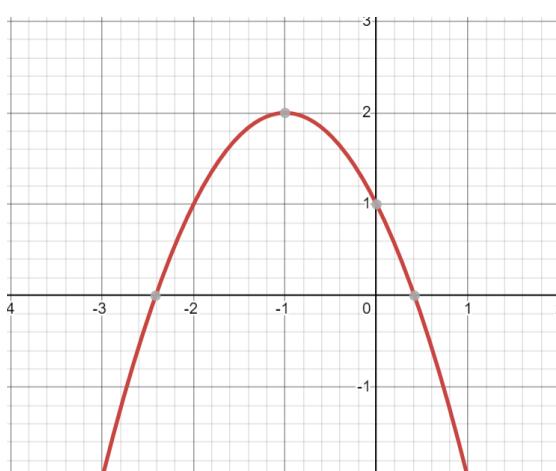


Marking Scheme 3Exp P1

1a	$484 = 2^2 \times 11^2$ Since the power of the factors are in multiple of 2, thus 484 is a perfect square.	AO3 M1 A1
1b	$66 = 2 \times 3 \times 11$ $150 = 2 \times 3 \times 5^2$ HCF = 6	AO1 M1 A1
2a	$x^2 - 6x - 2$ $= \left(x - \frac{6}{2}\right)^2 - \left(\frac{6}{2}\right)^2 - 2$ $= (x - 3)^2 - 9 - 2$ $= (x - 3)^2 - 11$ $\therefore b = -11$	AO1 M1 A1
2b	The minimum point occur at $x = 3$, therefore the y value is a minimum value.	AO3 B1
3	$\frac{2}{x+1} - \frac{3}{x-6} = 2$ $\frac{2(x-6) - 3(x+1)}{(x+1)(x-6)} = 2$ $\frac{2x-12-3x-3}{x^2-5x-6} = 2$ $\frac{-x-15}{x^2-5x-6} = 2$ $-x-15 = 2(x^2-5x-6)$ $-x-15 = 2x^2-10x-12$ $2x^2-9x+3=0$ $x = \frac{-(-9) \pm \sqrt{(-9)^2 - 4(2)(3)}}{2(2)}$ $x = 0.363 \text{ or } x = 4.14$	AO2 M1 M1 M1 M1 A1

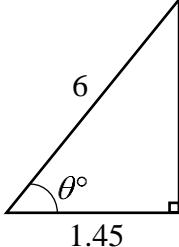
4	$3y + 5x = 15$ $y = -\frac{5}{3}x + 5$ $\text{subst } m = -\frac{5}{3}, x = 1, y = -3$ $y = mx + c$ $-3 = -\frac{5}{3}(1) + c$ $c = -\frac{4}{3}$ $y = -\frac{5}{3}x - \frac{4}{3}$	AO2 M1 M1 A1
5a	$\left(\frac{2}{3a}\right)^{-3}$ $= \left(\frac{3a}{2}\right)^3$ $= \frac{27a^3}{8}$	AO1 M1 A1
5b	$25x^2y \times \frac{1}{10x^{-3}y^{-2}}$ $= \frac{5x^5y^3}{2}$	AO1 B2,1,0
6a	$SQ = RW \text{ (Given)}$ $\angle QST = \angle WRT = 90^\circ$ $\angle QTS = \angle WTR \text{ (vert. opp } \angle)$ $\therefore \Delta STQ \cong \Delta RTW \text{ (AAS)}$	AO2 M2, 1, 0 A1
6b	$\angle PWS = 180^\circ - 90^\circ - 62^\circ$ $\angle PWS = 28^\circ$ $\angle RTW = 180^\circ - 90^\circ - 28^\circ$ $\angle RTW = 62^\circ$	AO1 M1 A1

