

Paper 1 Multiple Choice

Question	Key	Question	Key	Question	Key
1	C	6	B	11	D
2	A	7	D	12	C
3	B	8	A	13	D
4	B	9	A	14	B
5	A	10	B	15	C
16	D	21	B	26	A
17	B	22	A	27	B
18	D	23	C	28	B
19	D	24	A	29	D
20	C	25	D	30	B

- 1 Estimate mass $\approx 150 \text{ g} = 0.15 \text{ kg}$
 $W = mg = (0.15)(9.81) \approx 1.5 \text{ N} = 150 \text{ cN}$

Notes: centi- means divide by 100 e.g. centimetre, deci- means divide by 10 hence decimal point

- 2 One tesla is the uniform magnetic flux density which, acting normally to a long straight wire carrying a current of 1 ampere, causes a force per unit length of 1 N m^{-1} to act on the conductor.

$$1 \text{ T} = \frac{1 \text{ N}}{(1 \text{ A})(1 \text{ m})(\sin 90^\circ)}$$

units of $B = \text{T}$

$$= \frac{\text{N}}{\text{A m}} = \frac{\text{kg m s}^{-2}}{\text{A m}} = \text{kg A}^{-1} \text{ s}^{-2}$$

- 3 air resistance acts in direction opposing relative motion so left

weight acts down constantly

Vector addition gives B

- 4 elastic collision so special result is speed of approach = speed of separation. Let v_x be speed of X after collision.

$$v - 0 = 0.67 v - v_x$$

$$v_x = 0.33 v$$

- 5 N3L states that

force is of same type (gravity):
eliminate **C & D**

force acts on another body (S acts on brick so N3L-pair *cannot* act on brick):
eliminate **B & D**

- 6 forces acting on ball include tension read from newton meter, weight and upthrust

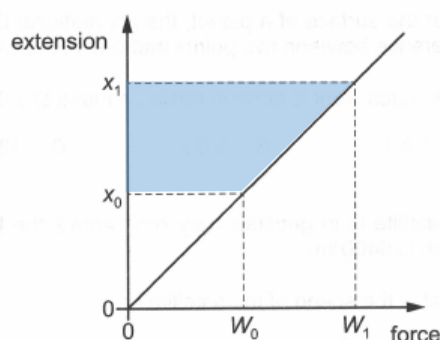
$$\begin{aligned}
 T + U &= mg \\
 0.75mg + \rho V_{\text{submerged}} g &= mg \\
 \rho V_{\text{submerged}} &= 0.25m \\
 V_{\text{submerged}} \text{ (in cm}^3\text{)} &= \frac{0.25m}{\rho} \\
 &= \frac{(0.25)(100)}{1} \\
 \frac{1}{2} V_{\text{total}} &= V_{\text{submerged}} \\
 V_{\text{total}} &= 2V_{\text{submerged}} \\
 &= 2 \frac{(0.25)(100)}{1} \\
 &= 50 \text{ cm}^3
 \end{aligned}$$

Notes: ball is only half-submerged

- 7 Always check the axis on graphs.

Area under force-extension graph gives elastic potential energy stored.

Extra potential energy is difference in "area under graph"



- 8 constant speed so zero net force
force provided by engine has same magnitude as resistive forces

$$E = Pt$$

so work with time

$$t = \frac{s}{v} = \frac{1000}{20} = 50 \text{ s}$$

$$\begin{aligned}
 P_{\text{output}} &= F_{\text{engine}} v \\
 &= |F_{\text{resistive}}| v
 \end{aligned}$$

$$\begin{aligned}
 KE &= Pt \\
 &= (|F_{\text{resistive}}| v) t
 \end{aligned}$$

$$E_{\text{fuel}} = \frac{KE}{0.16} = \frac{F_{\text{resistive}} vt}{0.16}$$

$$\begin{aligned}
 m_{\text{fuel}} &= \frac{E_{\text{fuel}}}{48 \times 10^6} = \frac{F_{\text{resistive}} vt}{48 \times 10^6} \\
 &= \frac{(400)(20)(50)}{(0.16)(48 \times 10^6)} \\
 &= 0.0052 \text{ kg}
 \end{aligned}$$

- 9 magnetic force provides centripetal force

$$\begin{aligned}
 Bqv &= mr\omega^2 \\
 Bq(r\omega) &= m r \omega^2 \\
 \frac{Bq}{m} &= \omega
 \end{aligned}$$

- 10 field strength is numerically equal to potential gradient at that point

$$|g| = \frac{d\phi}{dr} \approx \frac{6}{10} = 0.6 \text{ m s}^{-2}$$

$$\begin{aligned}
 \text{w.d.} &= Fd \\
 &= (mg)d \\
 &= (2)(0.6)(2.5) = 3.0 \text{ J}
 \end{aligned}$$

- 11 consider distance from Earth's centre

$$\begin{aligned}
 v &= r\omega = (R_E + h)\omega \\
 &= (36000 \times 10^3 + 6400 \times 10^3) \left(\frac{2\pi}{24 \times 60 \times 60} \right) \\
 &= 3100 \text{ m s}^{-1}
 \end{aligned}$$

- 12 assume ideal behaviour:

$$pV = nRT$$

$$T = \frac{pV}{nR} = \frac{(1 \times 10^5)(10 \times 3 \times 4)}{(5000)(8.31)} = 289 \text{ K}$$

$$\frac{1}{2}mv_{rms}^2 = \frac{3}{2}kT$$

$$v_{rms} = \sqrt{\frac{3kT}{m}} = \sqrt{\frac{3(1.38 \times 10^{-23})(289)}{\frac{29 \times 10^{-3}}{N_A}}} = 500 \text{ m s}^{-1}$$

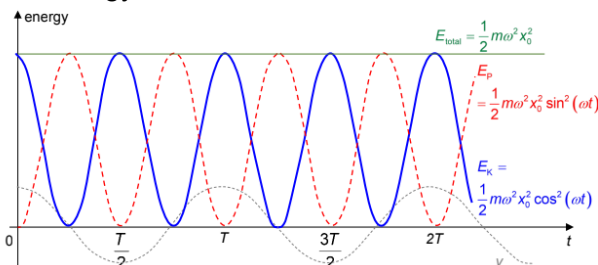
Notes: need to change molar mass into SI units of kg.

- 13 thermal energy supplied goes to (i) heat liquid water up to 100 °C then (ii) boil

$$Q = mc\Delta T + mL_{\text{vap}} = m(c\Delta T + L_{\text{vap}}) = (5.00) \left[(4190)(100 - 30) + (2260 \times 10^3) \right] = 1.28 \times 10^7 \text{ J}$$

- 14 the macroscopic "external" KE/PE does not affect internal energy (unchanged)

- 15 At max PE, KE = 0.
At max KE, PE = 0.
in simple(r) systems, by conservation of energy, PE + KE = constant total E



- 16 this works for laser light because the beam is coherent

$$v = f\lambda$$

$$\lambda = \frac{v}{f} = \frac{3 \times 10^8}{5 \times 10^{14}} = 6 \times 10^{-7} \text{ m}$$

$$\frac{\Delta\phi}{2\pi} = \frac{\Delta x}{\lambda}$$

$$\Delta\phi = 2\pi \frac{\Delta x}{\lambda} = 2\pi \frac{1.5 \times 10^{-6}}{6 \times 10^{-7}} = 5.0\pi \text{ rad} = 1.0\pi \text{ rad}$$

- 17 Malus Law for Intensity:

$$I = I_0 \cos^2 \theta$$

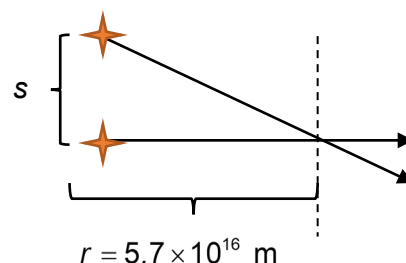
where θ is relative angle

X polarises incoming light vertically (0°)

From 45° to 90° , output intensity after rotated polarizer and before Y decreases to zero, because angle between X and rotated polarizer are 90° to each other: **(B)**

From 90° to 135° , output intensity after Y decreases to zero, because angle between rotated polarizer and Y are 90° to each other: **(B)**

- 18 sketch:



$$\frac{s}{r} \approx \frac{\lambda}{b}$$

$$s \approx r \frac{\lambda}{b} = (5.7 \times 10^{16}) \frac{620 \times 10^{-9}}{0.5} = 7.1 \times 10^{10} \text{ m}$$

19 recall definition of electric field line.

