

**Anderson Serangoon Junior College 2023 H2 Physics Prelim P2 Exam Mark Scheme**

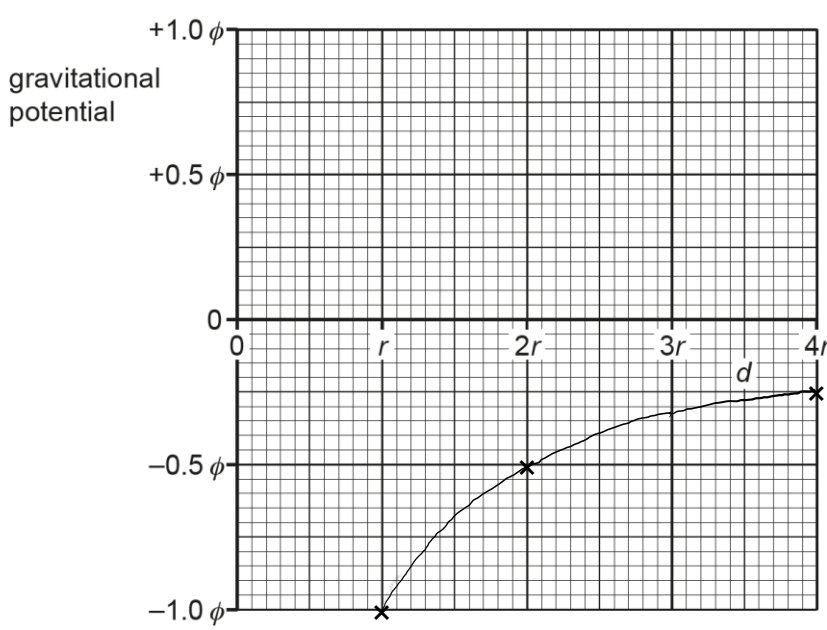
**Paper 2 (80 marks)**

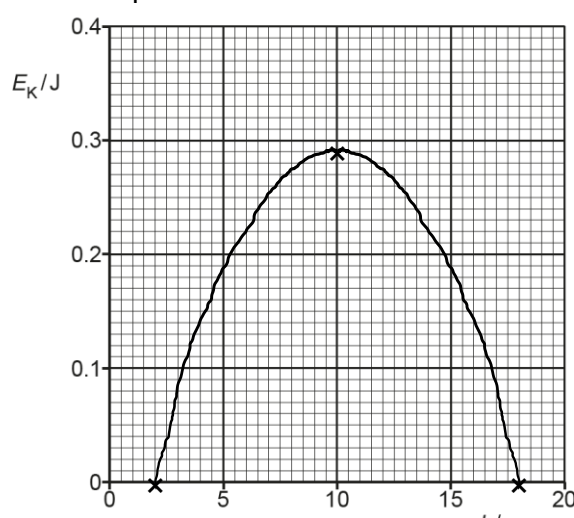
**E – Easy, A – Average, D – Difficult**

<b>ECF</b>	Error carried forward	<b>SF</b>	Significant figures error	<b>M0</b>	No A marks awarded
<b>AE</b>	Arithmetic error	<b>BOD</b>	Benefit of doubt	<b>^</b>	More is needed in answer
<b>POT</b>	Power of ten error	<b>CON</b>	Contradictory response	<b>XP</b>	Wrong physics
<b>TE</b>	Transcription error	<b>IR</b>	Irrelevant (part) response		

<b>1a</b>	$k = \frac{F}{e}$ $= \frac{0.180 \times 9.81}{0.036}$ $= 49 \text{ N m}^{-1}$	<b>A</b>	C1 A1
<b>1b</b>	$k = \frac{F}{e}$ $\frac{\Delta k}{k} = \frac{\Delta F}{F} + \frac{\Delta e}{e} = \frac{2}{36} + 0.02$ $\Delta k = \left(\frac{2}{36} + 0.02\right) \times 49$ $= 3.7$ $= 4 \text{ N m}^{-1}$ $\text{Accept } \Delta k = \frac{k_{\max} - k_{\min}}{2}$	<b>A</b>	C1 A1
<b>1ci</b>	<p>F is weight of the column of liquid above the area A</p> $\rho = \frac{F}{A} = \frac{m_{\text{fluid}} g}{A}$ $= \frac{(V_{\text{fluid}} \rho_{\text{fluid}}) g}{A}$ $= \frac{(h A \rho_{\text{fluid}}) g}{A}$ $= h \rho g$	<b>A</b>	B1 B1 A0
<b>1cii</b>	$U + ke = mg$ $U = mg - ke$ $= (0.180)(9.81) - 49(0.030)$ $= 0.2958 \text{ N}$ $\Delta p A = \Delta h A \rho g$ $U = V \rho g$ $0.2958 = (2.0 \times 10^{-5})(9.81) \rho$ $\rho = 1500 \text{ kg m}^{-3}$	<b>A</b>	C1 C1 A1
<b>2a</b>	<p>The total momentum before collision is <u>non-zero</u>. By COM, (total) <u>momentum is never zero</u>, so <u>not possible</u> for both blocks to be at rest simultaneously.</p>	<b>A</b>	M1 A1

