

HILLGROVE SECONDARY SCHOOL PRELIMINARY EXAMINATION 2022 SECONDARY FOUR (NORMAL ACADEMIC)

CANDIDATE NAME		()	CLASS
CENTRE NUMBER	S	INDEX NUMBER	

MATHEMATICS

Paper 1

4045/01

29 July 2022

2 hours

Candidates answer on the Question Paper.

10.45 AM to 12.45 PM

READ THESE INSTRUCTIONS FIRST

Write your class, index number and name on the work you hand in. You may use an HB pencil for any diagrams, graphs, tables or rough working. Write in dark blue or black pen. Do not use staples, paper clips, glue or correction fluid.

Answer all questions.

The number of marks is given in brackets [] at the end of each question or part question.

If working is needed for any question it must be shown with the answer. Omission of essential working will result in loss of marks. The total marks for this paper is 80.

The use of an approved scientific calculator is expected, where appropriate. If the degree of accuracy is not specified in the question, and if the answer is not exact, give the answer to three significant figures. Give answers in degrees to one decimal place.

For π , either use your calculator value or 3.142.

	For Exa	miner's Use
	Total	
Guardian's Signature:		80

Setter: Mrs Valerie Loh

Parent's/

This document consists of 16 printed pages.

Mathematical Formulae

Compound interest

Total amount =
$$P\left(1 + \frac{r}{100}\right)^n$$

Mensuration

Curved surface area of a cone = πrl

Surface area of a sphere = $4\pi r^2$

Volume of a cone =
$$\frac{1}{3}\pi r^2 h$$

Volume of a sphere =
$$\frac{4}{3}\pi r^3$$

Area of triangle
$$ABC = \frac{1}{2}ab\sin C$$

Arc length = $r\theta$, where θ is in radians

Sector area =
$$\frac{1}{2}r^2\theta$$
, where θ is in radians

Trigonometry

$$\frac{a}{\sin A} = \frac{b}{\sin B} = \frac{c}{\sin C}$$

$$a^2 = b^2 + c^2 - 2bc \cos A$$

Statistics

Mean =
$$\frac{\sum fx}{\sum f}$$

Standard deviation = $\sqrt{\frac{\sum fx^2}{\sum f} - \left(\frac{\sum fx}{\sum f}\right)^2}$

PartnerInLearning 289 Answer all questions.

1 Work out (a) $\sqrt[3]{6784.5878 \div 0.003}$,

(b) $\frac{4.63^3}{395+0.445}$

2 Solve 2(p+7) - 3(p-4) = 20.

3 Find the smallest integer y satisfying $14 \ge 25 - 3y$.

4 Simplify $\frac{2a^3b}{3ac^2} \div \frac{8a^5c}{9b^4}$.

5 p is inversely proportional to the cube of r. Given that p = 5 for a certain value of r, find the value of p when r is doubled.



7 Given that $\frac{3}{9^0} \div 27 = \frac{1}{3^{-m}}$, find m.

8 The point E lies on the line DF. DE : EF = 3 : 4.

(a) Write EF as a fraction of DF.

(b) EF is 48 cm. Calculate DE.

Answer DE = cm [2]

9 15% of the hand area is 26.25 cm².
(a) Find the area of the whole hand?

Answer cm² [1]

(b) It is estimated that on our hand, there are 1500 bacterial living on each square centimetre of our skin. Find the amount of bacterial on the whole hand leaving your answer in standard form.

10 (a) Find angle A such that $\cos A^\circ = -0.35$.

(b) 690% $2\pi \sqrt{\frac{98}{2}}$ 6.9

Write these numbers in order, starting with the largest.

BP~298

11 (a) Simplify and factorise 15xy - 20x - 5yx + 12x.

(b) Simplify $\frac{3q}{5} + \frac{5(q-1)}{3}$.

12 Simplify $\frac{3}{x-2} + \frac{5}{x^2-4}$.

13 Solve these simultaneous equations.

$$2x - 3y = 8,$$
$$3x = 5y - 3.$$

Show your working.

14 Sam needs to travel from Town A to Town B which is 190 km apart.

From Town A, he drove at an average speed of 70 km/h for 45 minutes.

He stopped at a rest station for half an hour and then continued his journey till he reached Town *B*.

(a) If his average speed is 95 km/h, find the total time he took for his journey.

Answer h [2]

(b) What is the distance of Town A to the rest station?

Answer km [2]

15 (a) Write 600 as a product of its prime factors.

(b) (i) Write down the lowest common multiple (LCM) of 21 and 600.

Give your answer as a product of its prime factors.

	Answer[1]
(ii) Is the lowest common multiple from (bi) a p	erfect square? Explain your answer.
Answer	
	[1]
16 (a) Express $x^2 - 12x + 8$ in the form $(x - a)^2 - 1$	
wit	Jaka .
R A	
O'I''	•
	Answer[2]

(b) A quadratic graph has the equation $y = x^2 - 12x + 8$.

(i) Hence, write down the coordinate for the turning point of this graph.

Answer (.....) [1]

(ii) Write down the equation of line of symmetry.

17 A set of heights in centimetre of 6 students are given.

158 169 188 164 177 164

(a) State the modal height.

(b) Find

Answer cm [1]

(i) the mean height,

Answer cm [2]

(ii) the median height.

Answer cm [1]

18 The diagram shows a hexagon *ABCDEF*. *FC* is parallel to *ED* and *BC* is parallel to *FE*. Angle *CFE* = 50°. With $A = \int_{F} \int_{F} \int_{E} \int_{$

Answer° [1]

(b) Given that angle *CDE* is twice angle *CFE*, find angle *FCD*.

