = $\frac{24.20}{1000} \times 0.00500 = \underline{1.21 \times 10^{-4} \text{ mol}}$ (3 s.f.)

(b)(ii) Amount of Fe^{2+} ions in 250 cm^3 of **FA 10**
 $= 1.21 \times 10^{-4} \times 5 \times \frac{250}{25.0}$
 $= \underline{6.05 \times 10^{-3} \text{ mol}}$ (3 s.f.)

(b)(iii) Amount of Fe^{2+} ions in 250 cm^3 of **FA 7** = $6.05 \times 10^{-3} \times \frac{250}{30.50}$
 $= 0.04959 \text{ mol}$
 $= \underline{0.0496 \text{ mol}}$ (3 s.f.)

(b)(iv)

<u>Either</u> Amount of FeO in magnetite $= 0.04959 \text{ mol}$ Mass of FeO $= 0.04959 \times (55.8 + 16.0) = 3.5606 \text{ g}$ Amount of Fe_2O_3 in magnetite $= 0.04959 \text{ mol}$	<u>Or</u> Amount of magnetite, Fe_3O_4 $= 0.04959 \text{ mol}$ Mass of magnetite in sample A $= 0.04959 \times (3(55.8) + 4(16.0))$ $= 11.4752 \text{ g}$
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Mass of Fe_2O_3 $= 0.04959 \times (2(55.8) + 3(16.0))$ $= 7.9146 \text{ g}$ Mass of magnetite in sample A $= 3.5606 + 7.9146 = 11.4752 \text{ g}$	
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Percentage by mass of magnetite in sample **A**

$$= \frac{11.4752}{15.0} \times 100$$

$$= \underline{76.5\%} \text{ (3 s.f.)}$$

(c)(i) $E^\ominus_{\text{cell}} = +1.33 - (0.77) = +0.56 \text{ V}$
Since E^\ominus_{cell} is > 0 , reaction is feasible.

(c)(ii) The titration result may be inaccurately determined as the end-point colour change is not distinct. It is difficult to detect one drop of excess orange $\text{K}_2\text{Cr}_2\text{O}_7$ solution in a yellow-green solution (containing Fe^{3+} & Cr^{3+}).

(d)(i) Percentage error $= \frac{6.03-5.95}{6.03} \times 100 = 1.33\%$

(d)(ii) The student performed the experiment well as the calculated percentage error is less than the maximum percentage error of the whole experimental procedure.

Qn 4

(a) Let $V \text{ cm}^3$ be the volume of solution **B** (containing Al^{3+}) and $(60.0 - V) \text{ cm}^3$ be the volume of solution **Z** (containing Na^+) used at which stoichiometric amount of Al^{3+} and Na^+ react.

Amount of Al^{3+} in $V \text{ cm}^3$ of solution **B**
 $=$ Amount of Na^+ in $(60.0 - V) \text{ cm}^3$ of solution **Z**