20 take ratio:

$$F_{\text{old}} = \frac{1}{4\pi\epsilon_0} \frac{Q_1 Q_2}{r^2}$$

$$\frac{F_{\text{new}}}{F_{\text{old}}} = \frac{Q_3 Q_2}{Q_1 Q_2} \left(\frac{r_{\text{old}}}{r_{\text{new}}} \right)^2$$

$$F_{\text{new}} = F_{\text{old}} \left(\frac{Q_3}{Q_1} \right) \left(\frac{r_{\text{old}}}{r_{\text{new}}} \right)^2$$

$$= (2.0) \left(\frac{2}{1} \right) \left(\frac{1}{2} \right)^2 = 1.0 \text{ N}$$

21 Identify quantity related to gradient G:

$$R = \left(\frac{\rho}{A} \right) l$$

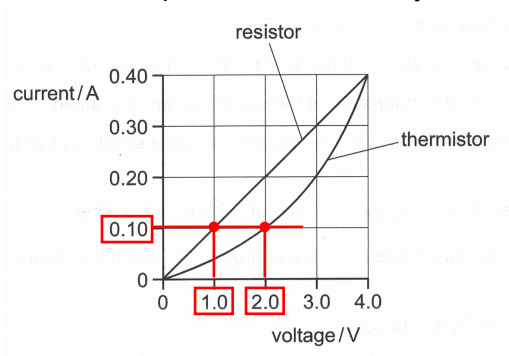
$$\text{gradient } G = \frac{\rho}{A}$$

4 wires are parallel (current “splits up” and rejoins”) so effective resistance is 1/4 original

$$R_{\text{eff}} = \frac{R}{4} = \frac{Gl}{4}$$

22 thermistor and resistor have same current flowing through them


At current = 0.1 A, total p.d. across them is 3.0 V, equal to emf of battery.



$$23 \quad P = \frac{V^2}{R}$$

for bulb to glow more, the p.d. across it must increase, then the effective resistance between it and the variable resistor in parallel must increase

by potential divider concepts,

- > LDR  must be brighter to decrease its resistance
- > thermistor must be cooler to increase its resistance and consequentially the resistance of the parallel branch comprising bulb and thermistor

24 By Right Hand Grip Rule on circular coil, B points out into plane of paper

by FLHR, upwards force on short wire

25 units of $BA = \text{T m}^2$

26 by faraday's law

$$E = -\frac{d}{dt} N\Phi$$

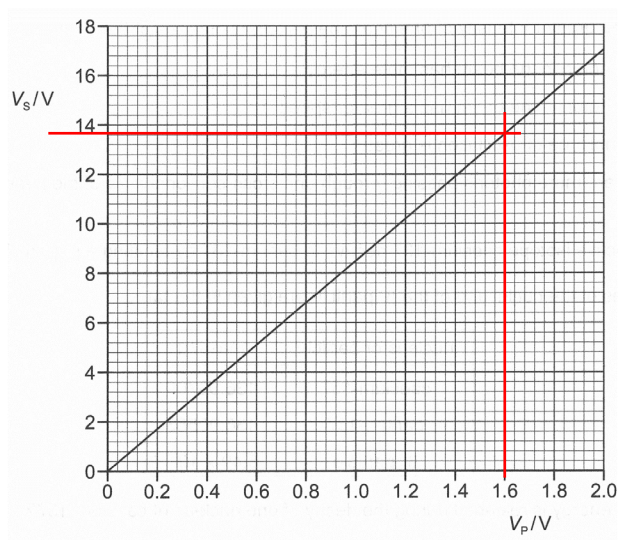
$$\approx -\frac{\Delta N\Phi}{\Delta t} = -N \frac{0 - BA}{\Delta t}$$

$$= N \frac{B(\pi r^2)}{\Delta t}$$

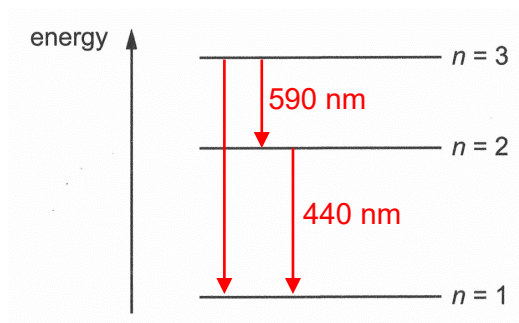
$$= (3000) \frac{(1.8) [\pi (0.01)^2]}{0.6} = 28 \text{ V}$$

27 ideal so no loss of energy

$$\begin{aligned}
 P_{\text{pri}} &= P_{\text{sec}} \\
 I_{\text{pri}} V_{\text{pri}} &= I_{\text{sec}} V_{\text{sec}} \\
 I_{\text{sec}} &= I_{\text{pri}} \left(\frac{V_{\text{pri}}}{V_{\text{sec}}} \right) \\
 &= (0.32) \left(\frac{1.6}{13.6} \right)
 \end{aligned}$$



28 visualise the 3 possible transitions. longer wavelength is lower in energy:



$$\begin{aligned}
 E_{3 \rightarrow 1} &= E_{2 \rightarrow 1} + E_{3 \rightarrow 2} \\
 \frac{hc}{\lambda} &= \frac{hc}{\lambda_{440 \text{ nm}}} + \frac{hc}{\lambda_{590 \text{ nm}}} \\
 \lambda &= \left[\frac{1}{440 \times 10^{-9}} + \frac{1}{590 \times 10^{-9}} \right]^{-1} \\
 &= 250 \text{ nm}
 \end{aligned}$$

29

$$\begin{aligned}
 I &= \frac{P}{A} = \frac{nhf}{tA} \\
 I &= \left(\frac{hf}{A} \right) \frac{n}{t}
 \end{aligned}$$

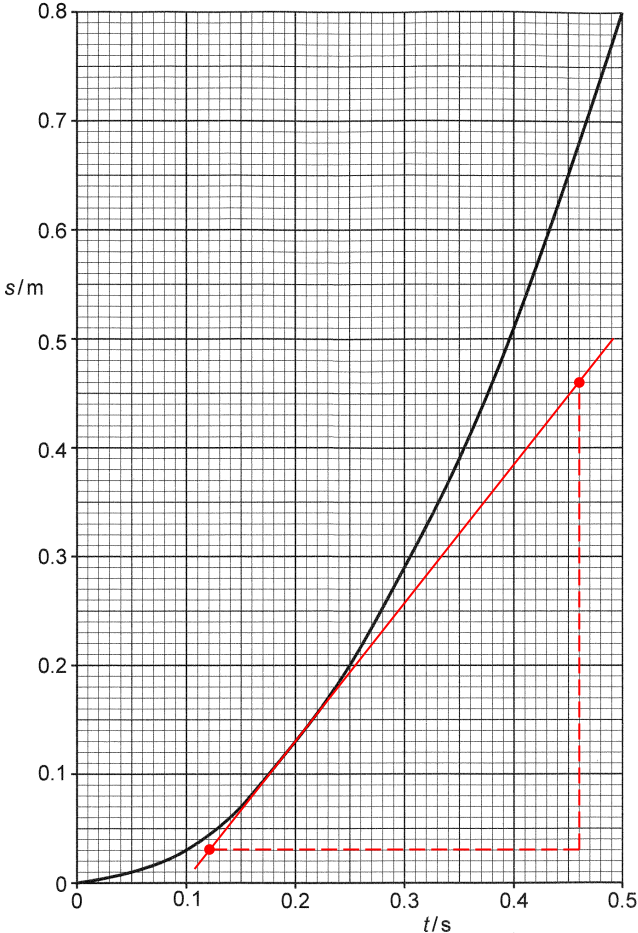
30 working with mass:

$$\begin{aligned}
 E &= (m_{\text{rxnt}} - m_{\text{pdt}}) c^2 \\
 &= (m_{\text{Ca}} - m_{\text{Ba}} - m_{\beta}) uc^2 \\
 &= 1.1 \times 10^{-13} \text{ J}
 \end{aligned}$$