Answer° [1]

(c) Josh said that the sum of angle ABC + angle FAB + angle AFC is 230°.Do you agree with him? Justify your answer with working.

19 These are the first five terms of a sequence.

-13 -18 -23 -28 -33

(a) Write an expression, in terms of n, for the n^{th} term of this sequence.

(b) State whether -100 is a term in the sequence.

(c) The sequence in part (a) is squared to form a new sequence.

Find the new sequence in terms of n.

20 DEF is a triangle with DE = 8 cm, EF = 10 cm and $EDF = 100^{\circ}$.

 \overline{D}

,	E

(a)	Const	mot the triangle DEE	DE has been derer for ever	[0]
(a)	Const	fuct the triangle DEF.	DE has been drawn for you.	[2]
(b)	Const	ruct a line that is equic	listant from	
	(i)	point D and point E ,		[1]
	(ii)	line <i>DF</i> and <i>DE</i> .		[1]
(c)	X is tl	ne point where both the	e line from (bi) and (bii) intersec	et.
	Meas	ure XE.		
			Answer	<i>cm</i> [1]

21 A solid square pyramid has side and perpendicular height of length $10 \ cm$.



(a) The square pyramid is melted to form spheres of radius 2 cm.Calculate the number of complete spheres formed?

(b) All the spheres are painted with two coats of paint.
 One tin of paint can paint an area of 100 cm².
 How many tins are required to paint all the spheres?

Answer[3]



(b) Another line, Q, passes through the point (2, 2) on the grid. Line Q is para M. Find the equation of line Q.

Answer[3]

(c) Find the distance between the points where the line *M* touches both the *x*-axis and *y*-axis.

Answer[1]



The diagram shows a circle with radius 5 cm and minor arc length $\frac{10}{3}\pi$ cm.

(a) Find obtuse angle AOB.

Answer [2]

(b) Find the area of the minor segment.

Answer cm² [3]

(c) Find the probability that a point is drawn in the minor segment. Give your answer to 3 decimal places.



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MATHEMATICS

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4045/02

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Section A

Answer all questions.

Section B

Answer one question.

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Setter: Mrs Valerie Loh

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PartnerInLearning 305

Trigonometry

Section A (52 marks)



(a) Determine if triangle *PQR* is a right-angled triangle.

[2]

(b) The line PQ is produced to a point E. Find the value of $\sin R\hat{Q}E$.

2 A cat was found at the top of a tree that is 3.5 m.

A 5 m ladder is placed on the tree to help bring the cat down.

(a) What is the angle of elevation of the cat from the ground?

Answer° [2]

(b) Find the distance of the foot of the ladder to the tree.

Answer m [2]

- 3 A playground is drawn in a map to the scale of 1 : 175.
 - (a) A slide and swing are 2.5 cm apart on the map.

Find the actual distance between the slide and swing.

Answer m [2]

(b) The actual playground has an area of 280 m².Find the area on the map.

Answer cm² [2]

4

$$3r = \sqrt{\frac{a}{b+1}}$$

(a) Rearrange the formula to make b the subject.

(b) Hence or otherwise, find the value of b when a = 300 and r = 4.5. Leave your answer as a rational number.

5 This is a front view of a house.



(a) The house has width 5 m and height of 6 m.

The door is similar to the front view of the house. The width of the door is $90 \ cm$. Calculate the height of the door. Give your answer in metres.

Answer m [2]

(b) The owner is going to build an automatic shade.The angle of the shade when fully opened is 2.5 rad. It has a radius of 1.2 m.If the shade takes a minute to completely open, what is the speed at which it opens?Give your answer in metre per seconds.

Answer m/s [2]

,

6 Jacky and family are going for a holiday to Japan.

He would like to change S\$ 3250 to Japanese Yen (¥).

(a) If the exchange rate is S\$ 100 : ¥9885.24, how much Japanese Yen will Jacky get?

(b) In Japan, Jacky saw a vintage radio selling at ¥ 25 000. There was a discount of 20%. Calculate how much Jacky will need to pay for this vintage radio.

(c) When he returned to Singapore, he sold the vintage radio to another friend at S\$ 300 The exchange rate was ¥100 : S\$1.05. Did he sell it at a profit or loss? Justify your answer with working.

Answer He sold it at a[2]

(d) Calculate the amount he paid in Singapore dollars as a percentage of the price he sold to his friend. Give your answer to the nearest percentage.

Answer% [2]

7 The total cost for y number of mouse pad is \$100. The number of thumb drive is 3 less than the number of mouse pad. The total cost for all the thumb drives is \$170.

(a) Find in term of y the cost of

(i) one mouse pad,

(ii) one thumb drive.

[3]

(b) The total cost for one mouse pad and one thumb drive is \$15.

Write down an equation in y and show that it simplifies to $y^2 - 21y + 20 = 0$.

(c) Solve $y^2 - 21y + 20 = 0$.

(d) Explain why one of the answer cannot be accepted.

Answer[1]

8 (a) Complete the table of values for $y = 2^x + 1$.



(b) Draw the graph of $y = 2^x + 1$ for $-2 \le x \le 4$.



(c) By drawing a suitable line, find the value of x when $2^x - 2 = 0$.

(d) By drawing a suitable tangent, find the gradient of the curve when x = 2.

9 The following shows some information on an online shopping portal.Mrs Tan is a dance teacher and she is looking at the following costumes to be bought for her dancers.