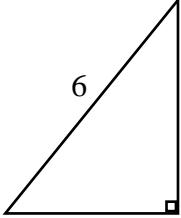
7a	$\begin{aligned} & \frac{1}{6} \times 2\pi \\ &= \frac{1}{3}\pi \\ &= 1.0472 \\ &= 1.05\text{rad} \end{aligned}$	AO1 M1 A1
7b	$\begin{aligned} \text{area of sector} &= \frac{1}{2}r^2\theta \\ &= \frac{1}{3} \times \frac{1}{2}r^2 \left(\frac{\pi}{3}\right) \\ r &= 3.9894 \\ r &= 3.99 \end{aligned}$	AO1 M1 A1
7c	$\begin{aligned} \text{Perimeter} &= r\theta + 2r \\ \text{Perimeter} &= 3.9894(1.0472) + 2(3.9894) \\ \text{Perimeter} &= 12.2 \text{ cm} \end{aligned}$	AO2 M1 A1
8a	$\begin{aligned} 5x - 3(2x - 7) + 9 &= 5x - 6x + 21 + 9 \\ &= -x + 30 \end{aligned}$	AO1 M1 A1
8b	$\begin{aligned} & \frac{3}{2x-1} - \frac{7}{x+1} \\ &= \frac{3(x+1) - 7(2x-1)}{(2x-1)(x+1)} \\ &= \frac{3x+3-14x+7}{(2x-1)(x+1)} \\ &= \frac{10-11x}{(2x-1)(x+1)} \end{aligned}$	AO1 M1 M1 A1
9a	$\begin{aligned} YW^2 &= 5^2 + 12^2 \\ YW &= 13 \\ \text{By converse of Pythagoras theorem, angle } WZY &\text{ is a right angle} \end{aligned}$	AO2 M1 A1
9b	$\begin{aligned} WX^2 &= 9^2 + 12^2 \\ WX &= 15 \end{aligned}$	AO1 M1 A1
9c	$\begin{aligned} \cos \angle XYW &= -\cos \angle WYZ \\ \cos \angle XYW &= -\frac{5}{13} \end{aligned}$	AO1 B1

9d	<p>area of triangle $WXY = \frac{1}{2} \times 4 \times 12$ area of triangle $WXY = 24 \text{ cm}^2$</p>	AO1 B1
10a	 <p>Correct curve – 1 mark x intercepts (0.414 and -2.414) and y intercepts (1) – 1 mark maximum point (-1, 2) – 1 mark</p>	AO2
10b	$x = -1$	AO1 B1
11a	$3 - (-4) = 7$	AO1 B1
11b	$\frac{3}{-1} = -3$	AO1 B1
11c	$\begin{aligned} &(-4)^2 + (3)^2 \\ &= 25 \end{aligned}$	AO1 B1
12a	$\begin{aligned} &22 \times 500 \times 5 \\ &= 55000 \text{ g} \end{aligned}$	AO1 B1

12b	<p>Supermarket A</p> <p>no. of 3 packs set = $\frac{55000}{2700}$</p> <p>no. of 3 packs set = 20.4</p> <p>no. of 3 packs set = 21</p> <p>$21 \times 2700 = 56700\text{g}$ (more than the require amount)</p> <p>total cost = $21 \times (8.45 + 8.45)$</p> <p>total cost = \$354.90</p> <p>Supermarket B</p> <p>no. of 6 tins = $\frac{55000}{1800 \times 6}$</p> <p>no. of 6 tins = 5.09</p> <p>$5 \times 6 \times 1800 = 54000\text{g}$</p> <p>total cost = $5 \times 91 + 16$</p> <p>total cost = \$471</p> <p>Supermarket A, not only will the owner get more milo powder and it cost lesser than Supermarket B</p>	AO3 M1 A1 M1 A1 A1
13a	<p>length of $AB = \sqrt{(-6 - 6)^2 + (-1 - 7)^2}$</p> <p>length of $AB = 14.422$</p> <p>length of $AB = 14.4$</p>	AO1 M1 A1
13b	<p>grad $BC = \frac{-1 - 2}{-6 - 6} = \frac{1}{4}$</p> <p>$y = mx + c$</p> <p>$2 = \frac{1}{4}(6) + c$</p> <p>$c = \frac{1}{2}$</p> <p>eqn: $y = \frac{1}{4}x + \frac{1}{2}$</p>	AO2 M1 M1 A1
14a	$\begin{aligned}2ab^2 + 8ab^3 \\= 2ab^2(1 + 4b)\end{aligned}$	AO1 B1
14b	$\begin{aligned}2x^2 - 5x + 3 \\= (2x - 3)(x - 1)\end{aligned}$	AO1 B1
14c	$\begin{aligned}6ab - 2ad + 3bc - cd \\= 2a(3b - d) + c(3b - d) \\= (3b - d)(2a + c)\end{aligned}$	AO1 M1,M1 A1