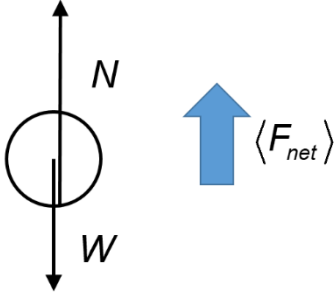
Paper 2
Structured Questions

General Notes: markers noted that higher quality responses (i) did not miss out on related elaborations, (ii) reflected common sensical logic checks e.g. whether the gravitational field strength in Q4 was of a reasonable value and (iii) demonstrated good presentation.

In the same year, markers of the H3 paper commented that strong presentation meant (i) writing out working clearly, (ii) manipulating equations via algebraic quantities for as long as reasonable and (iii) being sensitive towards s.f. considerations.

Qns		Marks
1(a)	[dxn] moves downslope [magnitude] with speed that increases at a constant rate	B1
1(b)(i)	<p>gradient of displacement-time graphs gives velocity</p>  $ \begin{aligned} \text{velocity} &\approx \frac{s_1 - s_2}{t_1 - t_2} \\ &\approx \frac{0.03 - 0.46}{0.12 - 0.46} \\ &= 1.26 \text{ m s}^{-1} \end{aligned} $	<p>B1</p> <p>B1</p>

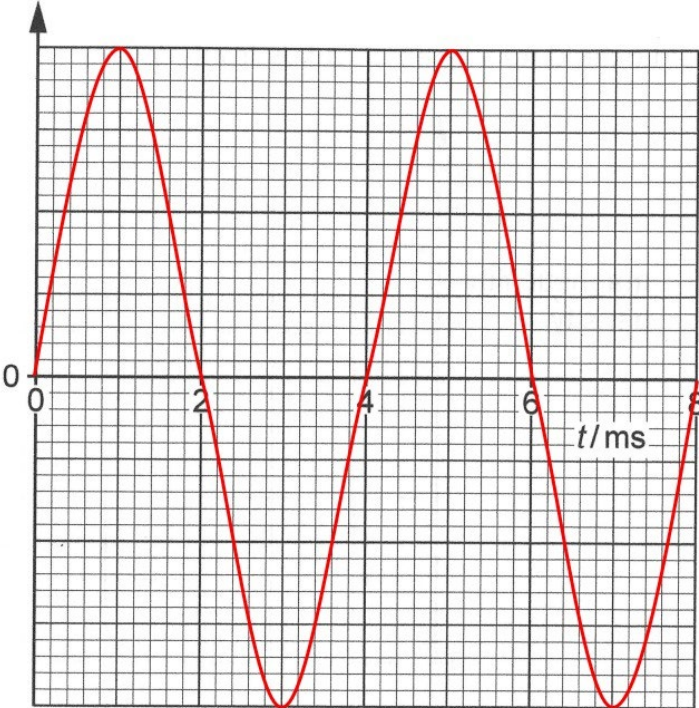
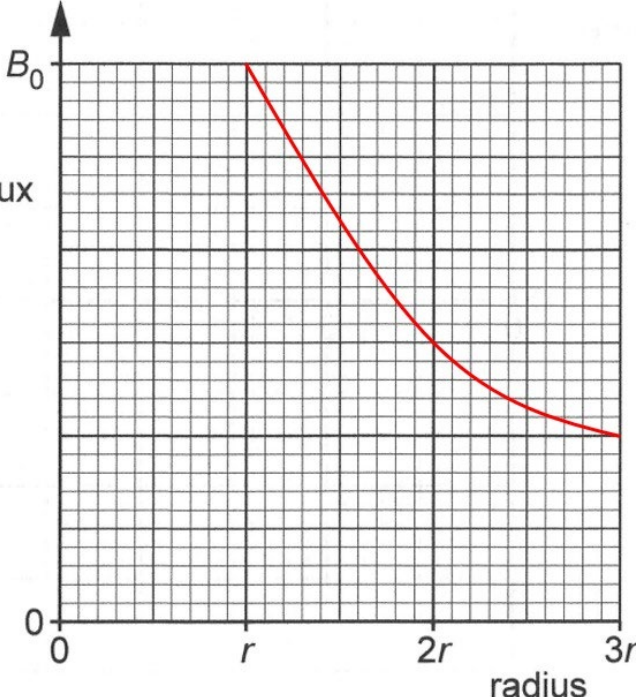
Qns		Marks
1(b)(ii)	$v^2 = u^2 + 2as$ $1.26^2 = 0 + 2a \times 0.130$ $a = 6.15 \text{ m s}^{-2}$ <p>OR</p> $v = u + at$ $1.26 = 0 + 0.200a$ $a = \frac{1.26}{0.200} = 6.32 \text{ m s}^{-2}$ <p>Note: The formula is chosen such that v calculated in the previous part is used, as required by question.</p>	<p>M1</p> <p>A1</p>

Qns		Marks
2(a)	$KE = \frac{p^2}{2m}$ $= \frac{3.20^2}{2(0.62)}$ $= 8.26 \text{ J}$	C1 C1 A1
2(b)	<p>Taking downwards as positive,</p> $\Delta p = p_f - p_i$ $= -1.80 - 3.20$ $= -5.00 \text{ N s}$ $\Delta t = 0.68 - 0.53$ $= 0.15 \text{ s}$ <p>By N2L:</p> $\langle F_{\text{net}} \rangle = \frac{\Delta p}{\Delta t} = \frac{-5.00}{0.15} = -33.3 \text{ N}$ $\langle F_{\text{net}} \rangle = N - W$ $N = 33.3 + 0.62(9.81)$ $= 39.4 \text{ N}$ <p>Average force will be 39.4 N, upwards.</p> <p>Note: commonly made error was missing out on change in direction</p> 	C1 C1 M1 A1
2(c)	$KE \text{ upon bouncing} = \frac{p^2}{2m}$ $= \frac{(-1.8)^2}{2(0.62)}$ $= 2.61 \text{ J}$ $\text{Fraction of energy left after each bounce} = \frac{(2.61)}{(8.26)} = 0.316$ <p>Let n be the number of bounces:</p> $(0.316)^n E_0 \leq 0.05 E_0$ $n \geq 2.6$ $n = 3$ <p>Note: don't leave out first bounce</p>	M1 M1 A1