	Item	Price	Colours and Size
	Solid Hem Dress	\$ 15.90	Colour: Black, White, Pink and Blue
		SPECIAL: White piece	
	Review: 4 ★	7.7 sales: \$10 now	Size: XS, S, M, L
		(10% off for more than	
		10 pieces for all colours)	•
14	Cotton blouse	\$9.00	Colour: Pink, Blue,
	-	(Buy 4 get one free)	Green, Black and white
	Review: 3.4 ★	(Buy 4 get one nee)	Size: XS, S, M, L
	Pants	\$12.00	Colour: Green and Beige
			Бегде
	Review: 5 ★		Size: XS, S, M, L
		Tuition	
	Maxi Skirt	\$20	Colour: Pink, Blue an
		WIThata	BIOWN
	Review: 5 ★		Size: XS, S, M, L
		a state	

Discounts										
10% off 15% off 20% off										
On orders of \$60 and	On orders of \$200 and	On orders of \$300 and								
above.	above.	above.								
Points deduction Every 100 points - \$10 deduction.										
All purchases final cost will be round down to the nearest dollars										

Shipping	Standard (>2 weeks)	Express
	\$1.50	\$ 2.00
(Shipping cost is based on final cost)	Free with purchases above \$150 after any discount.	Free with purchases above \$200 after discount.

(a) Mrs Tan needs to buy 5 pieces of each colour for the solid hem dress and she needs it to be delivered within 2 weeks. She has 300 points that she can use for deduction. Calculate the total cost for these dresses to be shipped over.

Answer \$[5]

(b) Mrs Tan have a balance budget of \$200. She would like to purchase 5 pink cotton blouse, 5 green pants and 5 blue maxi skirts. She has no more points to deduct after the purchase of the solid hem dress and she is not in a hurry to receive these items. Will the budget be enough for this purchase? What is the total cost for this purchase? Justify your answer with working.

Section B (8 marks)

Answer one question from this section. Each question carries 8 marks.

10 The following shows two radio towers O_b and O_s on level ground.



The radio tower are the centre of two circles.

The large circle has centre O_b and radius 10 m.

The small circle has centre O_s and radius 6 m.

The two circles touches at point X and WX is the diameter of the large circle.

XW is parallel to $O_s B$.

(a) Given that angle $WXO_s = 125^\circ$, calculate the distance between the centre of both the circles.

Answer m [2]

(b) A person is located somewhere on the larger circle. He is 12 m from point W and 16 m away from point X. Determine which part of the circle is this person located.

[2](c) A point A is located on the circumference of the smaller circle. AB is the diameter of the small circle. Find angle XAB. Give reasons for your answers.

Answer° [3]

(d) Given that W is North of X, find the breaing of X from the centre of the small circle.

Answer° [1]



Use the graph to find



Answer m [2]

(ii) the number of trees that are more than 2.15 m.

(iii) The box-and-whisker plot shows the height of trees in Park B.
 Explain how the shape of the cumulative frequency diagram will differ as compared to the shape of the cumulative frequency diragram of Park A.

	1	H				+	t			+	-		+	t						-		\pm			1	H	+	t	H					\pm	H	+		+	-		+		1		+	1	+			H		\pm	H	+	$\left[\right]$	+	+	-	+	H
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Answer	• • • • • • • • • • •	•••••	•••••	 • • • • • • • • • • •	•••••	•••••	 •••••	• • • • • • • • • • • • •	
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			•••••	 	•••••		 		. [1]

(b) Box A have 3 cards with the number 2, 3 and 5.

Box *B* have 4 cards with the number 1, 3, 5 and 7.

(i) Complete the table below to show the possible sums.

			Box B		
	+	1	3	5	7
Boy 1	2	3	5	7	9
DUX A	3	4	6		
	5	6			

[2]

(ii) Find the probability that the sum of two cards is a prime number.

(iii) Find the probability that the sum of the the two cards is greater than 12.

BP~324



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HGV Sec 4N T Mathematics Preliminary Examination P1 2022 PartnerInLearning 321 Answer all questions.

Work out

 (a) ∛6784.5878 ÷ 0.003
 131.260505 ≈ 131(35f) B1

(b) $\frac{4.63^3}{395+0.445}$

0.2509902692 ≈ 0.251(3s/) B1

2 Solve 2(p+7) - 3(p-4) = 20.

2(p + 7) - 3(p - 4) = 20 2p + 14 - 3p + 12 = 20 M1-change sign correctly -p + 26 = 20 -p = 20 - 26 -p = -6p = 6 A1

3 Find the smallest integer y satisfying $14 \ge 25 - 3y$.

 $14 \ge 25 - 3y$ $14 - 25 \ge -3y$ $-11 \ge -3y$ $3\frac{2}{3} \le y$ A1 M1- change sign

Smallest integer. 4 A1

4 Simplify
$$\frac{2a^3b}{3ac^2} \div \frac{8a^5c}{9b^4}$$

$$\frac{2a^3b}{3ac^2} \div \frac{8a^5c}{9b^4}$$

$$= \frac{2a^3b}{3ac^2} \times \frac{9b^4}{8a^5c} \quad M1 - KCF$$

$$= \frac{b}{ac^2} \times \frac{3b^4}{4a^2c}$$

$$= \frac{3b^5}{4a^3c^3} \quad A1$$

Answer [2]

5 p is inversely proportional to the cube of r. Given that p = 5 for a certain value of r, find, the value of p when r is doubled.

$$p = \frac{k}{r^3} \qquad p = \frac{k}{(2r)^3}$$

$$S = \frac{k}{r^3} \qquad p = \frac{k}{Br^3} M1$$

$$p = \frac{1}{B} \times S$$

$$p = \frac{S}{B} A1$$

Answer $p = \dots$ [2]



