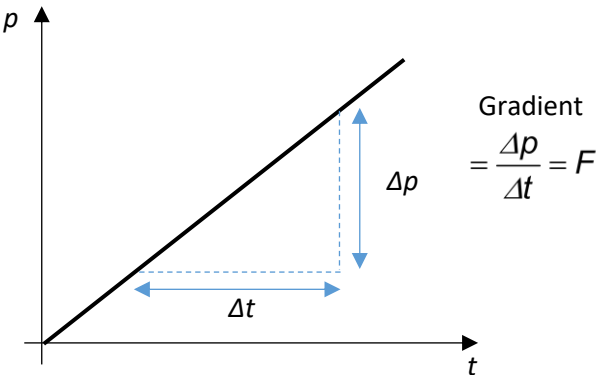
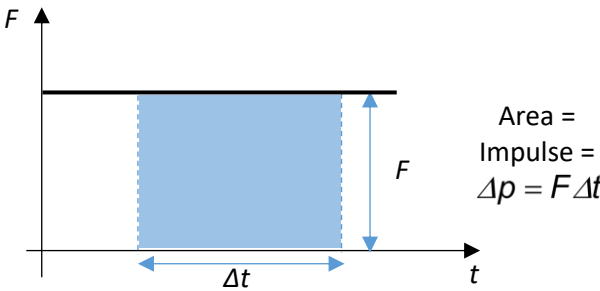


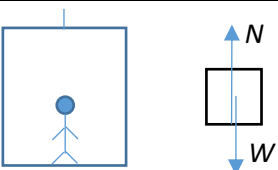
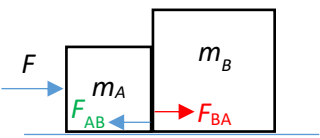
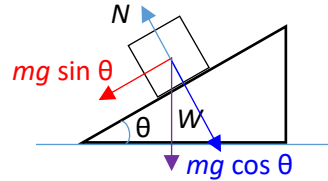
## Dynamics

**Newton's 1<sup>st</sup> Law of Motion** – A body at rest will remain as rest and a body in motion will continue in motion at constant velocity unless a net force acts on it.

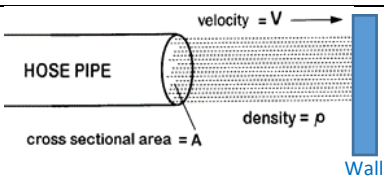
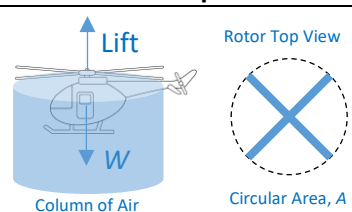
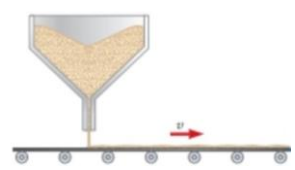
**Newton's 2<sup>nd</sup> Law of Motion** – Rate of change of momentum of a body is proportional to the net force acting on it and the direction of momentum change is in the direction of the net force.

Equations	Graphs
<p>Net force,</p> $\sum F = \frac{dp}{dt}$ <p>As Momentum,</p> $p = mv,$ $\sum F = \frac{d(mv)}{dt}$ $\sum F = m \frac{dv}{dt} + v \frac{dm}{dt}$ <div style="display: flex; justify-content: space-around; align-items: center;"> <div style="text-align: center;"> <p><b>Constant <math>m</math></b></p> <math display="block">\sum F = ma</math> <ul style="list-style-type: none"> <li>Free Body Diagram</li> <li>Sum of Forces Equation</li> </ul> </div> <div style="text-align: center;"> <p><b>Constant <math>v</math></b></p> <math display="block">\sum F = v \frac{dm}{dt}</math> <p>1. Flow Rate Problem</p> </div> </div>	 <p>Gradient  <math>= \frac{\Delta p}{\Delta t} = F</math></p>  <p>Area = Impulse = <math>\Delta p = F \Delta t</math></p>