<b>bi</b>	By COLM, taking rightwards as positive $(3M \times 0.40) - (M \times 0.25) = (3M \times 0.20) + Mv$ $v = 0.35 \text{ m s}^{-1}$	<b>E</b>	A1
<b>bii</b>	To right / away from block A, as direction to the right is taken as positive in <b>(b)(i)</b>	<b>E</b>	B1
<b>c</b>	relative speeds of approach is non-zero, and relative speeds of separation is zero  Relative speed of approach is <u>not equal</u> the relative speed of separation, Hence <u>inelastic</u> collision.	<b>A</b>	M1  A1

<b>3ai</b>	work done per unit mass bringing (small test) mass from infinity (to the point)	<b>E</b>	B1
<b>3aii</b>	(near Earth's surface change in) height $\ll$ radius <b>or</b> height much less than radius potential inversely proportional to radius <b>and</b> radius approximately constant (so potential approximately constant)	<b>A</b>	B1 B1
<b>3b</b>	curve from $r$ to $4r$ , with gradient of decreasing magnitude and starting at $(r, \pm\phi)$ <u>and</u> line passing through $(2r, \pm 0.5\phi)$ and $(4r, \pm 0.25\phi)$ line showing potential is negative throughout  	<b>A</b>	B1  B1
<b>3ci</b>	Gain in KE = loss in GPE $\frac{1}{2}m v^2 = 0 - (-GMm/R)$  At distance $R = 3r$ , $v = \sqrt{\frac{2GM}{3r}} = \sqrt{\frac{2 \times 6.67 \times 10^{-11} \times 6.0 \times 10^{24}}{3 \times 6.4 \times 10^6}} = 6.46 \times 10^3 \text{ m s}^{-1}$  At distance $R = 4r$ , $v = \sqrt{\frac{2GM}{4r}} = \sqrt{\frac{2 \times 6.67 \times 10^{-11} \times 6.0 \times 10^{24}}{4 \times 6.4 \times 10^6}} = 5.59 \times 10^3 \text{ m s}^{-1}$ Change in speed $= 6.46 \times 10^3 - 5.59 \times 10^3 = 8.7 \times 10^2 \text{ m s}^{-1}$	<b>D</b>	C1  C1  A1

4a	$a = -\omega^2 x$ $a$ = acceleration, $x$ = displacement <u>from equilibrium position</u> and $\omega$ = angular frequency	E	B1
4bi	$\omega = 2\pi / T$ $= 2\pi / 4.0$ $= 1.57$ $= 1.6 \text{ rad s}^{-1}$	A	B1 A0
4bii	$E = \frac{1}{2}m\omega^2 x_0^2$ Or $E = \max E_k = \frac{1}{2}mv_{\max}^2 = \frac{1}{2}m\omega^2 x_0^2$ $= \frac{1}{2} \times 36 \times 1.6^2 \times 0.080^2$ $= 0.29 \text{ J}$	A	B1 C1 A1
4c	<u>dome-shaped curve</u> , starting and ending at $E_k = 0$ maximum $E_k$ shown as 0.29 J, position of peak shown at $h = 10.0 \text{ cm}$ line intercepts $h$ -axis at $h = 2.0 \text{ cm}$ and at $h = 18.0 \text{ cm}$ 	D	B1 B1 B1