HGV Sec 4NA Mathematics Preliminary Examination P1 2022

PartnerInLearning 323

BP~329

7 Given that
$$\frac{3}{9^0} \div 27 = \frac{1}{3^{-m^2}}$$
 find *m*.

$$\frac{3}{9^{0}} \div 27 = \frac{1}{3^{-m}}$$

$$\frac{3}{1} \times \frac{1}{3^{3}} = 3^{m} \quad M1 - either \text{ power zero to } 1 \text{ OR negative poswe to positive power}$$

$$3^{-2} = 3^{m} \text{ or } \frac{1}{3^{2}} = \frac{1}{3^{-m}}$$

$$m = -2 \quad A1$$

8 The point E lies on the line DF. DE : EF = 3 : 4.

(a) Write EF as a fraction of DF.

$$\frac{4}{7}$$
 B1 D E F

(b) *EF* is 48 *cm*.

Calculate DE.

$$\frac{DE}{48} = \frac{3}{4}$$
$$DE = \frac{3}{4} \times 48 \quad M1$$
$$DE = 36 \ cm \quad A1$$

Answer $DE = \dots cm [2]$

HGV Sec 4NA Mathematics Preliminary Examination P1 2022

PartnerInLearning 324 9 15% of the hand area is 26.25 cm².
(a) Find the area of the whole hand?

```
15% - 26.25 cm<sup>2</sup>
100% - 175 cm<sup>2</sup> B1
```

(b) It is estimated that on our hand, there are 1500 bacterial living on each square centimetre of our skin. Find the amount of bacterial on the whole hand leaving your answer in standard form.

 175×1500 = 262500 *M*1 = 2.625 × 10⁵ (Exact) A1

Answer [2]

10 (a) Find angle A such that $\cos A' = -0.35$. 110.487351 $\approx 110.5'$ B1

Answer A =[1]

Write these numbers in order, starting with the largest.

$$\int \frac{98}{2}, \quad 6.9, \quad 690\%, \quad 2\pi \quad B1$$

Answer managements and the contract of the [2]

11 (a) Simplify and factorise 15xy - 20x - 5yx + 12x.

$$10xy - Bx$$

 $10xy - Bx M1$
 $= 2x(5y - 4) A1$

(b) Simplify
$$\frac{3q}{5} + \frac{5(q-1)}{3}$$

$$= \frac{3(3q) + 25(q-1)}{15}$$

$$= \frac{3(3q) + 25(q-1)}{15}$$

$$= \frac{9q + 25q - 25}{15}$$

$$= \frac{34q - 25}{15}$$

$$= \frac{34q - 25}{15}$$
A1

Answer [2]

12 Simplify
$$\frac{3}{x-2} + \frac{5}{x^2-4}$$
.

$$\frac{3}{x-2} + \frac{5}{x^2-4}$$

$$= \frac{3}{x-2} + \frac{5}{(x-2)(x+2)}$$
M1 - Factorise denominator
$$= \frac{3(x+2)+5}{(x-2)(x+2)}$$
M1 - Common denominator
$$= \frac{3x+5+5}{(x-2)(x+2)}$$

$$= \frac{3x+11}{(x-2)(x+2)}$$
A1

Answer and an an an an and a second s

13 Solve these simultaneous equations.

$$2x - 3y = 8,$$
$$3x = 5y - 3.$$

Show your working.

2x - 3y = 8 (1)	Suby = 30 into (1)
3x - 5y = -3 (2)	2x - 3(30) = 8
	2x - 90 = 8
(1) \times 3: 6x - 9y = 24 (1N)	2x = 98
$(2) \times 2:6x - 10y = -6$ (2N)	x = 49 A1
(1N) - (2N):	
6x - 9y - 6x + 10y = 24 +	Answer x =
6 M1	y =[3]
y = 30 A1	

14 Sam needs to travel from Town A to Town B which is 190 km apart.

From Town A, he drove at an average speed of 70 km/h for 45 minutes.

He stopped at a rest station for half an hour and then continued his journey till he reached Town B.

(a) If his average speed is 95 km/h, find the total time he took for his journey.

$$\frac{190}{T} = 95 M1$$
$$T = 2 hours A1$$

Answer h [2]

(b) What is the distance of Town A to the rest station?

$$D = 70 \times \frac{3}{4} \quad M1 = convertmin \quad cohr$$
$$D = 52 \frac{1}{2} km \quad A1$$

Answer km [2]

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15 (a) Write 600 as a product of its prime factors.

	1			Answer	 [4]
5	5	M1		A. 11.12	זריז
5	25				
3	75				
2	150				
2	300	BUU		41	
2	600	c'nn	L . 73 U. 7 U. HZ	àń	

(b) (i) Write down the lowest common multiple (LCM) of 21 and 600.

Give your answer as a product of its prime factors.

(ii) Is the lowest common multiple from (bi) a perfect square? Explain your answer.

Answer	No, it is not a perfect square because the power of the base 2 and 7 are not multiple of 2 D8 even number -81	
	n na anna tha tha an Fanna (an Sain an Anna an Sainta Sainta Sainta Sainta Sainta Sainta Sainta Sainta Sainta S Anna - Anna - Anna - Anna - Anna	[1]

16 (a) Express $x^2 - 12x + 8$ in the form $(x - a)^2 - b$.

$$x^{2} - 12x + B$$

$$= x^{2} - 12x + \left(\frac{-12}{2}\right)^{2} - \left(\frac{-12}{2}\right)^{2} + B \quad M1$$

$$= (x - 6)^{2} - 36 + 8$$

$$= (x - 6)^{2} - 28 \quad A1 \qquad Answer \qquad [2]$$

(b) A quadratic graph has the equation $y = x^2 - 12x + 8$.