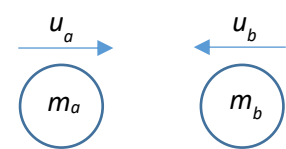
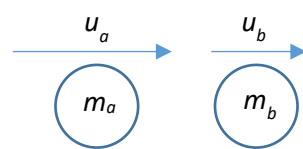
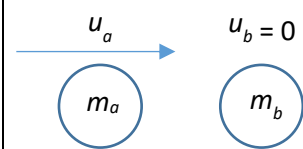
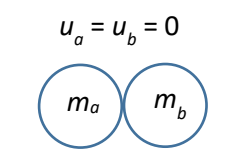
**Constant  $m$  problems** (Free Body Diagram + Sum of Forces Equation)

Lift	Connected Bodies	Incline Plane
 <p>Equilibrium, <math>N = W</math>  <math>\sum F = N - W = 0</math>            Accelerate up, <math>N &gt; W</math>  <math>\sum F = N - W = ma</math>            Accelerate down, <math>N &lt; W</math>  <math>\sum F = N - W = -ma</math></p>	 <p>Same acceleration for both  <math>\sum F = F = (m_A + m_B) a</math>            For object A,  <math>\sum F_A = F - F_{AB} = m_A a</math>            For object B,  <math>\sum F_B = F_{BA} = m_B a</math></p>	 <p>Acceleration along plane,  <math>\sum F = mg \sin \theta = ma,</math>  <math>N = mg \cos \theta</math></p>

## Flow Rate Problems (Free Body Diagram + Sum of Forces Equation)

Water Hose	Helicopter	Mass on moving Belt
 <p>velocity = <math>V</math></p> <p>HOSE PIPE</p> <p>cross sectional area = <math>A</math></p> <p>density = <math>\rho</math></p> <p>Wall</p>	 <p>Lift</p> <p>W</p> <p>Column of Air</p> <p>Rotor Top View</p> <p>Circular Area, <math>A</math></p>	
<p>Impact force on wall:</p> $\sum F = v \frac{dm}{dt}$ $\sum F = v \frac{d(AL\rho g)}{dt} = v \cdot A\rho g \frac{dL}{dt} = v^2 A\rho g$		<p>Force required to move sand,</p> $\sum F = v \frac{dm}{dt}$ <p><math>\frac{dm}{dt} \rightarrow</math> Rate of mass falling</p>

## Conservation of Linear Momentum – Total sum of momentum is conserved in collision

General Inelastic Collision			
Before Collision:			
 <p><math>u_a</math></p> <p><math>u_b</math></p> <p><math>m_a</math></p> <p><math>m_b</math></p> <p>*<math>u_b</math> is negative</p>	 <p><math>u_a</math></p> <p><math>u_b</math></p> <p><math>m_a</math></p> <p><math>m_b</math></p> <p>*<math>u_b</math> is positive</p>	 <p><math>u_a</math></p> <p><math>u_b = 0</math></p> <p><math>m_a</math></p> <p><math>m_b</math></p> <p>*<math>u_b</math> is zero</p>	 <p><math>u_a = u_b = 0</math></p> <p><math>m_a</math></p> <p><math>m_b</math></p> <p>*explosion case</p>
<p>By Principle of Conservation of Linear Momentum,</p> $m_a u_a + m_b u_b = m_a v_a + m_b v_b$			
Elastic Collision		Perfectly Inelastic Collision	
<p>Equation 1:</p> $m_a u_a + m_b u_b = m_a v_a + m_b v_b$ <p>Equation 2:</p> $u_a - u_b = v_b - v_a$ <ul style="list-style-type: none"> <li>Sum of kinetic energy is conserved</li> <li>Relative speed of approach is equal to Relative speed of separation</li> </ul>		<p>Equation 1:</p> $m_a u_a + m_b u_b = m_a v_a + m_b v_b$ <p>Equation 2:</p> $v_a = v_b$ <ul style="list-style-type: none"> <li>Object stick together after collision</li> </ul>	

**Newton's 3<sup>rd</sup> Law of Motion** – Whenever a force acts on a body, an equal but oppositely directed force of the same kind acts on another body.

## Action-Reaction pair forces

1. are equal in magnitude.
2. are opposite in direction
3. act on two different bodies
4. are of the same nature.