5a	The field strength at a point equals the <u>negative</u> of the potential gradient there.  i.e. the electric potential gradient is the electric field strength the <u>direction</u> of the field is the same as the direction of <u>decreasing</u> potential.	A	(B2)  B1 B1
5bi	Straight line vertically upward	E	B1
5bii	$E = V/d$ $= 75/(1.2 \times 10^{-2})$ $= 6250 \text{ V m}^{-1}$	E	A1
5biii	gain in kinetic energy (= loss in potential energy) = charge $\times$ p.d. <b>or</b> $qV = \frac{1}{2}mv^2$ because separation not in expressions so $v$ is independent of separation	D	B1 A0
5biv	(at $x = 0.40 \text{ cm}$ ), potential = $(-)\ 75 \times 0.40 / 1.2$ $(= (-)\ 25 \text{ V})$  $\frac{1}{2}mv^2 = qV$ $\frac{1}{2} \times 4 \times 1.66 \times 10^{-27} \times v^2 = 2 \times 1.60 \times 10^{-19} \times 25$ Or $a = Vq / dm$ <b>and</b> $v^2 = 2as$	D	C1  C1

	$v^2 = (2 \times 75 \times 2 \times 1.60 \times 10^{-19} \times 0.40 \times 10^{-2}) / (1.2 \times 10^{-2} \times 4 \times 1.66 \times 10^{-27})$ $v = 4.9 \times 10^4 \text{ m s}^{-1}$		(C1) A1												
6a	<p>A progressive wave is a wave in which energy is carried from one point to another by means of vibrations or oscillations within the wave.</p> <p>A transverse wave is a wave in which the oscillations of the particles in the wave are at right angles to the direction of transfer of energy of the wave.</p>	E	B1 B1												
6b	<p>Speed, <math>v</math> is defined as distance travelled divided by the time taken.</p> <p>From the definition of wavelength, <math>\lambda</math>, in one cycle of the source, the wave energy moves a distance <math>\lambda</math>. The time taken for one cycle is the time period <math>T</math>.</p> <p>Since <math>f = 1 / T</math>, wave speed, <math>v = (\text{ total distance / time taken } )</math> <math display="block">v = \frac{\lambda}{T} = f\lambda</math></p>	E	B1 B1 A0												
6ci	<table><tr><td>Angle <math>\theta</math></td><td>amplitude</td><td>intensity</td></tr><tr><td><math>180^\circ</math></td><td><math>A</math></td><td><math>I</math></td></tr><tr><td><math>90^\circ</math></td><td>0</td><td>0</td></tr><tr><td><math>60^\circ</math></td><td><math>0.50A</math></td><td><math>0.25I</math></td></tr></table> <p>intensity <math>\propto \cos^2 \theta</math></p>	Angle $\theta$	amplitude	intensity	$180^\circ$	$A$	$I$	$90^\circ$	0	0	$60^\circ$	$0.50A$	$0.25I$	A	B1 B1 B1
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6cii	<table><tr><td>intensity</td><td>angle <math>\theta</math></td></tr><tr><td>zero</td><td><math>90^\circ</math></td></tr><tr><td>maximum</td><td><math>0^\circ, 180^\circ</math></td></tr><tr><td><math>\frac{I}{2}</math></td><td><math>32.8^\circ, 147^\circ</math></td></tr></table> <p>Intensity after passing through polaroid Q, <math>I_Q = I \cos^2 \theta</math> Intensity after passing through polaroid R <math>I_R = I_Q \cos^2 \theta</math> <math>= I \cos^4 \theta</math></p>	intensity	angle $\theta$	zero	$90^\circ$	maximum	$0^\circ, 180^\circ$	$\frac{I}{2}$	$32.8^\circ, 147^\circ$	D	B1 B1				
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7a	<p>When atoms are excited, the electrons move from a lower energy level to a higher energy level. When the <u>electrons de-excite from a higher level to a lower level, they emit photons with energies corresponding to the differences in energy levels of the atoms,</u> giving rise to line emission spectrum.</p> <p><u>Since the frequencies of the photons are fixed, the photons emitted have discrete amounts of energies. Hence, energy levels are discrete.</u></p> <p><u>Examiner's comments:</u> Many students did not explain how the energy of the photon is linked to the energy levels in atoms. A few students described the observations for absorption line spectrum.</p>	A	M1 A1												

