## Anderson Serangoon Junior College 2024 JC2 H2 Physics Preliminary Examination Mark Scheme

## Paper 1 (30 marks)

1	D
	intensity $I = \frac{E}{At}$ units of $I = \frac{kg \ ms^{-2} \ m}{m^2 \ s}$ $= kg \ s^{-3}$
2	Α
	Z = X + (-Y) as shown by the vector triangle below. -Y $Z = X + (-Y)$
	This is equivalent to option A.
3	С
	Constant speed up to $t_1$ means <i>s</i> increases at a constant rate, hence a straight line with positive gradient. As speed decreases at constant rate, distance travelled increases at a decreasing rate (decreasing gradient) and reaches a constant (zero gradient) when speed is zero.
4	D
	The vertical component of acceleration is the acceleration of free fall which is a constant in the absence of air resistance.
5	C
	Action-reaction must be of the same type. Weight is the gravitational force on the man due to the Earth.
6	D
	Consider vertical equilibrium of the object in water, taking upwards as positive $P + V\rho_{water} g - W = 0$ $\rho_{water} = \frac{W - P}{Vg}$

	Consider vertical equilibrium of the object in oil, taking upwards as positive $Q + V\rho_{oil} g - W = 0$ $\rho_{oil} = \frac{W - Q}{Vg}$ $\frac{\rho_{oil}}{\rho_{water}} = \frac{W - Q}{W - P}$
7	Α
	By Conservation of Energy, loss in KE = Gain in GPE. $\Rightarrow \Delta E = \Delta mgh = mg\Delta h$ Hence E varies linearly with height, i.e. a straight line. Since y is vertical displacement, at maximum height (largest y value) E = 0. Hence the answer is A.
8	B Total work done by man = Work done against friction + gain in GPE (since KE is constant) Work done against friction = 1500 - mgh = 1500 - 5.0 x 9.81 x 12 = 911. 4 J Average friction = work done against friction / distance travelled along plane = 911.4 / $(\frac{12}{\sin 30^{\circ}})$ = 37.9 ≈ 38 N
9	В
	Period = $2\pi / (\pi/2) = 4$ s. After 6s, the marble would have completed 1.5 cycles, so directly opposite P, so displacement = $2r = 2 \times 0.80$ m = 1.6 m.
10	C
	Let $m$ be the mass of the satellite and $M$ be the mass of Earth.
	GPE of orbiting satellite = $-\frac{GMm}{m}$ and KE = $\frac{GMm}{m}$
	The foreign of the surface of $2r$ when satellite moves closer to the surface of Earth, <i>r</i> decrease. From the equations, GPE becomes more negative, so GPE decreases. KE increases, hence orbital speed increases.
11	B
	According to definition for thermodynamic temperature scale.
12	D
	As the temperature has stabilised, the rate of increase of internal energy ( $\Delta U$ ) = 0.

	The filament is hotter than its surroundings, loses heat ( $Q$ ). Thus, rate of heating the filament is negative. Positive work ( $W$ ) is done on the filament by electric current (recall the potential difference across a component in a circuit as the work done to drive a unit charge through the component).								
13	A								
	Option A implies a <u>once off</u> energy transfer to the rear-view mirror when the car goes over a speed bump (i.e. no external <u>periodic</u> driving force).								
	The rest of the options allow for resonance to occur when the driving frequency matches the natural frequency of the oscillating system.								
14	С								
	Option C follows the definition of amplitude of oscillation.								
15	C								
	Using $x = \lambda D/a$ , $\lambda = (0.008)(0.0001) / (2.0) = 4.0 \times 10^{-7} \text{ m}$								
	Since the two sources are in phase at the slits and destructive interference occurs at the screen when their path difference = $(n + \frac{1}{2}) \lambda$								
	At $2^{nd}$ order dark fringe, n = 1								
	Thus, path difference = $(1 + \frac{1}{2}) \lambda = 1.5 (4.0 \times 10^{-7}) = 6.0 \times 10^{-7} \text{ m}$								
16	C								
	Only the odd number harmonics can be formed in the bugle								
	Hence, the different frequencies follow the expression $(2n+1)f$ .								
17	A								
	$I$ 3.0 0.500 $10^{28}$ $^{-3}$								
	$n = \frac{1}{vAq} = \frac{3.5}{(2.8 \times 10^{-2}) \times \pi (5.0 \times 10^{-5})^2 \times (1.6 \times 10^{-19})} = 8.526 \times 10^{28} \text{ m}^{-3}$								
	<i>n</i> remains the same since wire X and Y are made from the same material.								
	⊢or wire Y,								
	$V = \frac{I}{1} = \frac{2.0}{1} = \frac{2.0}{1}$								
	$\int nAq^{-} (8.526 \times 10^{28}) \times \pi (1.0 \times 10^{-4})^{2} \times (1.6 \times 10^{-19})^{-4.1 \times 10^{-113}}$								
1									



