2024 H2 Prelim Paper 1 Solutions:

1		2	3	4	5	6	7	8	9	10
Α		В	В	С	А	А	D	А	D	В
11		12	13	14	15	16	17	18	19	20
С		С	В	А	А	А	С	А	А	С
2	1	22	23	24	25	26	27	28	29	30
C)	С	А	С	D	В	D	С	D	В
1	Α	Units of	Units of $\Delta P = kgm^{-1}s^{-2}$, units of $\rho = kgm^{-3}$							
		Units of $\frac{\Delta P}{\rho} = m^2 s^{-2}$, hence n =0.5								
2	В	Accurate \rightarrow How close they are to the true value								

		Precise \rightarrow How close the measured readings are from one another							
			Readi	ngs <i>d</i> / m	m		Ave Value	Largest – smallest value	
			1.49	1.46	1.52	1.50	1.4925	0.06	
			1.48	1.58	1.51	1.40	1.4925	0.18 (not precise)	
			1.35	1.37	1.42	1.42	1.39	0.07	
			1.32	1.37	1.41	1.50	1.4	0.18	
3	В	$V_{\text{plane}} = 100 \text{ km/h}$ $V_{\text{relative to ground}}$ $= \sqrt{350^2 - 100^2} = 335 \text{ km/h}$ $V_{\text{plane}} = 350 \text{ km/h}$ $V_{\text{relative to ground}}$							
4	С								
5	Α	Change in momentum = area under F-t graph							
		Area under F-t graph from 0 to 10 seconds = $0.5 \times (8+4) \times 12 + [(-0.5) \times (2) \times (12)] =$ 60 N s Change in momentum = final momentum - initial momentum 60 = mv - 0 $v = 200 \text{ m s}^{-1}$							

6	Α	Force by wall on water= $\langle F_{net} \rangle$ = mass per unit time $\times \Delta v$
		$=\frac{m}{m}\Delta v = \frac{\rho(Vol)}{\Delta v}\Delta v$ since $m = \rho(Vol)$
		$\Delta t \qquad \Delta t$
		$= \rho \pi r v (0 - v)$
		$= -\rho_{10} - \frac{1000\pi(2.0 \times 10^{-2})^2}{(0.50)^2}$
		= -0.314 N
		By Newton's 3^{rd} law. Force by water on wall – Force by wall on water – 0.314 N
7	D	On each cuboid ;
		Volume of water displaced is the same, therefore U is constant for all cuboids of equal volume.
		T + U = mg
		T +U = ρ Vg (where ρ is density of material/cubpid)
		$T = \rho Vg - U$
		Since cuboid W has largest density, T on string is the largest.
8	Α	
		T_2 T_1 T_2 T_1 X_2 X_1 X_1 T_1
		Extra energy stored = area of trapezium = $\frac{1}{2}(T_2 + T_1)(x_2 - x_1)$
9	D	Since P and Q have the same angular velocity, the linear speed ($v = r\omega$) of P is greater than Q as $r_1 > r_2$.
		Also, centripetal force ($F = mr\omega^2$) is greater for P than Q as $r_1 > r_2$.
10	В	At P: $N + mg = mv^2/r$
		$N = mv^2/r - mg$
		$v = \sqrt{I}g$ when $N \approx 0$ Since CPE at P and O is the same KE at P = KE at O
		Since or Lat Γ and Q is the same, $\Gamma = \Lambda E$ at Q .
		$At Q:mg - N = mv^2/2r$
		N = mg - m(rg)/2r $N = mg/2$
		N = Ing/2

11	D	By conservation of energy,
		$KE_i + GPE_i = Ke_f + GPE_f$
		$0 + \left(-\frac{GMm}{7R}\right) = \frac{1}{2}mv^2 + \left(-\frac{GMm}{R}\right)$
		$v = \sqrt{\frac{12GM}{7R}}$
12	С	The antenna will have the same speed as the space-craft and is still bound in orbit. There is still gravitational force acting on it which causes it to move in circular motion.
13	В	$PV = \frac{1}{3}Nm < c^2 >$
		V and m remain unchanged $\Rightarrow \frac{N < c^2 >}{P}$ = constant
		$\Rightarrow \frac{N \times 3.0 \times 10^5}{4} = \frac{\frac{3N}{4} < c^2 >}{(1-c^2)^2}$
		$P \qquad (P/2)$
		\Rightarrow N = 2.0 × 10° m ² S ²
14	Α	This is an SHM question and the E_p graph is A , lowest at the equilibrium and maximum at the amplitudes (opposite from the KE-r graph).
15	Α	ma = mg - R
		Object will remain in contact when R is greater than 0.
		Object will lose contact when $R = 0$,
		ma = mg
		For SHM,
		$a = \omega^2 x_o = (2\pi f)^2 x_o = g$
		$x_o = \frac{g}{(2\pi f)^2} = \frac{9.81}{(2\pi (2.0))^2} = 9.81/(2\pi (3.0))^2 = 0.028 \text{ m}$
16	Α	$I = kA^2$ Resultant amplitude when antiphase = $A - 0.6A = 0.4A$
		Resultant intensity $I_{R} = k(0.4A)^{2} = 0.16kA^{2} = 0.16I$

