

Mark Scheme for 2024 SAJC Prelims P4 Q1 (A-lev Pract in 2023)

No	Marking Point	Score
(a)	€ Recorded R as labelled, ie $68\ \Omega$ (as per question) € Recorded I as shown on display, ie to nearest $0.1\ \text{mA}$ € Accuracy: range of I : $110.0\text{--}130.0\ \text{mA}$ € Recorded repeat measurements of y to nearest mm (ie to $1\ \text{mm}$, $0.1\ \text{cm}$ or $0.001\ \text{m}$) € Recorded average value of y to same dp as its raw readings (ie to nearest mm)	/1
(b)	Tabulation € At least 5 sets of readings of R & repeated y .	/1
	Column Headings in Table € Each column heading must have a quantity and a unit: eg R/Ω , y/cm , R/y .	/1
	Precision of Recording For Raw Data: € Recorded all R to nearest Ω (as labelled) € Recorded all y to nearest mm € Recorded all I to nearest $0.1\ \text{mA}$ (if recorded) For Calculated Data: (eg for R/y , IR , $1/R$, $1/y$) <input type="checkbox"/> Correct no. of sf (which takes into account <i>consistency</i> within a given column)	/1
(c)	Graph: Scale, Size & Axes € Sensible scales, ie no awkward scales (eg 3 units into 10 small squares) € Plotted pts occupy at least $\frac{1}{2}$ the graph grid in both x & y directions € Axes labelled with the quantity & unit € Successive scale markings: not more than 20 small squares apart.	/1
	Plotting of Points € ALL observations in table must be plotted € Accurate to within half a small square. € Thickness of plots (ie the crosses, 'x') δ half a small square	/1

<p>Best fit line & Anomaly</p> <ul style="list-style-type: none"> € Straight line drawn with approx. equal number of points on either side of line (anomalous point not considered). € Line must not be kinked/disjointed or thicker than half a small square € Anomalous plot clearly indicated (eg by a circle or labelled "anomaly".) € Maximum number of anomalous plot allowed: 1 	/1
<p>Correct Trend: (Not awarded for Inappropriate graph) Appropriate graph using data where as R increases, y decreases.</p>	/1
<p>Determination of Gradient (Not awarded for Inappropriate graph)</p> <ul style="list-style-type: none"> € Gradient coordinates clearly indicated on graph and in working (accurately recorded) € Precision of gradient coordinates: either to 3 sf or to $\frac{1}{2}$ a small square € Hypotenuse of triangle > half length of line drawn € No obscurity of the 2 points used for gradient calculation. {Hence triangle must not be drawn too near a data plot.} € Precision of gradient: either to 3 sf, or, same number of sf as the coordinate with the least number of sf, or 1 more. € Value of F: calculated correctly to 3 sf. (Accept 4 sf) 	/1
<p>Units of the unknown constants</p> <ul style="list-style-type: none"> <input type="checkbox"/> F: A Ω, or V (Accept mA \wedge) <input type="checkbox"/> Q: $\Omega \text{ m}^{-1}$ (Accept $\wedge \text{ cm}^{-1}$) 	/1
<p>Determination of y-intercept (Not awarded for Inappropriate graph)</p> <ul style="list-style-type: none"> € y-intercept calculated using a point on the line {not from the table} & value of gradient. € Value of Q: a POSITIVE value, 3 s.f. (Accept 4 sf) Or, € Reading off the y-intercept if x-axis starts from zero (ie no false origin) € Value of Q: a POSITIVE value, precision to $\frac{1}{2}$ small square 	/1
<p>Linearisation of Equation (Not awarded for Inappropriate graph) For graph of R/y against R:</p> <ul style="list-style-type: none"> € Stated explicitly: $Q/F = \text{gradient}$ € Stated explicitly: $-Q = \text{y-intercept}$ 	/1

(d)	€ Recorded repeat measurements (using micrometer) of d & its average to nearest 0.01 mm € Accuracy: acceptable range of d : $0.17 - 0.19 \text{ mm}$	/1
	Determination of p € Determined p correctly with given units.	/1
	Total	/14

Mark scheme for 2024 SAJC Prelims P4 Q2 (A-lev Pract in 2023)