(i) Hence, write down the coordinate for the turning point of this graph.

Answer (.....) [1]

(ii) Write down the equation of line of symmetry.

x = 6 B1

17 A set of heights in centimetre of 6 students are given.

15B 169 1BB 164 177 164 Rearrange: 158 164 164 169 177 188 (a) State the modal height.

164 cm B1

(b) Find

(i) the mean height,

 $\frac{158 + 169 + 188 + 164 + 177 + 164}{6} \qquad M1$ $= \frac{1020}{6}$ $= 170 \quad A1$

(ii) the median height.

$$\frac{164 + 169}{2} = 166.5 \quad B1$$

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10

PartnerInLearning 329 18 The diagram shows a hexagon ABCDEF. FC is parallel to ED and BC is parallel to FE. Angle $CFE = 50^{\circ}$.



(a) Find angle FED.

 $180^{\circ} - 50^{\circ}$ (int angles, FC // ED) = 130° B1

Answer° [1]

(b) Given that angle CDE is twice angle CFE, find angle FCD.

ange CDE = 100° angle FCD = $360^{\circ} - 130^{\circ} - 100^{\circ} - 50^{\circ} = 80^{\circ} B1$

Answer° [1]

(c) Josh said that the sum of angle ABC + angle FAB + angle AFC is 230°.

Do you agree with him? Justify your answer with working.

ange $BCF = 50^{\circ}$ (Alt angles, BC//FE) Sum of int angle of hexagon = 720° sum of 3 angles = 720° - 360° - 50° = 310° B1

		· · · · · · · · · · · · · · · · · · ·
*****	No, the sum of the three angles is 310°. B1	3 K.K.S. (K. 19
		[2]

19 These are the first five terms of a sequence.

· **−13** ^{*} **−18** ^{*} **−** 23 ^{*} **−** 28 ^{*} **−** 33 ^{*}

(a) Write an expression, in terms of n, for the n^{th} term of this sequence.

$$-5n - 8$$
 B1

(b) State whether -1.00 is a term in the sequence.

$$-5n - 8 = -100$$
$$-5n = -92$$
$$n = 18\frac{2}{5}$$

And the Ward C	No, since n is not a positive integer, hence -100 is not a term in the sequence. B1	
<i>ги</i> з <i>ж</i> вг	OR	i Chini
	The term -100, does not have the last digit as 8, the pattern shows that all terms in sequence has last digit 8. Hence - 100 is not a term in the sequence.	. [1]

(c) The sequence in part (a) is squared to form a new sequence.

Find the new sequence in terms of n.

$$(-5n-8)^2$$

= $(-5n-8)(-5n-8)$
= $25n^2 + 40n + 40n + 64$ M1
= $25n^2 + 80n + 64$ A1





(a)	Const	ruct the tria	ngle DEF. DE has been	drawn for you.	[2]
(b)	Const	ruct a line tl	nat is equidistant from		
	(i)	point D ar	id point E,		[1]
	(ii)	line DF ar	nd DE.		[1]
(c)	X is th	e point whe	ere both the line from (b	i) and (bii) intersect.	
	Measu	ire XE.	6.2 cm B1	Answer	. cm [1]

21 A solid square pyramid has side and perpendicular height of length $10 \ cm$.



(a) The square pyramid is melted to form spheres of radius 2 cm.Calculate the number of complete spheres formed?

Volume of square pyramid: $\frac{1}{3} \times 10^2 \times 10 = 333 \frac{1}{3} \text{ cm}^3$ Volume of sphere: $\frac{4}{3}\pi r^3 = \frac{4}{3} \times \pi \times 2^3 = 33.51032164$ M1 No. of Sphere: $\frac{333 \frac{1}{3}}{33.51032164} = 9.947183943 \approx 9$ complete spheres B1

(b) All the spheres are painted with two coats of paint. One tin of paint can paint an area of $100 \ cm^2$.

How many tins are required to paint all the spheres?

Total surface area of one sphere: $4\pi r^2 = 4 \times \pi \times (2)^2 = 50.26548246 \text{ cm}^2$ M1

Total surface area of 9 spheres with 2 coats of paint: $9 \times 2 \text{ coat} \times 50.26548246 = 904.7786842 \text{ cm}^2 \text{ M1}$

No of tin: $\frac{904.7786842}{100} = 9.047786842 \approx 10 \text{ tins (round up)}$ A1

22 Line M is shown on the grid.



(a) Linda says the gradient of the graph is $\frac{2}{3}$. John says the gradient of the graph is $-\frac{2}{3}$. Whose answer is correct? Explain why.

Answer .	John B1	s correct.	
····	·· John is con	rrect because the line is downward sloping. This means it is a gradient. B1	
*******			• • • • • • • • • • • • •

(b) Another line, Q, passes through the point (2, 2) on the grid. Line Q is parallel to line M. Find the equation of line Q.

(c) Find the distance between the points where the line M touches both the x-axis and y-axis.

$$\sqrt{(0-6)^2 + (4-0)^2} = 7.211102551 \approx 7.21(3sf)$$
 B1



The diagram shows a circle with radius 5 cm and minor arc length $\frac{10}{3}\pi$ cm.

