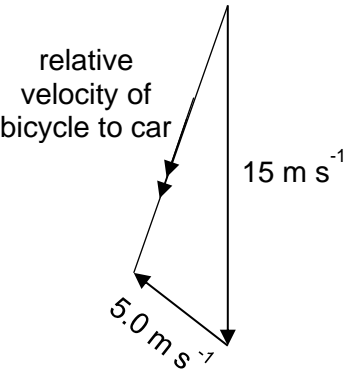


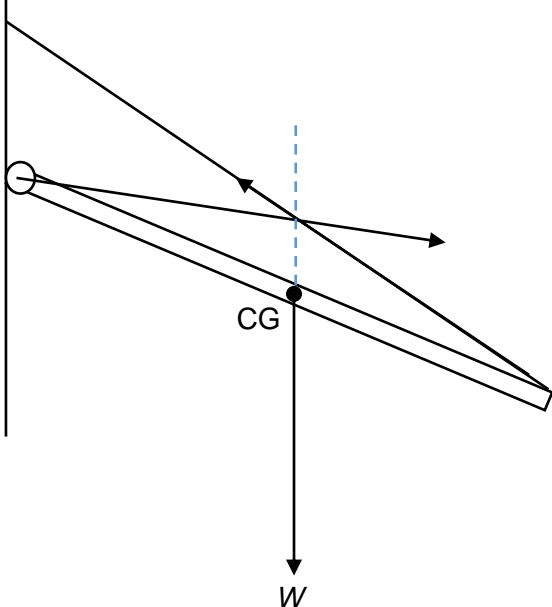


Paper 1 – Multiple Choice Questions

1	Answer: A
	<div><div><p>relative velocity of bicycle to car</p></div><div><p>relative velocity of bicycle to car = velocity of bicycle – velocity of car = velocity of bicycle + (– velocity of car)</p></div></div>
2	Answer: A
	<p>Horizontally,</p> $u \cos 30^\circ t = 3.0 \Rightarrow t = \frac{3.0}{u \cos 30^\circ}$ <p>Vertically, taking upwards as positive,</p> $u \sin 30^\circ t - \frac{1}{2} g t^2 = -0.25$ <p>Sub-in the expression for t above,</p> $3.0 \frac{\sin 30^\circ}{\cos 30^\circ} - \frac{1}{2} g \left(\frac{3.0}{u \cos 30^\circ} \right)^2 = -0.25$ <p>Solving, $u^2 = 29.7$, $u = 5.4 \text{ m s}^{-1}$</p> <p>Option C: forgot to take square root Option B: took vertical displacement to be 0.25 m Option D: took vertical displacement to be 0.25 m and forgot to take square root</p>

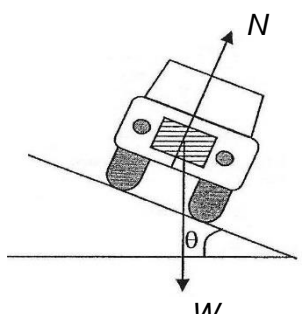
3	Answer: B
	<p><u>From FBD of block A:</u> $F_{\text{net}} = ma$ $12 + 2.0 \times 9.81 \times \sin 35^\circ - T = 2.0a$ $23.25 - T = 2.0a \quad \text{---} \rightarrow \text{Eqn(1)}$</p> <p><u>From FBD of block B:</u> $F_{\text{net}} = ma$ $T - 20 - 5.0 \times 9.81 \times \sin 20^\circ - 20 = 5.0a$ $T - 36.78 = 5.0a \quad \text{---} \rightarrow \text{Eqn(2)}$</p> <p>From Eqn(1), $58.125 - 2.5T = 5.0a \rightarrow \text{Eqn(3)}$</p> <p>(3) – (2): $94.905 - 3.5T = 0$ $T = 27 \text{ N}$</p>

4	Answer: B
	<p>Horizontally, $50v_1 \cos 60^\circ - 50v_2 \cos 60^\circ = 0$ $v_1 = v_2$</p> <p>Vertically, $50v_1 \sin 60^\circ + 50v_2 \sin 60^\circ - 100(8) = 0$ $50v \sin 60^\circ + 50v \sin 60^\circ - 100(8) = 0$ $v = 9.2 \text{ m s}^{-1}$</p>

5	Answer: A
	 <p>When 3 nonparallel forces act on a object in equilibrium, they must intersect at a point.</p>

6	Answer: B
	<p>Let d be the initial height from ground, h be the height at t. For E_P-s graph, $E_P = mgh$ $= mg(d-s) \Rightarrow$ Sketch $y = b - cx$ (where b, c are constants)</p> <p>For E_P-t graph, $E_P = mgd - mgs$ $= mgd - mg(ut + \frac{1}{2}gt^2)$ $= mgd - \frac{1}{2}mg^2t^2 \Rightarrow$ Sketch $y = p - qx^2$ (where p, q are constants)</p>