Qns		Marks
3(a)	<p>By Principle of Moments, take moments about Q, sum of clockwise moments = sum of anticlockwise moments</p> $F\left(\frac{2}{3}PQ\right)\sin(43^\circ) = W\left(\frac{1}{2}PQ\right)\cos(58^\circ)$ $F\left(\frac{2}{3}PQ\right)\sin(43^\circ) = (2.3)(9.81)\left(\frac{1}{2}PQ\right)\cos(58^\circ)$ $F = 13.1 \text{ N}$ <p>Note: resolving forces F and W may be challenging</p>	<p>C1</p> <p>C1</p> <p>A1</p>
3(b)	<p>sign is in equilibrium, sum of all forces acting on the sign must be zero.</p> <p>[horizontal] force F has horizontal component acting on PQ to the right, so there must exist a horizontal force acting to the left by surface at Q.</p> <p>[vertical] there exists some upwards force at Q which adds to the upward component of force F to result in an upwards force of same magnitude as weight of PQ acting downwards</p> <p>vector addition of forces at Q is not vertical but is angled to the left.</p> <p>Note: this is the last part in a question, the intent is likely to differentiate the strong candidates and hence answers may need to be more elaborated. In particular, markers noted that stopping the discussion at just the horizontal components was insufficient.</p>	<p>B1</p> <p>B1</p>

Qns		Marks
4(a)	<p>Using Newton's Law of Gravitation,</p> $F_G = \frac{GMm}{r^2}$ <p>As gravitational field strength is defined as gravitational force per unit mass placed at that point,</p> $g = \frac{F_G}{m}$ $= \frac{\left(\frac{GM\cancel{m}}{r^2}\right)}{\cancel{m}}$ $= \frac{GM}{r^2}$ <p>Note: whole derivation starting from Newton's Law of Gravitation is needed.</p>	B1
4(b)	<p>gravitational force provides centripetal force</p> $G \frac{M\cancel{m}}{r^2} = \cancel{m} r \omega^2$ $GM = r^3 \left(\frac{2\pi}{T}\right)^2$ $r = \sqrt[3]{\frac{GMT^2}{4\pi^2}} = 7.61 \times 10^6 \text{ m}$ $g = \frac{GM}{r^2} = \frac{(6.67 \times 10^{-11})(6.0 \times 10^{24})}{(7.61 \times 10^6)^2}$ $= 6.90 \text{ N kg}^{-1}$	B1 C1 C1 A1
4(c)	<p>acceleration = <i>net force / mass</i>,</p> <p>field strength = <i>gravitational force / mass</i>,</p> <p>gravitational force is the net force</p> <p>Note: markers are looking out for the linkage between definition of <i>g</i> and what is meant by "acceleration of free fall".</p>	B1 B1 B1

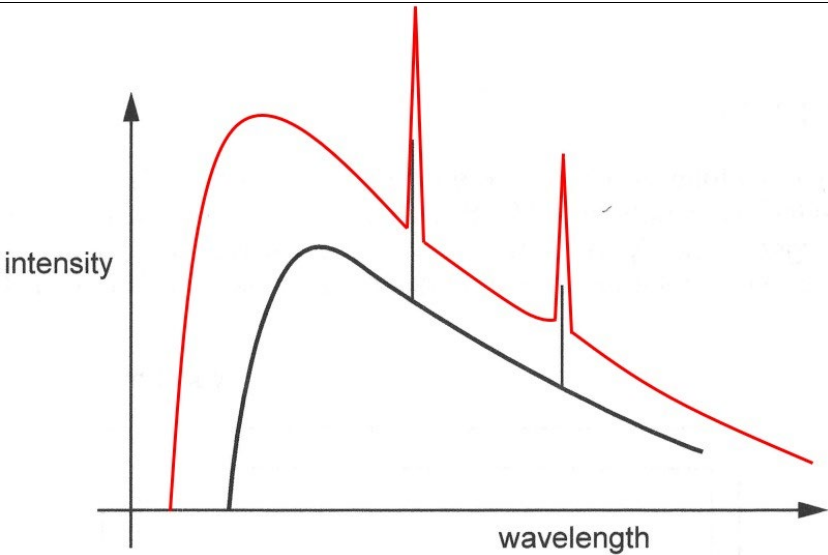
Qns		Marks
5(a)	<div data-bbox="311 212 1173 1019" data-label="Figure"> </div> <div data-bbox="303 1052 654 1131" data-label="Equation-Block"> $\lambda_{\text{original wave}} = \frac{v}{f} = \frac{340}{1700} = 0.2$ </div> <div data-bbox="295 1131 1284 1176" data-label="Text"> <p>distance between adjacent nodes or adjacent anti-nodes is half-wavelength</p> </div> <div data-bbox="295 1232 933 1265" data-label="Text"> <p>0 intensity at 0.0 m, 0.1 m, 0.2 m, 0.3 m, 0.4 m.</p> </div> <div data-bbox="295 1265 941 1310" data-label="Text"> <p>Max intensity at 0.05 m, 0.15 m, 0.25 m, 0.35 m.</p> </div> <div data-bbox="295 1299 566 1344" data-label="Text"> <p>Sine-squared curve</p> </div> <div data-bbox="295 1366 1324 1444" data-label="Text"> <p>Note: shape of sine-squared curve needs to be correct. Intensity logically cannot be negative.</p> </div>	<div data-bbox="1364 1220 1420 1332" data-label="Text"> <p>B1 B1 B1</p> </div>

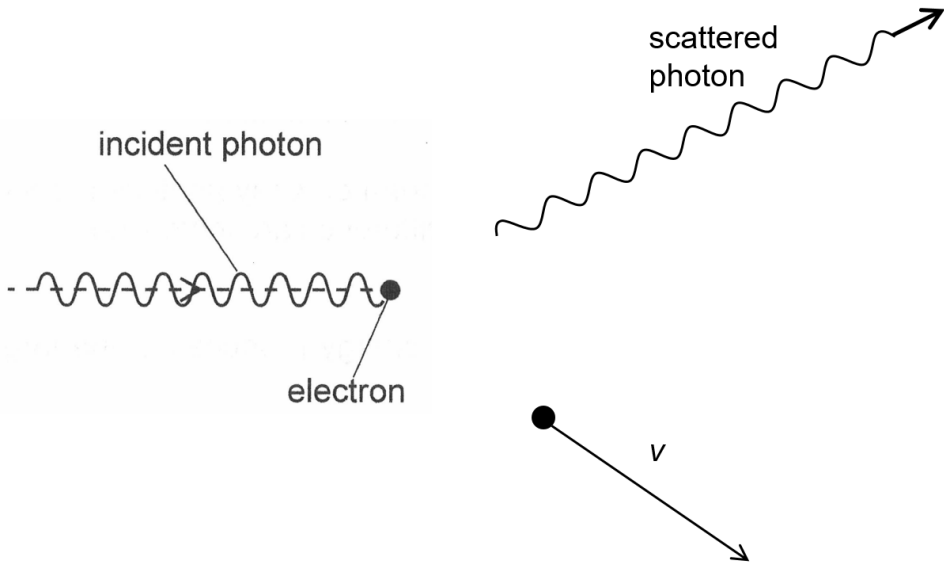
Qns		Marks
5(b)	<p data-bbox="304 331 432 365">pressure</p>  <p data-bbox="304 931 520 987">sinusoidal graph period = 4 ms</p>	B1 B1
5(c)	<p data-bbox="304 1171 520 1249">magnetic flux density</p>  <p data-bbox="304 1715 1150 1783">for flat circular coil, $B = \left(\frac{\mu_0 NI}{2}\right) \frac{1}{r}$ so shape follows $y = \frac{k}{x}$ shape</p> <p data-bbox="304 1827 839 1861">[general shape] curve concaves upwards</p> <p data-bbox="304 1895 1318 1962">[accuracy of relationship] graph cuts through points (r, B_0), $(2r, 0.5B_0)$ and $(3r, 0.33B_0)$</p> <p data-bbox="304 1962 799 1989">[1 mark if only cuts through 2 of them]</p>	B1 B2