21	D							
	The direction of electric field line at a point indicates the direction of electric force on a positive test charge placed at the point. Since an electron is a negative charge, it will experience an electric force in the direction opposite to that of the electric field.							
22	D							
	Since charges are of opposite signs and potential is a scalar, at the centre of the two point charges, the resultant potential is 0 (hence can be III or IV).							
	Since charges are of opposite signs and electric field radiates outwards from positive charge and towards negative charges, the electric field along the line joining the two point charges acts along only a certain direction (hence can be I or II).							
	Given that $E = -\frac{dV}{dr}$ , the combination of III for electric potential and II for electric field							
	strength is wrong and hence D is the correct answer.							
23	D							
	The magnetic field lines due to current in a conductor is made up of concentric circles centered about the conductor. The direction of the field can be found using the Right Hand Grip Rule. At O, the direction of the magnetic field is tangential to the circular field lines. For example, due to a current at P that is into the page, the direction of the magnetic field at O points towards S. Apply this to the options and D is the answer.							
24	A As the long straight wire moves towards the flat coil, the magnetic flux density in the area enclosed by the coil increases. Since $B = \frac{\mu_0 I}{2\pi d}$ , for each speed, magnetic flux density inside the coil increases at an increasing rate. This results in the increasing rate of change of magnetic flux linkage leading to increasing induced e.m.f. in the coil. Thus, current increases.							
25	C							
	For a straight conductor moving perpendicularly in a uniform magnetic field, $E = Blv$ . Since, B (magnetic flux density) and I (length of conductor) are constant, $E \propto v$ .							



	147									
	VV									
			4	В	С	D				
					-					
28	С									
	$\alpha M = \alpha \sin i \pi K E$									
	$q\Delta v = gain in KE$									
	q∆v	$= p^{-1} 2 m - 0$	)							
	$\Rightarrow p = 2$	$\sqrt{2mq\Delta V}$								
	Using de Br	oglie's equa	ation,							
	$\lambda = \lambda$	$h/p = h/\sqrt{2}$	(2 <i>qm</i> ∆ <i>V</i> )							
	Since <i>m</i> and	d <i>q</i> are the s	ame for bo	oth cases, λ o	ι1/√V.					
	$\lambda_0/\lambda$	$J_{1} = \sqrt{(100/1)}$	) = 10	,						
			) 10							
20	П									
23										
	Total mass	of reactant :	a laga than	total mass a	foreducto on one	are to be evented				
	Total mass		s less than	total mass o	i producis, so ene	ergy has to be supplied				
	for the reac	tion to take	place.							
					<b>.</b>					
	Energy sup	plied = (1.00	086 +1.009	7 –2.0150) u	$c^2 / (1.6 \times 10^{-19}) =$	= 3 MeV				
30	B									
	The proton	number dec	reases by 2	2 during alph	a decay, and incr	eases by 1 during beta				
	decay.									