(a) Find obtuse angle AOB.

$$\frac{\theta^{\circ}}{360^{\circ}} \times 2 \times \pi \times 5 = \frac{10}{3}\pi \quad M1$$
$$\theta^{\circ} = 120^{\circ} A1$$

(b) Find the area of the minor segment.

Area of sector:
$$\frac{120^{\circ}}{360^{\circ}} \times \pi \times 5^{2} = \frac{25}{3}\pi = 26.17993878 \ cm^{2}$$
 M1
Area of triangle $AOB = \frac{1}{2} \times 5^{2} \times sin120^{\circ} = 10.82531755 \ cm^{2}$ M1
Area of minor segment: $26.17993878 - 10.82531755$
 $= 15.35462123 \approx 15.4 \ cm^{2}(3sf)$ A1

(c) Find the probability that a point is drawn in the minor segment.

Give your answer to 3 decimal places.

$$\pi \times 25 = 78.53981634 \ cm^2 \quad M1$$
Probability: $\frac{15.35462123}{78.53981634} = 0.1955011094 \approx 0.195(3dp) \quad A1$

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HGV Sec 4NA Mathematics Preliminary Examination P1 2022
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HILLGROVE SECONDARY SCHOOL PRELIMINARY EXAMINATION 2022 SECONDARY FOUR (NORMAL ACADEMIC)

CANDIDATE NAME	ANSWER	()	CLASS
CENTRE NUMBER	S	INDEX NUMBER	
MATHEMAT	TICS		4045/02

Paper 2

2 August 2022 2 hours

For Examiner's Use

60

Total

Candidates answer on the Question Paper.

8.10 AM to 10.10 AM

READ THESE INSTRUCTIONS FIRST

Write your class, index number and name on the work you hand in. You may use an HB pencil for any diagrams, graphs, tables or rough working. Write in dark blue or black pen. Do not use staples, paper clips, glue or correction fluid.

Section A

Answer all questions.

Section B

Answer one question.

The number of marks is given in brackets [] at the end of each question or part question.

If working is needed for any question it must be shown with the answer. Omission of essential working will result in loss of marks. The total number of marks for this paper is 60.

The use of an approved scientific calculator is expected, where appropriate. If the degree of accuracy is not specified in the question and if the answer is not exact, give the answer to three significant figures. Give answers in degrees to one decimal place.

For π , either use your calculator value or 3.142.

Parent's/ Guardian's Signature:

Setter: Mrs Valerie Loh

This document consists of 15 printed pages.

Mathematical Formulae

Compound interest

Total amount =
$$P\left(1+\frac{r}{100}\right)^n$$

Mensur ation

Curved surface area of a cone =
$$\pi rl$$

Surface area of a sphere =
$$4\pi r^2$$

Volume of a cone =
$$\frac{1}{3}\pi r^2 h$$

Volume of a sphere =
$$\frac{4}{3}\pi r^3$$

Area of triangle
$$ABC = \frac{1}{2}ab\sin C$$

Arc length =
$$r\theta$$
, where θ is in radians

Sector area =
$$\frac{1}{2}r^2\theta$$
, where θ is in radians

$$\frac{a}{\sin A} = \frac{b}{\sin B} = \frac{c}{\sin C}$$

$$a^2 = b^2 + c^2 - 2bc \cos A$$

Stati stics

Mean =
$$\frac{\sum fx}{\sum f}$$

S tand ard deviation = $\sqrt{\frac{\sum fx^2}{\sum f} - \left(\frac{\sum fx}{\sum f}\right)^2}$

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Section A (52 marks)

Answer all the questions in this section.

1 The diagram show triangle PQR with PR = 40 cm, PQ = 30 cm and QR = 50 cm.



(a) Determine if triangle PQR is a right-angled triangle.

 $40^2 + 30^2 = 2500$

 $50^2 = 2500 M1$

Since $50^2 = 40^2 + 30^\circ$, by the converse of pythagras' theorem, triangle PQR is a right-angled triangle. A1

[2]

(b) The line PQ is produced to a point E. Find the value of $\sin R\hat{Q}E$.

$$\frac{40}{50} = \frac{4}{5} \quad B1$$
Answer[1]

2 A cat was found at the top of a tree that is 3.5 m.

A 5 m ladder is placed on the tree to help bring the cat down.

(a) What is the angle of elevation of the cat from the ground?

(b) Find the distance of the foot of the ladder to the tree.

- 3 A playground is drawn in a map to the scale of 1:175.
 - (a) A slide and swing are 2.5 cm apart on the map.

Find the actual distance between the slide and swing.

1 cm : 1.75 m

 $2.5 \text{ cm} : 1.75 \times 2.5 = 4.375 \text{ m}$ M1/A1 - exact

Answer m [2]

(b) The actual playground has an area of 280 m^2 .

Find the area on the map.

4

(a) Rearrange the formula to make b the subject:

$$3r = \sqrt{\frac{a}{b+1}} \qquad 9r^{2}(b+1) = a \quad M1$$

$$(3r)^{2} = \frac{a}{b+1} \quad M1 \qquad b+1 = \frac{a}{9r^{2}}$$

$$9r^{2} = \frac{a}{b+1} \qquad b = \frac{a}{9r^{2}} - 1 \quad A1$$

(b) Hence or otherwise, find the value of b when a = 300 and r = 4.5.

Leave your answer as a rational number.

$$b = \frac{300}{9(4.5)^2} - 1 \quad M1 - show substitution$$
$$b = \frac{157}{243} \quad A1$$

5 This is a front view of a house.



(a) The house has width 5 m and height of 6 m.

The door is similar to the front view of the house. The width of the door is 90 cm. Calculate the height of the door. Give your answer in metres.