Qns		Marks
6(a)(i)	$V_{\text{lamp}} = IR = (0.30)(5.0) = 1.5 \text{ V}$ <p>p.d. across $3.0 \Omega = 6.0 - 1.5 = 4.5 \text{ V}$</p> $\text{current in } 3.0 \Omega = \frac{4.5}{3.0} = 1.5 \text{ A}$ $I_R = 1.5 - 0.3 = 1.2 \text{ A}$ $R = \frac{V_R}{I_R} = \frac{1.5}{1.2} = 1.25 \Omega$	M1 M1 A1
6(a)(ii)	$P = IV$ $\frac{P_{\text{lamp}}}{P_{\text{supply}}} = \frac{I_{\text{lamp}} V_{\text{lamp}}}{I_{\text{emf}} (\text{e.m.f})} = \frac{(0.3)(1.5)}{(1.5)(6.0)}$ <p>take same ratio :</p> $E_{\text{lamp}} = \frac{(0.3)(1.5)}{(1.5)(6.0)} (120) = 6.0 \text{ J}$	M1 M1 A1
6(a)(iii)	<p>When first switched on, filament is cool and resistance of filament was minimum. for the same p.d. applied across filament, current is greatest initially</p> <p>as resistance of filament increases with temperature, continued operation increases resistance and results in decreasing current</p> <p>Note: when answering physics, state the changes e.g. before and after, initially and later, from what type of energy to what other type of energy etc. in this case, need to discuss what causes current to decrease after initial switch-on</p>	B1 B1
6(b)	<p>wires are connected in series, $I_X = I_Y$.</p> $\frac{I_Y}{I_X} = \frac{n_Y A_Y v_{d,Y} q}{n_X A_X v_{d,X} q}$ $1 = \left(\frac{n_Y}{n_X} \right) \left(\frac{\cancel{A} r_Y^2}{\cancel{A} r_X^2} \right) \left(\frac{v_{d,Y}}{v_{d,X}} \right)$ $= \left(\frac{n_Y}{n_X} \right) (2)^2 \left(\frac{1}{3} \right)$ $= \left(\frac{n_Y}{n_X} \right) \left(\frac{4}{3} \right)$ $\left(\frac{n_Y}{n_X} \right) = 0.75$	M1 M1 A1

Qns		Marks
7(a)	<p><u>Charge distribution</u></p> <p>a very small proportion of positively-charged alpha particles (about 1 out of 8000) deflected more than 90°</p> <p>suggests that nucleus is positively-charged but only exerts significant electrostatic repulsion on alpha particles that pass near nucleus</p> <p><u>Mass distribution</u></p> <p>majority of alpha particles passes through undeflected because they were sufficiently far enough from nucleus and experienced negligible electrostatic repulsion</p> <p>most of atom is empty space and volume occupied by nucleus is very small compared to volume of atom</p>	<p>B1</p> <p>B1</p> <p>B1</p> <p>B1</p>
7(b)	<p>by principle of conservation of energy, at closest approach, initial KE of an alpha particle totally converted into electric PE between alpha and nucleus</p> $(5.59 \times 10^6) e = \frac{Q_\alpha Q_{\text{nucleus}}}{4\pi\epsilon_0 r}$ $r = \frac{Q_\alpha Q_{\text{nucleus}}}{4\pi\epsilon_0 (5.59 \times 10^6) e}$ $= \frac{(2e)(79e)}{4\pi\epsilon_0 (5.59 \times 10^6) e} = \frac{79(1.6 \times 10^{-19})}{2\pi (5.59 \times 10^6) \left(\frac{1}{36\pi} \times 10^{-9}\right)}$ $= 4.07 \times 10^{-14} \text{ m}$	<p>C1</p> <p>C1</p> <p>A1</p>

[illegible]

Qns		Marks
8(a)	accelerated electrons do not lose energy from colliding with air particles	B1
8(b)	 <p>shorter minimum wavelength higher intensity position of characteristic peaks remain the same</p>	B1 B1 B1
8(c)(i)	$E_{\text{total}} = Q\Delta V$ $= (It)\Delta V$ <p>thermal energy = $(0.99)(It)\Delta V$</p> $= (0.99)((0.12)(1.1))(65 \times 10^3)$ $= 8490 \text{ J}$	C1 A1
8(c)(ii)	$Q = mc\Delta T$ $\Delta T = \frac{Q}{mc}$ $= \frac{8490}{(12 \times 10^{-3})(130)}$ $= 5440 \text{ K}$	C1 A1
8(c)(iii)	<p>To <u>prevent melting/ overheating</u> of <u>any one part</u> of the tungsten target <u>at any time</u></p> <p>as a rise of 5440 K will cause temperature to be higher than melting point of tungsten</p>	B1

Qns		Marks
8(d)(i)	 <p>[vertical] opposite in direction [horizontal] both to the right</p>	B1 B1
8(d)(ii)	some energy of photon transferred to electron and so scattered photon has less energy, correspondingly longer wavelength.	A0 M1
8(d)(iii)	<p>[magnitude] image has <u>poorer contrast</u> between regions of high X-ray exposure and attenuated X-ray due to Compton scattering</p> <p>[direction] image looks out of focus / blur because transmitted X-ray photons scattered and so deviates from original path of incident X-ray photon</p>	B1 B1
8(e)	<p>attenuation = kZ^3 where k is a proportionality constant</p> $\frac{\text{attenuation of X-rays in bone}}{\text{attenuation of X-rays in soft tissue}} = \frac{k(14)^3}{k(7)^3} = 8$	A1
8(f)	<p>let intensity be I and initial maximum intensity be I_0 at $x_{1/2}$, $I = 0.5 I_0$</p> $I = I_0 e^{-\mu x}$ $\frac{I}{I_0} = 0.5 = e^{-\mu x_{1/2}}$ $-\ln 2 = -\mu x_{1/2}$ $x_{1/2} = \frac{\ln 2}{\mu}$	M1 A1
8(g)	<p>X-ray photons are highly energetic and is <u>ionizing radiation</u>, which can result in tissue damage at a cellular level.</p> <p>patient receives <u>less dosage</u> of X-rays with a more sensitive detector</p>	B1

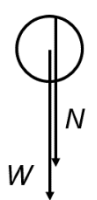
Qns		Marks
8(h)	digestive system is made of soft tissue similar to other parts of the body in the same abdominal region. will exhibit similar attenuation of X-rays in the region, results in lack of contrast around digestive system.	B1
	Barium has a high Z number of 56 compared to the soft tissue and bones. Presence of barium in digestive system results in high attenuation of X-rays, and gives difference in X-ray intensity reaching detector, allowing digestive system to be contrasted in the image.	B1
8(i)	Longer and more exposure to X ray doses per procedure for CT scan as more 'images' needs to be taken to form the 3D image.	B1
	OR	B1
	Image may not be that clear as more exposure means intensity of X-ray used per image needs to be lowered to prevent overdosing.	(B1) (B1)

Paper 3
Longer Structured Questions

General Notes: strong candidates were good with manipulating expressions before giving numerical answers. However, there was widespread demonstration of poorer manipulation skills in Q1(a)(i).