$$\frac{V}{1000} \times 0.120 = \frac{60 - V}{1000} \times 0.075$$

$$0.120V = 4.5 - 0.075V$$

$$V = 23.1 \text{ cm}^3$$

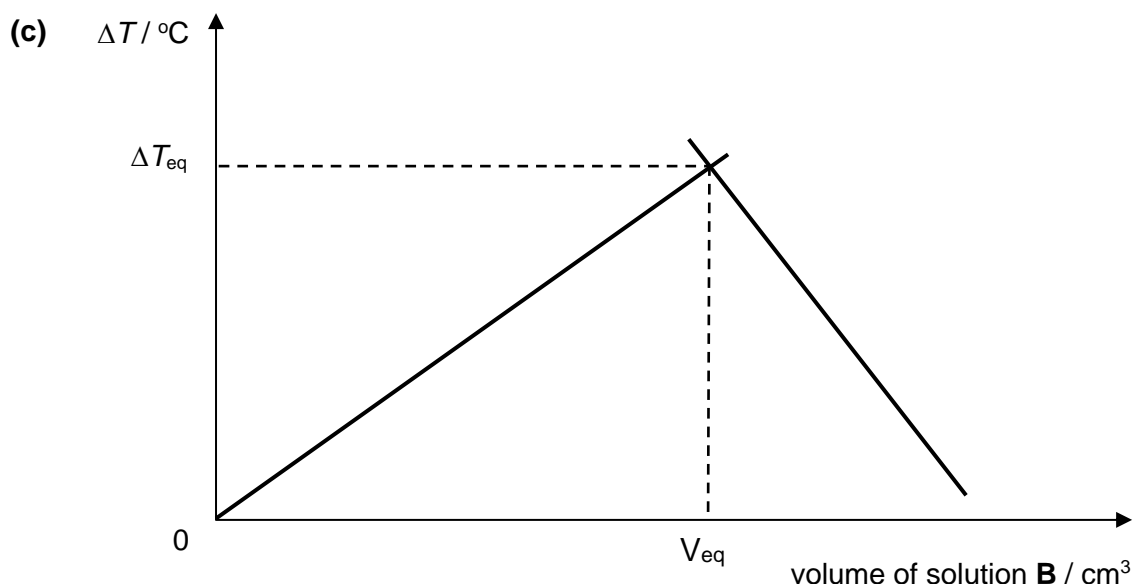
Approximate equivalence volume of solution **B** $= 23.1 \text{ cm}^3$

(b)

Experiment	volume of solutions added / cm^3		initial temperature of solution Z / $^\circ\text{C}$	highest temperature of resultant solution / $^\circ\text{C}$	$\Delta T / ^\circ\text{C}$
	Z	B			
1	50.0	10.0			
2	45.0	15.0			
3	42.0	18.0			
4	40.0	20.0			
5	38.0	22.0			
6	36.0	24.0			
7	34.0	26.0			
8	30.0	30.0			
9	25.0	35.0			
10	20.0	40.0			

Procedure

1. Using a 50 cm³ measuring cylinder, measure 50.0 cm³ of solution **Z** into a clean and dry Styrofoam cup supported in a 250 cm³ beaker.
2. Use a thermometer to measure and record the steady initial temperature of solution **Z**.
3. Using another 50 cm³ measuring cylinder, measure 10.0 cm³ of solution **B**.
4. Add solution **B** from the measuring cylinder to solution **Z** in the cup, use the thermometer to stir the mixture gently. Measure and record the highest temperature of the resultant solution.
5. Empty, wash and carefully dry the cup.
6. Repeat steps 1 to 5 using volumes of solution **Z** and solution **B** in the table above so that the total volume of the mixture is 60.0 cm³.
7. Record the temperature increase, ΔT , for each experiment by taking highest temperature – initial temperature.



(d) Stoichiometric amount of Al^{3+} to react with Na^+

$$= \frac{V_{\text{eq}}}{1000} \times 0.120 \text{ mol}$$

$$= \text{Amount of } \text{Na}^+$$

$$[\text{Na}^+] = \frac{\frac{V_{\text{eq}}}{1000} \times 0.120}{\frac{60.0 - V_{\text{eq}}}{1000}}$$

$$= \frac{0.120 V_{\text{eq}}}{(60.0 - V_{\text{eq}})} \text{ mol dm}^{-3}$$

$$q = \frac{60.0 \times 4.18 \times \Delta T_{\text{eq}}}{1000} \text{ kJ}$$

$$\Delta H_{\text{reaction}} = - \frac{\frac{60.0 \times 4.18 \times \Delta T_{\text{eq}}}{1000}}{\frac{V_{\text{eq}}}{1000} \times 0.120}$$

$$= - \frac{2090 \Delta T_{\text{eq}}}{V_{\text{eq}}} \text{ kJ mol}^{-1}$$