7	Answer: C
	$F = ma$ $F_{\text{driving}} - k(20)^2 = 1000(0.50)$ $F_{\text{driving}} = 500 + 400k$ $P = F_{\text{driving}} v$ $40 \times 10^3 = (500 + 400k)(20)$ $k = 3.75$ $P_{\text{new}} = F_{\text{driving}} v$ $P_{\text{new}} = F_{\text{friction}} v$ $P_{\text{new}} = kv^3 = (3.75)(25)^3 = 59 \text{ kW}$

8	Answer: C
	<p>Horizontal component of Normal contact force provides centripetal force</p> $F_{\text{net}} = ma_c$ $N \sin \theta = \frac{mv^2}{r} \dots (1)$ <p>For vertical equilibrium: $N \cos \theta = mg \dots (2)$</p> <div style="display: flex; align-items: center;"> <div style="margin-right: 20px;"> $\frac{(1)}{(2)} :$ $\tan \theta = \frac{v^2}{rg}$ $v = \sqrt{50 \times 9.81 \times \tan 25^\circ}$ $= 15.1 \text{ m s}^{-1}$ </div>  </div>

9	Answer: D
	<p>Gain in GPE = Loss in KE</p> $mgr(1 + \cos \theta) = \frac{1}{2} m(v_i^2 - v_f^2)$ $gr(1 + \cos \theta) = \frac{1}{2} (v_i^2 - v_f^2)$ $(9.81)(7.7)(1 + \cos 30^\circ) = \frac{1}{2} (25^2 - v_f^2)$ $V_f = 18.5 \text{ m s}^{-1}$ <p>Assume rod in tension</p> $mg + F = \frac{mv^2}{r}$ $(3.5)(9.81) + F = \frac{(3.5)(18.5)^2}{7.7}$ $F = 121 \text{ N} \quad (\text{tension})$

10	Answer: B
	$pV = nRT$ $z = nR(273.15) \quad \text{--- (1)}$ $x = nRT_3 \quad \text{--- (2)}$ $\frac{(1)}{(2)} : \frac{z}{x} = \frac{273.15}{T_3}$ $T_3 = 273.15 \frac{x}{z}$

11	Answer: C
	$p_x V_x = n_x RT$ $p_y V_y = n_y RT$ $pV = nRT$ <p>assuming no gas particles escaped out of the flasks, $n = n_x + n_y$</p> <p>Therefore, $pV = (n_x + n_y)RT$ $= p_x V_x + p_y V_y$</p>

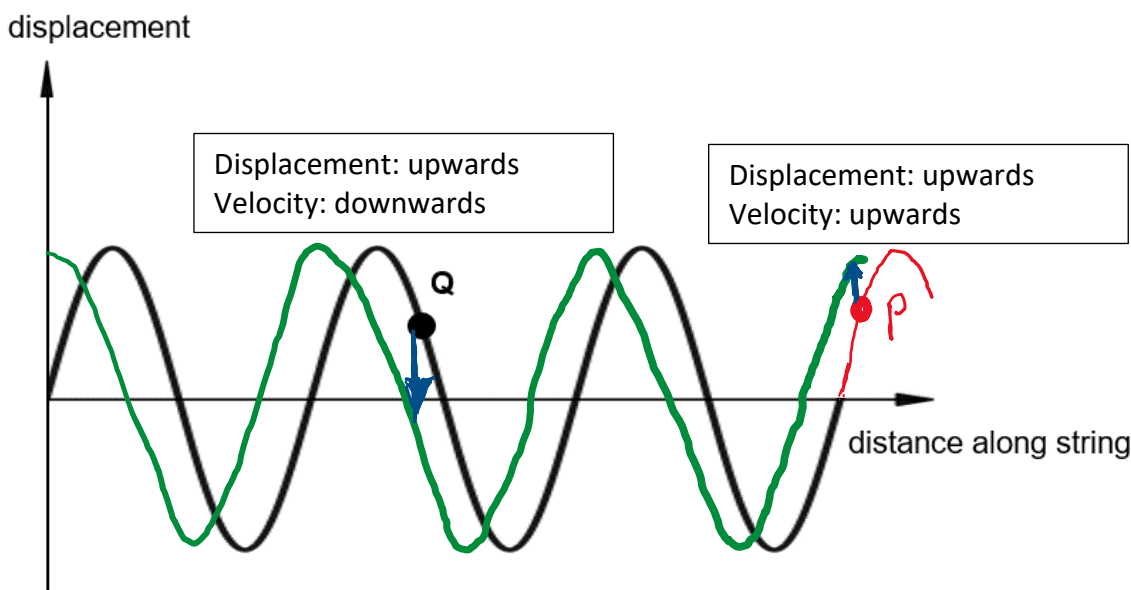
12	Answer: D
	$p = \frac{1}{3} \frac{Nm}{V} \langle c^2 \rangle$ $(1.00 \times 10^5) = \frac{1}{3} (1.60) \langle c^2 \rangle$ $c_{\text{rms}} = 433 \text{ ms}^{-1}$