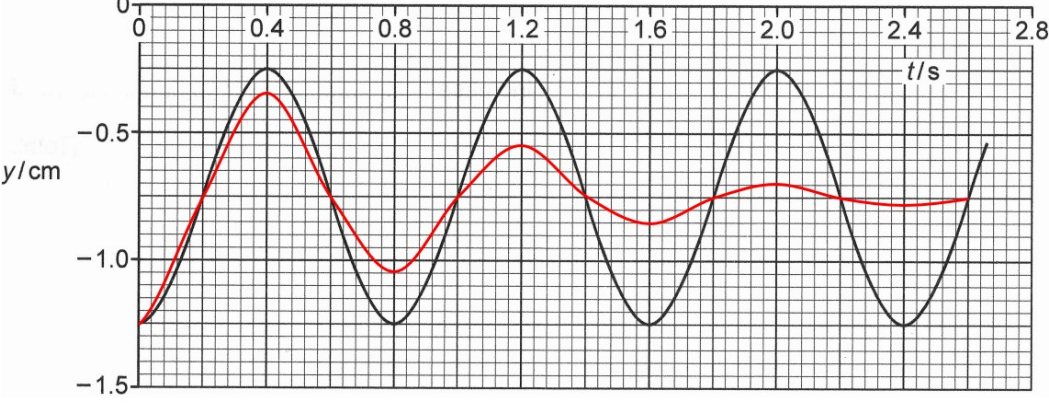
Candidates did not work well with drawing tangents, which occurred two times in this paper.

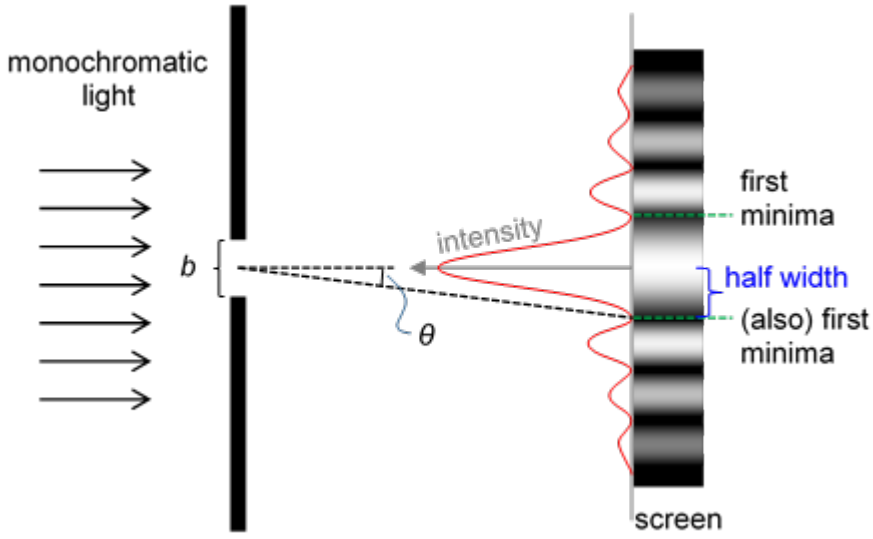
Candidates in general, were lacking in responding to explanation-type questions.

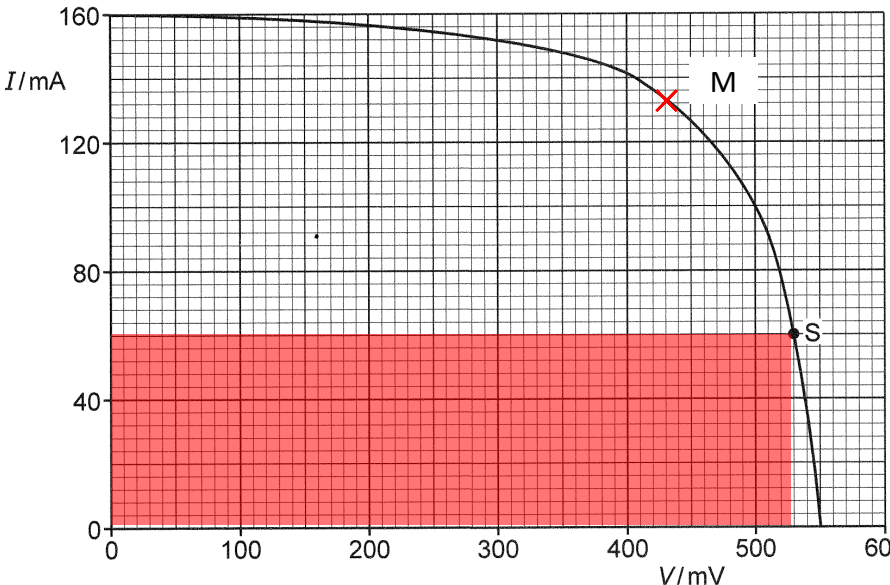
Qns		Marks
1(a)(i)	acceleration of ball down slope $= g \sin(\theta)$ $= (9.81) \sin(40^\circ)$ $= 6.31 \text{ m s}^{-2}$ Notes: need to do a logic check that the acceleration does not exceed that of free fall. a useful technique is to consider logical extremes of the angle; acceleration should be zero when angle is zero.	C1 A1
1(a)(ii)	$v^2 = u^2 + 2as$ $v^2 = (0)^2 + 2(6.31)(0.56)$ $v = 2.66 \text{ m s}^{-1}$ Notes: question stated to use the answer in (a)(i). Therefore, no credits for other methods such as conservation of energy.	M1 A1
1(b)(i)	$F = \frac{mv^2}{r}$ $= \frac{(0.072)(1.5)^2}{(0.24 \div 2)}$ $= 1.35 \text{ N}$	C1 A1
1(b)(ii)	net force from vector addition of normal contact force and weight provides centripetal force $F_c = W + N$ $N = F_c - W$ $= 1.35 - (0.072)(9.81)$ $= 0.644 \text{ N, vertically downwards}$ <div style="text-align: right;">  </div>	B1 C1 A1

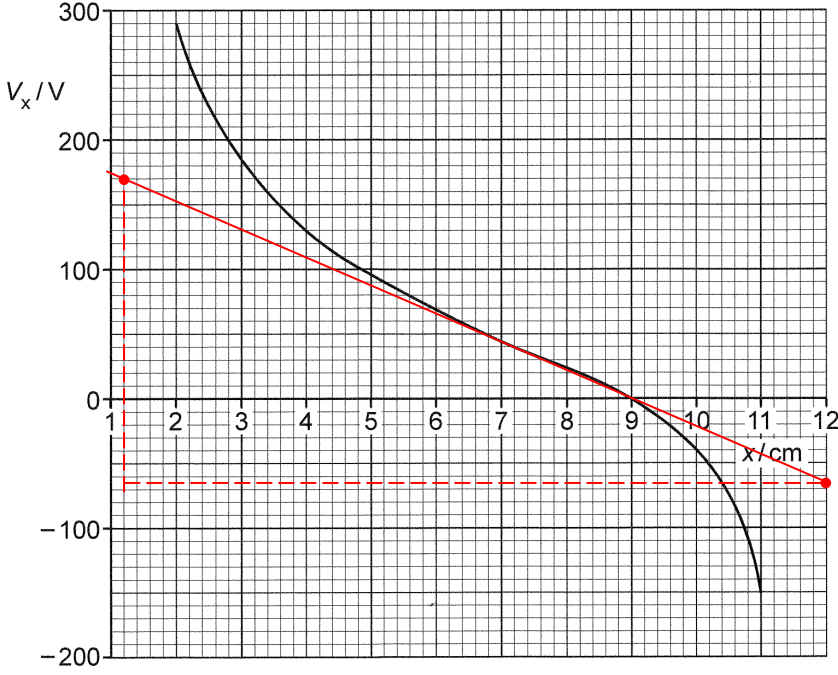
Qns		Marks
2(a)	gravitational force is attractive	B1
	gravitational potential at infinity is zero	B1
	decrease in potential energy as masses approach (or displacement and force in opposite directions)	B1
2(b)(i)	$\phi = -\frac{GM}{r}$ $= -\frac{(6.67 \times 10^{-11})(6.2 \times 10^{23})}{(3.4 \times 10^3 \times 10^3)}$ $= -1.22 \times 10^7 \text{ J kg}^{-1}$	A1
2(b)(ii)	<p>minimum total energy stone needs to possess to reach infinity = 0 J</p> <p>Total energy of stone = GPE + KE</p> $= m\phi + \frac{1}{2}mv^2$ $= (2.8)(-1.22 \times 10^7) + (0.5)(2.8)(3.8 \times 10^3)^2$ $= -1.38 \times 10^7 \text{ J}$ <p>Since total energy of stone is smaller than 0. The stone will return to the surface.</p>	<p>B1</p> <p>C1 A1</p>