(b) The owner is going to build an automatic shade.

The angle of the shade when fully opened is 2.5 rad. It has a radius of 1.2 m. If the shade takes a minute to completely open, what is the speed at which it opens? Give your answer in metre per seconds.

Arc length:
$$1.2 \times 2.5 = 3 m$$
 M1
Speed $= \frac{3}{60} = 0.05 m/s$ A1

Answer m/s [2]

6 Jacky and family are going for a holiday to Japan.

He would like to change S\$ 3250 to Japanese Yen (¥).

(a) If the exchange rate is S\$ 100 : ¥9885.24, how much Japanese Yen will Jacky get?

S\$100 : Yen 9685.23 S3250 : \frac{9885.24}{100} \times 3250 = Yen 321270.3 \approx Yen 321270.30 (2dp) M1, A1$

Answer ¥......[2]

(b) In Japan, Jacky saw a vintage radio selling at ¥ 25 000. There was a discount of 20%. Calculate how much Jacky will need to pay for this vintage radio.

$$100\% : yen 25 000$$

$$80\% : \frac{25000}{100} \times 80 = yen 20 000 \quad M1.A1$$

(c) When he returned to Singapore, he sold the vintage radio to another friend at S\$ 300 The exchange rate was ¥100 : S\$1.05. Did he sell it at a profit or loss? Justify your answer with working.

$$Yen 20\ 000 = \frac{1.05}{100} \times 20\ 000 = $210 \ M1$$
Sold at a prof A1

(d) Calculate the amount he paid in Singapore dollars as a percentage of the price he sold to his friend. Give your answer to the nearest percentage.

$$\frac{328.125}{300} \times 100\% = 109.375 \approx 109\% M1,A1$$

Answer % [2]

- 7 The total cost for y number of mouse pad is \$100. The number of thumb driveis 3 less than the number of mouse pad. The total cost for all the thumb drives is \$170.
 (a) Find in term of y the cost of
 - (i) one mouse pad,

$$\frac{100}{y}$$
 B1

(ii) one thumb drive.

$$\frac{170}{(y-3)} \quad B1$$

(b) The total cost for one mouse pad and one thumb drive is \$15.

Write down an equation in y and show that it simplifies to $y^2 - 21y + 20 = 0$.

$$\frac{100}{y} + \frac{170}{(y-3)} = 15 \quad M1$$

$$\frac{100(y-3) + 170y}{y(y-3)} = 15$$

$$100y - 300 + 170y = 15y(y-3) \quad M1$$

$$270y - 300 = 15y^2 - 45y$$

$$0 = 15y^2 - 270y - 45x + 300$$

$$15y^2 - 315y + 300 = 0$$

$$y^2 - 21y + 20 = 0 (Shown) \quad A1$$

[3]

(c) Solve $y^2 - 21y + 20 = 0$.

$y^2 - 21y + 20 = 0$	$y = 1 \ or \ y = 20 \ A1$
$\begin{array}{c cc} y & -1 & -y \\ y & -20 & -20y \end{array}$	
y^2 20 -21y	
INIT IOL INCOMSTICI	
(y-1)(y-20) = 0	American

Answer y = or [2]

(d) Explain why one of the answer cannot be accepted.

Answer	When 1 subtract 3 it will get a negative number. The number	of
	pointer cannot be negative. B1	611
Kora		

[2]

8 (a) Complete the table of values for $y = 2^{x} + 1$.

Γ	x	-2	-1	0	1	2	3	4
	y	1.25	1.5	2	3	5	9	17

(b) Draw the graph of $y = 2^x + 1$ for $-2 \le x \le 4$.



(c) By drawing a suitable line, find the value of x when $2^x - 2 = 0$.

$$2^{x} - 2 + 3 = 3$$
$$2^{x} + 1 = 3$$
$$y = 3 \quad B1 - draw \ line \ on \ graph$$
$$x = 1 \quad B1$$

(d) By drawing a suitable tangent, find the gradient of the curve when x = 2.

$$\frac{10-1}{3.8-0.5} = 2.727272727 \approx 2.73(3sf) B1$$

Draw tangent on graph ---- B1

9 The following shows some information on an online shopping portal.

Mrs Tan is a dance teacher and she is looking at the following costumes to be bought for her dancers.

	Item	Price	Colours and Size		
	Solid Hem	\$ 15.90	Colour: Black, White,		
	Dress		Pink and Blue		
ALC: N		SPECIAL: White piece			
	Review: 4 ★	7.7 sales: \$10 now	Size: XS, S, M, L		
		(10% off for more than			
		10 pieces for all colours)			
-		, , ,			
1-	Cotton blouse	\$9.00	Colour: Pink, Blue,		
	souton produc		Green, Black and White		
	Review: 3.4 ★	(Buy 4 get one free)			
		ay a start water	Size: XS, S, M, L		
		\$12.00	Colour: Green and		
	Pants		Beige		
	Review: 5 ★		Size: XS, S, M, L		
_					
	Maxi Skirt	\$20	Colour: Pink, Blue an		
			Brown		
	Review: 5 🖈		Size: XS, S, M, L		

Discounts					
10% off	15% off	20% off			
On orders of \$60 and	On orders of \$200 and	On orders of \$300 and			
above.	above.	above.			
Points deduction Every 100 points - \$10 deduction.					
All purchases final cost will be round down to the nearest dollars					

Shipping	Standard (>2 weeks)	Express
	\$1.50	\$ 2.00
(Shipping cost is based on final cost)	Free with purchases above \$150 after any discount.	Free with purchases above \$200 after discount.