13	Answer: A
	$P_{\text{supplied}} = \frac{m}{t} l_f + h_{\text{rate of heat loss}}$ $P = \frac{m}{t} l_f + h_{\text{rate of heat loss}}$ $650 = \frac{(3.0)}{2.0 \times 60} l_f + h_{\text{rate of heat loss}}$ $1200 = \frac{(3.0)}{1.0 \times 60} l_f + h_{\text{rate of heat loss}}$ $1200 - 650 = \left[\frac{(3.0)}{1.0 \times 60} - \frac{(3.0)}{2.0 \times 60} \right] l_f$ $l_f = 22 \text{ kJ kg}^{-1}$

14	Answer: D
	<p>ΔU is zero as there is no change in temperature.</p> <p>W is zero as the volume of the refrigerator is assumed to be constant.</p> <p>Since, $Q = \Delta U - W$, Q is also zero.</p>

15	Answer: B
	<p>At $t = 0$ s, the projection is at maximum amplitude. Hence displacement-time graph is cosine.</p> <p>Differentiating will give velocity-time and acceleration-time.</p>

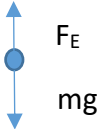
16	Answer: C
	<p>The pulse undergoes 180° phase change upon hitting the fixed point O, options reduce to either C or D.</p> <p>However, the smaller amplitude portion will travel first before the larger amplitude portion as it is the portion that encounters fixed point O first.</p> <p>Thus, answer is C.</p>

17	Answer: A
	 <p>displacement</p> <p>Displacement: upwards Velocity: downwards</p> <p>Q</p> <p>Displacement: upwards Velocity: upwards</p> <p>P</p> <p>distance along string</p>

18	Answer: A
	<p>The wavelength being 5.0 m, the path difference ($147.5 - 135 = 12.5$ m) corresponds to 2.5 wavelengths. Hence, the two waves meet in anti-phase.</p> <p>Intensity = $k(\text{amplitude})^2$, k is a constant</p> $\frac{I}{4I} = \frac{k * A_1^2}{k * A_2^2} \Rightarrow \frac{A_1}{A_2} = \frac{1}{2}, \text{ or } A_2 = 2A_1$ <p>When meet in anti-phase, the two vectors are in opposite direction. The resultant vector is the difference between them:</p> $A_{\text{tot}} = A_2 - A_1 = 2A_1 - A_1 = A_1$ <p>Hence, the resulting intensity is</p> $I_{\text{resultant}} = kA_{\text{tot}}^2 = kA_1^2 = I$

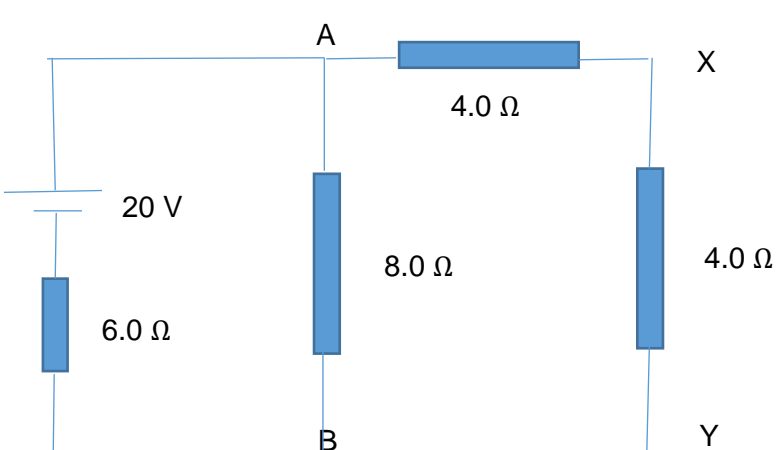
19	Answer: B
	$\sin \theta = \frac{\lambda}{2b} = \frac{1}{2} \sin \theta \approx \frac{1}{2} \theta \quad \text{if angles are small}$ <p>b is doubled, double of the wave energy is allowed to pass through the slit. Since double of the energy is now spread over half the area, the maximum intensity is increased to 4 times.</p>

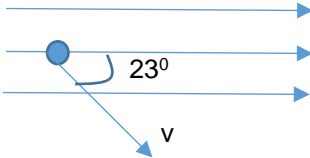
20	Answer: D
	$x = \frac{\lambda D}{a}$ $y = \frac{(600 \times 10^{-9})(1.00)}{a}$ $y = \frac{(400 \times 10^{-9})D}{a}$ <p>$D = 1.50 \text{ m}$</p>