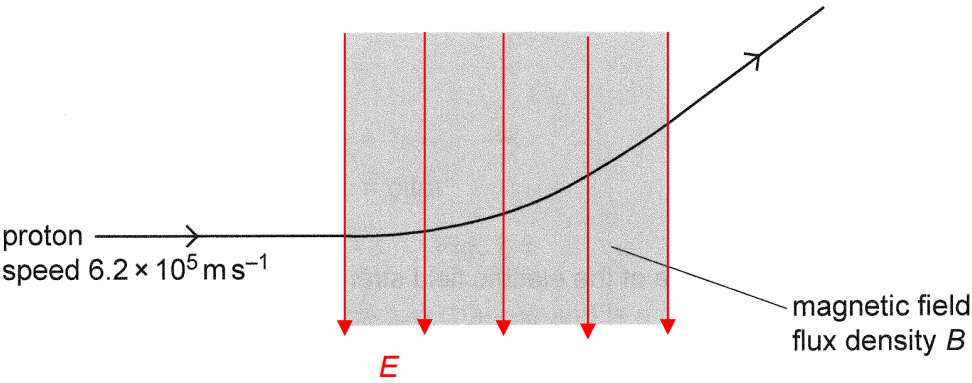
Qns		Marks
3(a)	<p>[definition of internal energy] <u>sum</u> of kinetic energy due to random motion of a distribution of particles and potential energies due to intermolecular forces between the particles.</p> <p>[apply specifically to ideal gas] in an ideal gas, no exert intermolecular forces between particles, internal energy solely the <u>sum</u> of kinetic energy due to random motion of the gas particles.</p> <p>Notes: some candidates mistakenly left out the idea of “sum”</p>	<p>B1</p> <p>B1</p>
3(b)(i)	$pV = nRT$ $\frac{p}{nR} = \frac{V}{T} = \text{constant}$ $\frac{V_{\text{old}}}{T_{\text{old}}} = \frac{V_{\text{new}}}{T_{\text{new}}}$ $T_{\text{new}} = \frac{V_{\text{new}}}{V_{\text{old}}} T_{\text{old}} = \left(\frac{3.6}{3.2}\right)(273.15 + 12)$ $= 321 \text{ K} = 47.6 \text{ }^{\circ}\text{C}$	<p>C1</p> <p>A1</p>
3(b)(ii)	<p>w.d. against atmosphere = w.d. by gas = -w.d. on gas = $+p(V_{\text{final}} - V_{\text{initial}})$ = $+(1.0 \times 10^5)((3.6 - 3.2) \times 10^{-3})$ = +40 J</p>	<p>C1</p> <p>A1</p>
3(c)(i)	<p>1st Law of thermodynamics, $\Delta U = Q_{\text{to}} + W_{\text{on}}$ = $101 + (-40)$ = +61 J</p>	<p>A1</p>
3(c)(ii)	<p>no microscopic PE in ideal gas so all increase in internal energy went into increase total microscopic KE</p> $\text{avg increase in KE} = \frac{61}{N} = \frac{61}{\frac{pV}{kT}}$ $= 61 \frac{(1.38 \times 10^{-23})(12 + 273.15)}{(1.0 \times 10^5)(3.2 \times 10^{-3})}$ $= 7.50 \times 10^{-22} \text{ J}$ <p>Notes: not advisable to use $\frac{\Delta U}{N} = \frac{3}{2} k \Delta T$ because there is assumption of gas being monoatomic ideal gas which is not stated in the question.</p>	<p>C1</p> <p>M1</p> <p>A1</p>

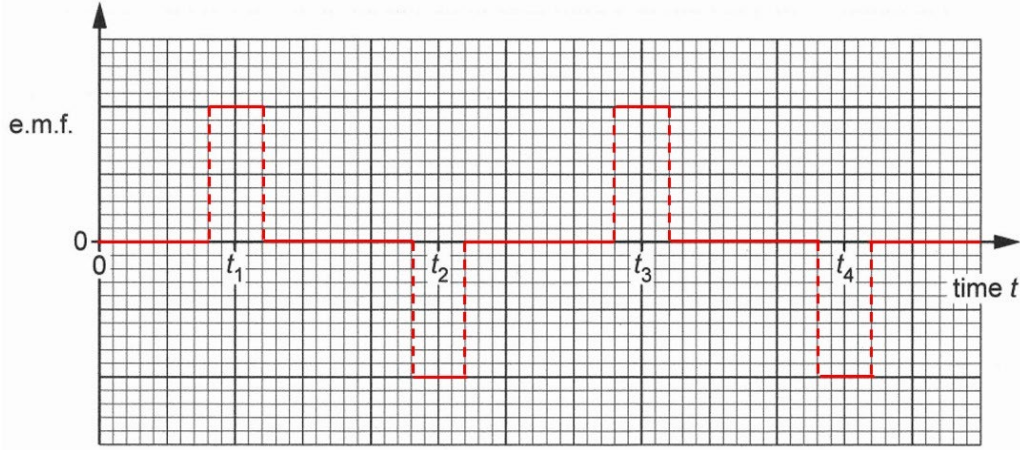
Qns		Marks
4(a)(i)	$x_0 = [-0.25 - (-1.25)] \div 2 = 0.50 \text{ cm}$ Notes: candidates who gave the answer as 0.5 cm were penalized for insufficient s.f./d.p..	A1
4(a)(ii)	$T = \frac{2.4}{3} = 0.8 \text{ s}$ $\omega = \frac{2\pi}{T} = \frac{2\pi}{0.8} = 7.85 \text{ rad s}^{-1}$ Notes: idea of taking average across multiple oscillations needs to be demonstrated.	M1 A1
4(a)(iii)	$v = \pm \omega \sqrt{x_0^2 - x^2}$ $v_0 = (7.85) \sqrt{0.5^2 - 0.0^2}$ $= 3.93 \text{ cm s}^{-1}$	C1 A1
4(b)	 <p>sinusoidal wave with decreasing amplitude start from same point at $t = 0$ period remains relatively constant (light damping)</p>	B1 B1 B1

Qns		Marks
5(a)	<p><u>spreading of a wave (into geometric shadow) when it passes through a slit or around an edge of an obstacle</u></p> <p>Notes: cannot be confused by gaps and obstacles, need to use proper language, e.g. a wave cannot pass <i>through</i> an obstacle</p>	B1 B1
5(b)(i)	<p>single slit diffraction:</p> $\sin \theta = \frac{\lambda}{b} \approx \frac{\frac{1}{2}(\text{width})}{D}$ $\text{width} = \frac{2D\lambda}{b}$ $= \frac{2(2.6)(590 \times 10^{-9})}{0.100 \times 10^{-3}}$ $= 0.0307 \text{ m}$ 	C1 C1 A1
5(b)(ii)	<p>fringe separation due to double-slit:</p> $x = \frac{\lambda D}{a}$ $= \frac{(590 \times 10^{-9})(2.6)}{0.100 \times 10^{-3}}$ <p>number of fringes that can fit inside width of single-slit central fringe:</p> $\frac{(\text{width})}{\left(\frac{\lambda D}{a}\right)} = \frac{a(\text{width})}{\lambda D} = \frac{a \left(\frac{2D\lambda}{b} \right)}{\lambda D} = \frac{2a}{b} = \frac{(2)(1.40)}{0.100} = 28$	C1 C1 A1