(a) Mrs Tan needs to buy 5 pieces of each colour for the solid hem dress and she needs it to be delivered within 2 weeks. She has 300 points that she can use for deduction. Calculate the total cost for these dresses to be shipped over.

White colour: $$10 \times 5 = 50 Other colours: $$15.90 \times 3$ colour $\times 5$ pieces each colour = \$238.50Total: \$50 + \$23850 = \$288.50 M1 Discounted price for dress: $90\% \times $238850 = 259.65 M1

Discounted price for over \$200,85% \times \$259.65 = \$220.7025 M1

Minus the points deduction: $2207025 - 30 = 1907025 \approx 190$ M1

Total plus express shipping cost \$190 + \$2 = \$192 A1

(b) Mrs Tan have a balance budget of \$200. She would like to purchase 5 pink cotton blouse, 5 green pants and 5 blue maxi skirts. She has no more points to deduct after the purchase of the solid hem dress and she is not in a hurry to receive these items. Will the budget be enough for this purchase? What is the total cost for this purchase? Justify your answer with working.

S blouse: $$9 \times 4 = 36

 $5 \, \text{pants: } $12 \times 5 = 60

5 Maxi skirts = \$20 × 5 = \$100

M1-the cotton blouse to x by 4 OR any one of the item amount is correct

Total: \$36 + \$60 + \$100 = \$196 M1 Discounted price for over $$60:90\% \times $196 = $176.40 \approx 176 A1 Freeshipping

Section B (8 marks)

Answer one question from this section. Each question carries 8 marks.

10 The following shows two radio towers O_b and O_s on level ground.



The radio tower are the centre of two circles.

The large circle has centre O_b and radius 10 m.

The small circle has centre O_s and radius 6 m.

The two circles touches at point X and WX is the diameter of the large circle.

XW is parallel to $O_s B$.

(a) Given that angle $WXO_s = 125^\circ$, calculate the distance between the centre of both the circles.

Let y be the distance between the two centre.

By cosine rule:

 $y^2 = 10^2 + 6^2 - 2(10)(6)\cos 125^\circ M1$

- $y^2 = 136 120\cos 125^\circ$
- $y^2 = 204.8291724$

$$y = \sqrt{204.8291724}$$

 $y = 14.31185426 \approx 14.3 m (3sf) A1$

Answer m [2]

(b) A person is located somewhere on the larger circle. He is 12 m from point W and 16 m away from point X. Determine which part of the circle is this person located.

 $20^2 = 400^{\circ}$ By Cosine rule: $16^{2} + 12^{2} = 400 M1$ $20^2 = 16^2 + 12^2 - 2(10)(12)\cos\theta$ Since $20^2 = 16^2 + 12^2$. $400 = 256 + 144 - 384 \cos\theta$ by the converse of $0 = -384 \cos\theta$ $cos\theta = 0$ yythagoras theorem, $\theta = 90^{\circ}$ WPX is a right angled triangle. A1 The person is on the circumference of the large circle because angle in a semi circle is 90 deg. A1

(c) A point A is located on the circumference of the smaller circle. AB is the diameter of the small circle. Find angle XAB. Give reasons for your answers.

angle $XO_sB = 180^{\circ} - 125^{\circ} = 55^{\circ} M1$ (int angle, XW//OsB) angle $XAB = \frac{55^{\circ}}{2} = 27.5^{\circ} A1$ (angle at centre is twice angle at circumference) Correct reason - M1

Answer* [3]

(d) Given that W is the North of X, find the breaing of X from the centre of the small circle.

Bearing of X from
$$O_s = 180^{\circ} + 125^{\circ} = 305^{\circ}$$
 B1

An swer [1]

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[2]



11 (a) A botanist measured the height of trees in the park A.

The cumulative frequency diagram shows the distribution of the height in metres.

Use the graph to find

(i) the inter-quartile range,

 $UQ: \frac{75}{100} \times 58 = 43.5 \qquad UQ \ height: 2.825$ $LQ: \frac{25}{100} \times 58 = 14.5 \qquad LQ \ height: 1.957 \qquad \text{M1-find either UQ or LQ}$ $Interquartile \ range: 2.825 - 1.95 = 0.875 \ or \ \frac{7}{8} \qquad A1$

Answer m [2]

(ii) the number of trees that are more than 2.15 m.

Trees less than 2.15 m: 19

Trees more than 2.15 m: 58 - 19 = 39 B1

(iii) The box-and-whisker plot shows the height of trees in Park B. Explain how the shape of the cumulative frequency diagram will differ as compared to the shape of the cumulative frequency diragram of Park A. -Height (m) Answer As the lower quartile is lower than Park A, the graph will be on the left side of original graph. Both median are the same hence it will pass through the same median. As the upper quartile is larger than Park B, the graph will be to the right of the original graph. Park B graph will also end at the same point as the original graph. B1 [1]

C

(b) Box A have 3 cards with the number 2, 3 and 5.

Box B have 4 cards with the number 1, 3, 5 and 7.

(i) Complete the table below to show the possible sums.

			Box B				
	+	1	, S	5	7		
Box 4	2	3	5	7	9		
DOXA	3	Â.	6	8	10		
	5	6	8	10	12		
(ii) Find the probability that the sum of two cards is a prime number. $\frac{3}{12} = \frac{1}{4} B1$ (iii) Find the probability that the sum of two cards is a prime number. $WIT = \frac{1}{4} B1$ (1]							
ank 72		1292 - An - Am		·			

(iii) Find the probability that the sum of the the two cards is greater than 12.

0 *B*1

BP~356