15a	$\text{total amt} = P \left(1 + \frac{r}{100}\right)^n$ $768.80 = P \left(1 + \frac{24}{100}\right)^2$ $P = \$500$	AO2 M1 A1												
15b	$\text{total amt} = P \left(1 + \frac{r}{100}\right)^n$ $\text{total amt} = 500 \left(1 + \frac{24}{100}\right)^{2 \times 2}$ $\text{total amt} = \$786.76$	AO2 M1,M1 (FT) A1												
16a	<p>The graph shows two linear functions. Plan A is a straight line starting at the origin (0, 0) and passing through the point (100, -15), then continuing with a steeper positive slope to (250, 0). Plan B is a horizontal line at a constant cost of \$-40.</p> <table border="1"> <caption>Data points estimated from Graph 16a</caption> <thead> <tr> <th>t (mins)</th> <th>C (\$) - Plan A</th> <th>C (\$) - Plan B</th> </tr> </thead> <tbody> <tr> <td>0</td> <td>0</td> <td>-40</td> </tr> <tr> <td>100</td> <td>-15</td> <td>-40</td> </tr> <tr> <td>250</td> <td>0</td> <td>-40</td> </tr> </tbody> </table>	t (mins)	C (\$) - Plan A	C (\$) - Plan B	0	0	-40	100	-15	-40	250	0	-40	AO2 B1 B1
t (mins)	C (\$) - Plan A	C (\$) - Plan B												
0	0	-40												
100	-15	-40												
250	0	-40												
16b	Plan A	AO1 B1												
16c	225 mins	AO1 B1												
17a	Graph E	AO1 B1												
		AO1												

17b	Graph C	B1
17c	Graph D	AO1 B1
18a	$\angle ACB = 325^\circ - 270^\circ = 55^\circ$ $\frac{AB}{\sin 55^\circ} = \frac{52}{\sin(90^\circ - 18^\circ)}$ $AB = 44.788$ $AB = 44.8\text{m}$	AO2 M1 M1 A1
18bi	$\angle ACD = 180^\circ - 55^\circ = 125^\circ$ area of triangle $ACD = \frac{1}{2}ab \sin C$ $1256 = \frac{1}{2}(52)(CD) \sin 125^\circ$ $CD = 58.973$ $CD = 59.0\text{m}$	AO2 M1 M1 A1
18bii	$AD^2 = 52^2 + 58.973^2 - 2(52)(58.973) \cos 125^\circ$ $AD = 98.487$ $AD = 98.5\text{m}$	AO2 M1 A1
19a	$6^2 = 1.45^2 + h^2$ $h = 5.8222$ $h = 5.82\text{ m}$	AO1 M1 A1
19b	$\cos \theta = \frac{1.45}{6}$ $\theta = 76.02^\circ$ $\theta = 76.0^\circ$ 	AO1 M1 A1

19c			AO3
	height = $5.8222 - 0.6$	M1	
	height = 5.2222		
	distance from the wall = $\sqrt{6^2 - 5.2222^2}$	M1	
	distance from the wall = 2.9544		
	$\text{ratio} = \frac{5.2222}{2.9544} = 1.7676$		
	Since the ratio of the height to the distance from the wall does not follow the 4 to 1 safety rule. Thus it is not safe to use the ladder.	A1	