Qns		Marks																														
6(a)(i)	 <p>rectangle shaded. correct region shaded.</p>	B1 B1																														
6(a)(ii)	<p>want largest area of rectangle; M is on graph with V between 420 mV to 440 mV.</p> <table border="1" data-bbox="284 1019 853 1366"> <thead> <tr> <th>V / mV</th><th>I / mA</th><th>P / μW</th></tr> </thead> <tbody> <tr><td>390</td><td>143</td><td>55770</td></tr> <tr><td>400</td><td>142</td><td>56800</td></tr> <tr><td>410</td><td>138</td><td>56580</td></tr> <tr><td>420</td><td>136</td><td>57120</td></tr> <tr><td>430</td><td>134</td><td>57620</td></tr> <tr><td>440</td><td>130</td><td>57200</td></tr> <tr><td>450</td><td>126</td><td>56700</td></tr> <tr><td>460</td><td>122</td><td>56120</td></tr> <tr><td>470</td><td>118</td><td>55460</td></tr> </tbody> </table>	V / mV	I / mA	P / μ W	390	143	55770	400	142	56800	410	138	56580	420	136	57120	430	134	57620	440	130	57200	450	126	56700	460	122	56120	470	118	55460	A1
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6(b)(i)	<p>$V = IR$, $R = \frac{V}{I} = \frac{500 \times 10^{-3}}{100 \times 10^{-3}} = 5.00 \Omega$</p>	C1 A1																														
6(b)(ii)	<p>$P = IV = (100 \times 10^{-3})(500 \times 10^{-3})$ $= 0.0500 \text{ W}$</p>	C1 A1																														
6(b)(iii)	<p>e.m.f. is 550 mV when current is zero</p> $V_{\text{terminal}} = \text{emf} - Ir$ $r = \frac{\text{emf} - V_{\text{terminal}}}{I}$ $= \frac{(550 - 500) \times 10^{-3}}{100 \times 10^{-3}}$ $= 0.500 \Omega$ <p>Notes: cannot apply maximum power theorem here because it is not maximum power for current = 100 mA</p>	M1 A1																														

Qns		Marks
7(a)	<p>similarity: Both potentials are inversely proportional to the distance from the source.</p> <p>difference: Electric potential can be either positive or negative but gravitational potential is always negative.</p>	B1 B1
7(b)(i)	<p>opposite charge as potential is positive when distance x is between 0 cm and 9 cm and is negative when x is more than 9 cm</p> <p>Notes: need to mention both positive and negative portions of the graph</p>	B1
7(b)(ii)	$V = \frac{1}{4\pi\epsilon_0} \frac{Q}{r}$ <p>at $x = 9.0$, $V_{\text{resultant}} = 0$</p> $ V_A = V_B $ $\left(\frac{1}{4\pi\epsilon_0}\right) \frac{Q_A}{9 \times 10^{-2}} = \left(\frac{1}{4\pi\epsilon_0}\right) \frac{Q_B}{(12-9) \times 10^{-2}}$ $\frac{Q_A}{Q_B} = \frac{9}{3} = 3.0$	M1 M1 A1
7(b)(iii)	 <p>electric field strength is numerically equal to potential gradient that point and acts in the direction of decreasing potential</p> $\text{gradient} = \frac{y_1 - y_2}{x_1 - x_2} = \frac{170 - (-65)}{(1.2 - 12) \times 10^{-2}} = -2180$ $E = -\frac{dV}{dr} = 2180 \text{ N C}^{-1}, \text{towards B}$ <p>Notes: accepted range is $2100 \pm 100 \text{ N C}^{-1}$</p>	C1 M1 A1

Qns		Marks
8(a)	<p>Magnetic flux density B is <u>the force acting per unit current per unit length on a wire</u> carrying a current that is <u>normal to the magnetic field</u>.</p> <p>Notes: marks are lost if it is stated as "unit current" instead of "<u>per unit current</u>"</p>	B1 B1 B1
8(b)(i)	<p>magnetic force that provides centripetal force on proton is always normal to velocity</p> <p>no displacement in direction of force so no work done, therefore no change in kinetic energy of proton so speed remains constant</p> <p>proton trace out a path that is an arc of a circle.</p>	B1 B1 A0
8(b)(ii)	<p>magnetic force provides for centripetal force</p> $F_B = F_C$ $Bq\cancel{v} \sin\theta = \frac{mv^2}{r}$ $B(1.60 \times 10^{-19})(6.2 \times 10^5) \sin(90^\circ) = \frac{(1.67 \times 10^{-27})(6.2 \times 10^5)^2}{7.6 \times 10^{-2}}$ $B = \frac{mv}{qr (\sin \theta)} = \frac{(1.67 \times 10^{-27})(6.2 \times 10^5)}{(1.6 \times 10^{-19})(7.6 \times 10^{-2})(\sin 90^\circ)}$ $= 8.51 \times 10^{-2} \text{ T}$	M1 A1
8(c)(i)	 <p>proton speed $6.2 \times 10^5 \text{ m s}^{-1}$</p> <p>magnetic field flux density B</p> <p>E</p>	
8(c)(ii)	<p>For the proton to be undeviated, $F_{\text{net}} = 0 \text{ N}$</p> $ F_E = F_B $ $\cancel{q}E = B\cancel{q}v$ $E = Bv = (8.51 \times 10^{-2})(6.2 \times 10^5)$ $= 52800 \text{ V m}^{-1}$	M1 A1
8(d)(i)	$B_{\text{rms}} = \frac{B_0}{\sqrt{2}} = \frac{6.4 \times 10^{-3}}{\sqrt{2}} = 4.53 \times 10^{-3} \text{ T}$	A1
8(d)(ii)	<p>1 ms , 4 ms, 7 ms, 10 ms, 13 ms (any 2; one mark each)</p>	B1 B1

Qns		Marks
8(f)	 <p>zero when flux is a horizontal line in Fig. 8.4. positive e.m.f. when gradient of graph in Fig. 8.4 is negative negative e.m.f. when gradient of graph in Fig. 8.4 is positive constant e.m.f. induced shown by horizontal line in Fig. 8.5</p>	<p>B1 B1 B1 B1</p>

Qns		Marks
9(a)(i)1. 9(a)(i)2.	Any 2 points from: (max) energy of emitted electrons depends on frequency (max) energy of emitted electrons does not depend on intensity rate of emission of electrons depends on intensity (at constant frequency) existence of frequency below which no emission of electrons instantaneous emission of electrons increasing the frequency at constant intensity decreases the rate of emission of electrons	B1 B1
9(a)(ii)	each coloured line corresponds to one wavelength/frequency energy = Planck constant × frequency each wavelength is associated with a discrete change in energy discrete energy change implies discrete levels	B1 B1 B1
9(b)(i)	$E = hf = \frac{hc}{\lambda}$ $= \frac{(6.63 \times 10^{-34})(3.00 \times 10^8)}{340 \times 10^{-9}}$ $= 5.85 \times 10^{-19} \text{ J}$ $= 3.66 \text{ eV}$	C1 C1 A1
9(b)(ii)	Photon of purple light has the shortest wavelength and highest energy in the visible light spectrum. All possible de-excitations of electrons to the -13.6 eV energy level is already more energetic than photon of purple light of 3.66 eV. This will result in photons of more energy and therefore shorter wavelength; and the human eye is unable to see such ultraviolet or more energetic electromagnetic radiation.	B1 B1
9(c)(i)	probability of decay in 1 day is also known as decay constant $t_{1/2} = \frac{\ln 2}{\lambda}$ $\lambda = \frac{\ln 2}{53} = 1.31 \times 10^{-2} \text{ day}^{-1}$	A1