No	Marking Point	Score
(a)(i)	Measurement and Observation € Recorded θ to the nearest $^{\circ}$ € Accuracy of θ : within range 58° to 62° (“ approx. 60° “) □ Recorded repeated values of ℓ .	/1
(a)(ii)	Measurement and Observation € Recorded n to the nearest integer.	/1
	€ Repeated measurements of n . € Accuracy: n between 7-11	/1
(b)	Determination of k € Determined k correctly ($k = n/\tan\ell$) {Allow ecf}	/1
	€ Number of sf: either 2 or 3 (since ℓ has 2 sf & n is considered to be error-free)	/1
(c)	Tabulation of 2 more values of ℓ (including the 1 st set), n & k <ul style="list-style-type: none"> Recorded both θ to the nearest $^{\circ}$ { No need to repeat for ℓ } Recorded repeated readings of n to the nearest integer. No mark awarded if not tabulated. 	/1
	Range of θ € The 2 θ s use should be at least 10° difference with 60° and one above 60° and one below 60° .	/1
(d)	€ If $\theta = 90^{\circ}$, both pendulums would have the same length and thus same period. They would then remain in phase indefinitely/would always be in phase/would never go out of phase.	/1
Total		8

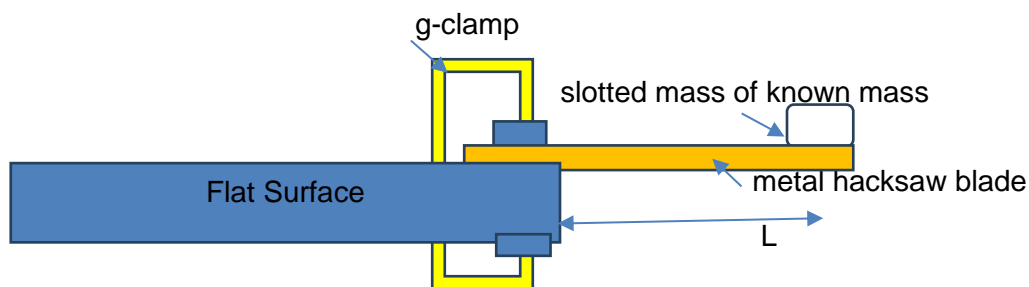
Mark scheme for 2024 SAJC Prelims P4 Q3 (A-lev Pract in 2023)

No	Marking Point	Score																								
(a)(i)	<p>Measurement and Observation</p> <p>€ Recorded at least 2 values each of h and L to nearest mm</p> <p>€ Recorded average value of h and L to same dp as their raw readings (ie to nearest mm)</p> <p>€ Accuracy: range of h : 72.0 – 77.0 cm</p> <p>□ $h + L =$ betw 97.0 – 99 .0cm { NOT = 100 .0 cm }</p>	/1																								
(a)(ii)	<p>€ Calculated h/L correctly.</p> <p>€ Number of sf for h/L: same number or 1 more sf than the raw data (either h or L,) with the smaller number of sf. {Hence, 3 or 4 sf }</p>	/1																								
(a)(iii)	<p>□ Estimated percentage uncertainty of h/L correctly by adding percentage uncertainty of h (using $\otimes h = 3 - 5$ mm) and percentage uncertainty of L (using $\otimes L = 6 - 8$ mm).</p> <p>□ $\otimes L$ must be $> \otimes h$ { as former has additional uncertainty due to position of it cg }</p> <p>□ Recorded percentage uncertainty to 1 or 2 sf.</p>	<div>/1</div> <div>/1</div>																								
(b)	<p>€ Tabulate 5 sets {since only 5 masses provided} of readings, with column headings m, repeated h, repeated L , h/L & correct units.</p> <table><tr><th>m / g</th><th>h_1 /cm</th><th>h_2 /cm</th><th>L_1 /cm</th><th>L_2 /cm</th><th>h/L</th></tr><tr><td>100</td><td></td><td></td><td></td><td></td><td></td></tr><tr><td>200</td><td></td><td></td><td></td><td></td><td></td></tr><tr><td>300</td><td></td><td></td><td></td><td></td><td></td></tr></table>	m / g	h_1 /cm	h_2 /cm	L_1 /cm	L_2 /cm	h/L	100						200						300						/1
m / g	h_1 /cm	h_2 /cm	L_1 /cm	L_2 /cm	h/L																					
100																										
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	<table><tr><td>400</td><td></td><td></td><td></td><td></td><td></td></tr><tr><td>500</td><td></td><td></td><td></td><td></td><td></td></tr></table>	400						500						
400														
500														
	<p>Precision of Recording: For Raw Data, ie for m, h and L:</p> <p>€ Recorded m to nearest 100 g (as labelled), h to nearest mm and L to nearest mm</p> <p>For Calculated Data, ie for h/L</p> <p><input type="checkbox"/> Correct no. of sf (which takes into account <i>consistency</i> within a given column)</p>	/1												
(c)(i)	€ Best fit straight line drawn with 5 sets of readings.	/1												
(c)(ii)	€ Calculated X correctly (where $X = 2/\text{gradient}$, for graph of h/L vs m)	/1												
(d)	<p>€ Recorded X to nearest 0.01 g; Accuracy: range betw 80.00 – 130.00 g</p> <p>€ Calculated correctly $\frac{ X_1 - X_2 }{X_2} \times 100\%$ (X_1 from expt in (c), X_2 measured in (d))</p> <p>€ (Used the percentage uncertainty of (a) (iii) as the criterion.)</p> <p>Concluded that value in (a)(iii) does not explain the difference</p> <p>if $\frac{ X_1 - X_2 }{X_2} \times 100\% > \text{percentage uncertainty of (a)(iii)}$,</p> <p>or,</p> <p>concluded that value in (a)(iii) does explain the difference</p> <p>if $\frac{ X_1 - X_2 }{X_2} \times 100\% < \text{percentage uncertainty of (a)(iii)}$.</p>	/1												
(e)(i)	<p>Measurement and Observation</p> <p>€ Recorded a to nearest mm. (range: not assessed, 2.5 – 12.0 cm)</p> <p>€ Recorded $M = 0.100$ kg or value read fr mass balance to nearest 0.01 g.</p> <p>€ Recorded L to nearest mm. (range: not assessed 12 - 20 cm)</p> <p>€ Recorded u to nearest mm (if using metre rule). (range: not assessed, $u = 1.2$ cm)</p> <p><input type="checkbox"/> Recorded t to nearest 0.01 mm (using micrometer). Accuracy: 0.70 -0.80 mm</p>	/1												