<p><b>7b</b></p>	<div data-bbox="209 199 1289 356" data-label="Diagram"> </div> <p>Since <math>d \sin \theta = \lambda</math> for 1<sup>st</sup> order maxima, and</p> <div data-bbox="272 427 1294 757" data-label="Diagram"> </div> <p>Diffraction Grating</p> <p>Hence,</p> $d\left(\frac{L}{D}\right) = 410 \times 10^{-9} \quad (1)$ $d\left(\frac{L + 0.008}{D}\right) = 434 \times 10^{-9} \quad (2)$ <p>From Equation 1 and 2,</p> $L = 0.1367 \text{ m}$ <p>Using,</p> $d\left(\frac{L + 0.075}{D}\right) = X \quad (3)$ <p>From Equation 1 and 3,</p> $X = 635 \times 10^{-9} \text{ m}$ <p>Or</p> <p>Using idea of <math>d \sin \theta = \lambda</math> and small angle approximation,  <math>\theta \propto \lambda</math>      Since <math>\theta \propto \lambda</math>, <math>\Delta \theta \propto \Delta \lambda</math>, <math>\Delta L \propto \Delta \lambda</math></p> $\frac{434 - 410}{0.8} = \frac{X - 410}{8.2}$ $X = 656 \text{ nm}$	<p><b>D</b></p> <p>M1</p> <p>A1</p> <p>(M1)</p> <p>(A1)</p>
<p><b>7c</b></p>	<p>Energy of photon with wavelength 410 nm</p> $= \frac{hc}{\lambda}$ $= \frac{(6.63 \times 10^{-34})(3.0 \times 10^8)}{410 \times 10^{-9}}$ $= 4.85 \times 10^{-19} \text{ J}$ <p>Energy level = <math>4.85 \times 10^{-19} + (-4.08 \times 10^{-19})</math></p> $= 0.77 \times 10^{-19} \text{ J}$	<p><b>D</b></p> <p>M1</p> <p>M1</p>

			A1
7d	The lowest energy level shown in Fig 7.3 may not be the energy level at ground state.	D	A1
7e	When the electrons are directed to pass through a <u>thin carbon film</u> , <u>concentric rings</u> are observed  It shows a <u>diffraction pattern</u> that is unique to wave behaviour after passing through the carbon film.	A	M1 A1
7f	$E_k \text{ of electron} = \frac{p^2}{2m}$ $p = \sqrt{2mE_k}$ <p>By de Broglie's equation,</p> $\lambda = \frac{h}{p}$ $= \frac{h}{\sqrt{2mE_k}}$ $= \frac{6.63 \times 10^{-34}}{\sqrt{2(9.11 \times 10^{-31})(4.08 \times 10^{-19})}}$ $= 7.69 \times 10^{-10} \text{ m}$	A	C1 A1
8a	greater lattice vibrations more frequent collision of electrons with lattice ions /lower drift velocity of the electrons	A	B1 B1
8bi	connect cells in series	E	B1
8bii	connect cells in parallel	E	B1
8c	Active cooling could fail/active cooling needs energy input, increasing costs or decreasing system output/ difficult to eliminate passive cooling	A	B1
8d	site panel so that there is <u>an air gap</u> around it e.g. mounts panels a small distance above the roof/in open space/clear from obstructions/ spaced out in field.	A	B1
8ei	6.40 V, 7.60 V (2 dp)	D	A1

<b>8eii</b>	little / no change to current at low voltages at lower temperature, greater current at higher voltage	<b>A</b>	B1 B1
<b>8eiii</b>	Best-fit straight line drawn (See graph below)	<b>E</b>	B1
<b>8eiv</b>	$V = \mu(T_R - T) + V_R$ Plotting a graph of $V$ against $T$ gives gradient = $-\mu$ and y- intercept = $V_R + \mu T_R$  Use of gradient to determine $\mu$ (see graph below)  $\text{Gradient} = \frac{8.65 - 6.05}{6.0 - 28.0} = -0.118$ (note the dp of the coordinates) $\mu = 0.12$ (0.118) $\text{V } ^\circ\text{C}^{-1}$  From graph, y-intercept = 9.35, i.e. $V_R + \mu T_R = 9.35$ $6.40 + 0.12 T_R = 9.35$ $T_R = 25$ (24.6) $^\circ\text{C}$	<b>A</b>	C1 A1 C1 A1
<b>8ev</b>	$(7.60 = 0.12 (25 - T) + 6.40),$ $T = 15 ^\circ\text{C}$	<b>A</b>	A1
<b>8evi</b>	Rectangle drawn below line Correct area indicated (6.0 V and 0.048 A)	<b>A</b>	A1
<b>8evii</b>	Use of area of rectangle or $P = IV$ $P_{\max} = 4.8 \times 0.10$ $= 0.48$ $= 0.5 \text{ W}$	<b>D</b>	B1 A1
<b>8fi</b>	Better chance of capturing photons/ photons of a greater range of frequencies (contained within sunlight) can be captured	<b>A</b>	B1
<b>8fii</b>	Output power increases as angle of incidence on panel decreases / The closer the angle between PV panel and incident sunlight is to $90^\circ$ , the larger the output power.	<b>A</b>	B1