21	Answer: A
	 <p>At equilibrium, $mg = F_E = qV/d$</p> <p>When V increases to $2V$, Resultant force, $ma = q(2V)/d - mg$ $= 2mg - mg$ $= mg$</p> <p>Therefore, $a = g$</p>

22	Answer: A
	$I = nAvq$ I, n and q are constant. Therefore, $A \propto 1/v$ But A is linearly related to x , Hence $v = k/(x + \text{constant})$

23	Answer: A
	Current in circuit, $I = P_{\text{supply}}/V_{\text{supply}} = 2400/240 = 10 \text{ A}$ $P_{\text{kettle}} = P_{\text{supply}} - P_{\text{loss}} = 2400 - (10^2)(0.5+0.5)$ $\quad\quad\quad = 2300 \text{ W}$ Potential difference across kettle $= 240 - (10)(0.5+0.5)$ $\quad\quad\quad = 230 \text{ V}$

24	Answer: B
	 <p>Effective resistance between X and Y = 4.0Ω Effective resistance between A and B = $\frac{1}{2} (8.0) = 4.0 \Omega$ By potential divider rule, potential difference between A and B = $20 \times 4.0 / (6.0 + 4.0)$ $\quad\quad\quad = 8.0 \text{ V}$ Therefore potential difference between X and Y = $\frac{1}{2} (8.0) = 4.0 \text{ V}$</p>

25	Answer: A
	<p>Conventional current direction due to electron going downwards at P</p>  <p>From Fleming's Left Hand Rule, electromagnetic force, F on electron is into the plane</p> <p>B field (0.084 T)</p> <p>F will always be perpendicular to the component of velocity normal to the B field. Hence electron will move in circular motion. At the same time, the component of velocity parallel to the B field remains constant. Hence, the electron will move in a helix.</p> <p>$F = Bqv \sin \theta$</p> $v = \frac{7.3 \times 10^{-16}}{(0.084)(1.6 \times 10^{-19}) \sin 23^\circ}$ $= 1.4 \times 10^5 \text{ ms}^{-1}.$
26	Answer: C
	<p>Magnetic flux, $\phi = BA$ (where A is the area exposed to perpendicular B-field) At 4s, Q and R are entirely within the field while coil P has length of 4.0 m within. $\phi_P = 8B$; $\phi_Q = 6B$; $\phi_R = 12B$ (largest)</p> <p>Magnetic flux linkage, $\Phi = N\phi$ $\Phi_P = 8B$; $\Phi_Q = 18B$ (largest); $\Phi_R = 12B$</p> <p>At 4s, coils Q and R would be experiencing maximum flux linkage. Hence no change in flux linkage \Rightarrow no induced e.m.f. and no induced current. Only coil P has changing flux linkage, induced e.m.f. and current.</p>
27	Answer: A
	<p>The brightness depends on the power delivered to the bulb. The peak power is $p = \frac{V^2}{R}$, which does not depend on the frequency f of the alternating voltage.</p>

28	Answer: B
	<p>Based on the uncertainty principle $\Delta x \Delta p \geq h$,</p> $\Delta p = m \Delta v = 9.11 \times 10^{-31} (0.38 \times 3.0 \times 10^8) = 1 \times 10^{-22} \text{ kg m s}^{-1}$ $\text{Min } \Delta x = 6.63 \times 10^{-34} / 10^{-22} = 6 \times 10^{-12} \text{ m}$
29	Answer: D
	<p>Activity $A = A_0 \exp(-\lambda t)$, where A_0 is the activity at $t = 0$. The decay constant is given by</p> $\lambda = \frac{\ln 2}{t_{1/2}}$ <p>A larger half-life yields a smaller λ. Hence, $\lambda_C > \lambda_N$.</p> <p>Taking natural log, $\ln A = -\lambda t + \ln A_0$. The graph of $\ln A$ vs t <u>for each nuclide</u> is a straight line with negative gradient $(-\lambda)$.</p> <p>Initially, because of its short half-life, the activity of nuclide C dominates. So the initial part of the graph should be very close to that due to nuclide C alone, with gradient $-\lambda_C$.</p> <p>Later, nuclide C have mostly decayed, so nuclide N starts to dominate. The later part of the graph should be close to that due to nuclide N alone, with gradient $-\lambda_N$.</p> <p>Remembering that $\lambda_C > \lambda_N$, the graph should have less negative gradient (a gentler downward slope) in the later part than in the earlier part.</p>
30	Answer: B
	<p>The fact that most of the alpha particles pass straight through suggested that the atom is made up of mostly empty space with mass concentrated in the nucleus.</p> <p>The fact that a small proportion of alpha particles are deflected through large angles suggest that the nucleus is positively charged.</p>