	€ Repeat measurements of a & L . (u & t : not necessary)	/1
	€ Calculated Y correctly with the unit GPa (1 GPa = 10^9 Pa)	/1
	€ Number of sf for Y : same no. or 1 more sf than the raw data (among M , L , u , t & g) with the least number of sf.	/1
(e)(ii)	<p>Significant/Major Sources of Error (Any one)</p> <p>€ In the measurement of a, uncertainty arises as the reference horizontal axis is imaginary/not well-defined, or,</p> <p>€ In the measurement of a, uncertainty arises due to the unsteadiness of the hand when holding the rule.</p>	/1
(e)(iii)	Candidates are required to make the correct deduction by comparing Y for wood (ie 12 GPa) with the experimental value for the hacksaw blade in (e) (i).)	/1

(f)



- € A diagram similar to Fig.3.2 or a description of a workable set-up. /1
- € Method of measuring length L and mass M :
Use a metre rule & slotted masses with mass hanger, or a mass balance respectively. /1
- € Method of determining frequency:
Calculate using $f = 1/T$, /1
- € Method of determining period T :
Calculate $T = t/n$, t = ave oscillation time measured with stopwatch & n = number of oscillations /1
- Method of determining Z :
Calculate Z using $Z = M L^3 f^2$, or,
 Z = gradient of graph of f^2 vs $1/(ML^3)$ /1
- € Safety precaution: e.g. Place a tray of sand below the setup in case the masses fall off from the blade /1
- € Tabulated 2 sets of results for different values of M & L , with column headings M , L , t (repeated), n , f and Z & correct units /1

L/cm	M/g	n	t_1/s	t_2/s	f/s^{-1}	$Z/\text{s}^{-2} \text{ kg m}^3$
L_1	M_1					
L_2	M_2					

/2

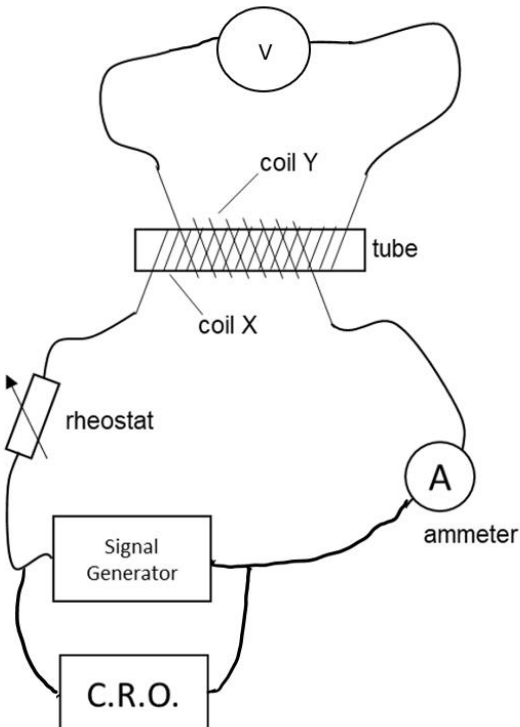
Exemplar of the Written Account:

1. Set up the apparatus as shown.
2. Use a metre rule to measure L & record M , the mass of the slotted mass used.
3. Set the blade into vertical oscillations. Use a stopwatch to measure t , the average time for n number of oscillations.
4. Calculate the period using $T = t/n$.
5. Calculate the frequency $f = 1/T$.
6. Calculate Z by using $Z = M L^3 f^2$.

L / m	M / kg	n	t_1 / s	t_2 / s	f / s^{-1}	$Z/\text{s}^{-2} \text{ kg m}^3$
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	0.256	0.100	35	23.5	23.6	1.48	0.00371	
	0.155	0.200	45	22.1	22.1	2.04	0.00309	
	Total							22

Markscheme for Prelim 2024 P4 Q4

V_D	Dependent Variable: (induced) emf V in coil Y (for both Expts 1 & 2)	1
V_{I1} V_{I2}	Independent Variables: <ul style="list-style-type: none"> Expt 1: vary f & keep N const. Expt 2: vary N & keep f const. 	1
C	Control of Variables: { any 1 } <ul style="list-style-type: none"> keep current constant [coil X] throughout both the 2 expts using the rheostat, or, keep number of turns in coil Y [not coil X] constant 	1
	Diagram: 	

D	labelled diagram with workable arrangement: signal generator & coil X in series; coil Y wound around coil X	1
P1	<p>Expt 1: To det p (keep N const, vary f)</p> <p>Procedure:</p> <ol style="list-style-type: none"> 1. Connect the circuit as shown in diagram. 2. Connect CRO 1 /voltmeter in parallel across signal generator (can be credited if shown in diagram) 3. Connect CRO 2/voltmeter across coil Y (can be credited if shown in diagram) 	1
P2	<ol style="list-style-type: none"> 4. Use CRO 1 to determine frequency f of the current [in coil X]. 5. Measure V the induced emf in coil Y using the CRO 2 or AC voltmeter 6. Repeat steps 4 & 5 using different frequencies by varying the frequency of the signal generator to obtain at least 10 sets {NOT:6} of f and V. 	1
A1	<p>Analysis:</p> <p>[From $V = k f^p N^q$, $\lg V = p \lg f + (\lg k + q \lg N)$]</p> <p>Plot a graph of $\lg V$ against $\lg f$ (Graph 1),</p> <p>® $p = \text{gradient}$.</p>	1
P3	<p>Expt 2: To det q (keep f const, vary N [in coil X])</p> <p>Procedure:</p> <ol style="list-style-type: none"> 1. Connect the circuit as shown in diagram. 2. Record N the number of turns in coil X. 3. Determine V the induced emf in coil Y using the CRO. 4. Repeat steps 2 to 3 by winding different number of turns N around coil X to obtain at least 10 sets of N and V. 	1
A2	<p>Analysis:</p> <p>[From $V = k f^p N^q$, $\lg V = q \lg N + (\lg k + p \lg f)$,]</p> <p>Plot a graph of $\lg V$ against $\lg N$ (Graph 2),</p> <p>® $q = \text{gradient}$.</p>	1
P_s	<p>Safety Precautions:</p> <ol style="list-style-type: none"> 1. Reference to hot coils – switch off when not in use/use gloves/do not touch coils. Must refer to “hot coils”. 	1
P1	<p>Good Features/Details { any 1 }</p> <ol style="list-style-type: none"> 1. Use insulated wire for coils 2. Increase current in coil X slowly by adjusting the rheostat to obtain preliminary readings to ensure induced emf in coil Y is sufficiently large to be recorded on CRO 	1

	3. Use large current in coil X or, large number of coils in coil X (to increase emf V) 4. Use iron core to increase induced emf 5. Details regarding determination of emf using CRO: e.g. Peak Voltage = height \times Y-sensitivity, 6. Detail regarding determining frequency from CRO: determine period & then $f = 1/T$, where Period = width of 1 cycle \times time-base setting.	
	Total	11