17	С	Using $I = I_o \cos^2 \theta$
		For diagram 1, 2 = 8 $\cos^2 \theta$
		$\Rightarrow \theta = 60^{\circ}$
		For diagram 2, when rotated another 90°, $I = 8\cos^2(90+60) = 6 \text{ W m}^{-2}$
18	Α	$tan\theta = \frac{20}{75} \Rightarrow \theta = 14.9^{\circ}$
		Using $d \sin \theta = n\lambda$ where $d = \frac{1}{N}$,
		$\frac{10^{-3}}{300}$ sin14.9° = 2 λ
		$\Rightarrow \lambda = 429 \mathrm{nm}$
19	Α	E field point from high V to low $V \Rightarrow$ E field point towards right
		Since electron is -vely charged, electric force on electron points towards X or away from Y.
		Change in EPE from X to Y = EPE _Y - EPE _X = $-eV_Y - (-eV_X) = -70 eV + 100 eV = +30 eV$
20	С	$R = \frac{\rho L}{A} \propto \frac{L}{A}$
		$\frac{R'}{R} = \frac{L'}{L} \times \frac{A}{A'}$
		$\frac{R'}{L_0} = \frac{5d}{d} \times \frac{d^2}{2d(d)}$
		$A = 10 \Omega$
21	D	In the driver circuit, the p.d. across XY should be minimized, so the resistance of the NTC thermistor needs to be maximised, according to potential divider rule. Hence, the temperature should be low.
		The terminal p.d. of the test circuit should be maximised, so the resistance of the LDR needs to be maximised. Hence, the environment should be dark.
22	С	$\frac{V_s}{V_p} = \frac{N_s}{N_p} \Rightarrow V_s = \frac{130}{2500} \times 230 = 12 \text{ V}$
		Peak power = $\frac{V_o^2}{R} = \frac{(\sqrt{2} \times 12)^2}{6} = 48$ W

23	Α	Taking moments about pivot,
		$F_{B} \times L\cos 30^{\circ} = 0.12 \times \frac{L}{2}\sin 30^{\circ}$
		$50B(0.40)(60 \times 10^{-3})\cos 30^\circ = 0.12 \times \frac{1}{2}\sin 30^\circ$
		<i>B</i> =0.029 T
24	С	Force causing deflection acts upwards hence magnetic force is upwards.
		Using Fleming's left hand rule, current is opposite in direction to motion of particle so it must be negatively charged.
		If direction of magnetic force is upwards, electric force must be downwards so electric field must be upwards
25	D	Maximum flux linkage occurs when the B field lines are perpendicular to coil, i.e. either
		$\frac{\pi}{3}$ anticlockwise.
		When flux linkage is maximum , induced e.mf. will be minimum (zero) and vice-versa.
26	В	Step up transformer \Rightarrow no. of turns in secondary coil N_s
		> no. of turns in primary coil N_p Since magnetic flux ϕ in both coil is equal as it is an ideal transformer.
		$N_s \phi > N_\rho \phi$
		Ideal transformer $\Rightarrow \frac{I_s}{I_s} = \frac{V_p}{V_p} = \frac{N_p}{V_p} < 1$
		$I_p V_s N_s$
27	D	
28	С	$E = \frac{1}{2} m v^2 = \frac{p^2}{2m} \square$
		$p = (2mE)^{1/2}$ (m of alpha particle = 4u) = $(8uE)^{1/2}$
		$\lambda = h / p = h / (8uE)^{1/2} = h / 2(2uE)^{1/2}$
29	D	α will not pass through paper
		β is stopped by a few cm of aluminium foil
		only γ can pass through thick steel
30	В	$P = \frac{E}{mc^2} = \frac{mc^2}{mc^2}$
		t t
		$=\frac{(6.0\times10^{-6})(3.00\times10^{6})}{222}$
		60×60 - 1.5 × 10 ⁸ W/

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