## 2023 MI PU3 H2 Physics Prelim Paper 3 Suggested Solution

I	1a(i)	No external forces act on the system of two objects.	B1
		OR	
		The two objects form a closed system.	
	(ii)	Straight line from (1.0, -3.0u) to (2.0, 4.2u)	B1
		Horizontal line at $p = 4.2u$ from t = 2.0 to 3.0 s	B1
		ρ	
		9.0 <i>u</i>	
		4.2 <i>u</i>	
		1.8 <i>u</i>	
		C t	
		1.0 2.0 3.0	
		2.04	
		-3.0 <i>u</i>	
	(iii)	Since the total momentum before the collision is 6.0 <i>u</i> , the total momentum of the system	B1
		$\frac{1}{1} \frac{1}{1} \frac{1}$	
		Since p of object A decrease by 7.2u after the collision, p of particle B will increase by	
		<u>7.2mu</u> . So final p of particle B = $-3.0u + 7.2u = 4.2u$	
	1b	$v_A = 1.8u / 9.0 = 0.2u$ $v_B = 4.2u / 1.0 = 4.2u$	
I			

	relative speed of approach = $u_A - u_B = u - (-3u) = 4u$	M1
	relative speed of separation = $v_{B} - v_{A} = 4.2u - 0.2u = 4u$	M1
	Since the <u>relative speed of approach and the relative speed of separation are equal</u> , the collision is <u>elastic</u> .	A1
	OR kinetic energy, $E_k = \frac{1}{2}mv^2 = \frac{1}{2}\frac{(mv)^2}{m} = \frac{p^2}{2m}$	
	before collision: $E_{k,before} = \frac{p_{A,before}^2}{2m_A} + \frac{p_{B,before}^2}{2m_B} = \frac{(9.0u)^2}{2(9.0)} + \frac{(-3.0u)^2}{2(1.0)} = 9.0u^2$	
	after collision:	(M1)
	$E_{k,after} = \frac{p_{A,after}^2}{2m_A} + \frac{p_{B,after}^2}{2m_B} = \frac{(1.8u)^2}{2(9.0)} + \frac{(4.2u)^2}{2(1.0)} = 9.0u^2$	
	Since the <u>kinetic energy of the system before and after the collision remains the same</u> , the collision is elastic.	(M1)
		(A1)
1c(i)	$= \frac{F = \frac{\Delta p}{\Delta t}}{(2.0 - 1.0)}$	M1
	(accept + or – answer) Therefore, magnitude of F is 7.2u	A0
(11)		
(11)	By Newton's second law, gradient of p vs t graph represents resultant force.	
	During collision, <u>gradient</u> of graph of object A and object B have <u>equal magnitude</u> , showing that <u>forces</u> acting on A and B have <u>equal magnitude</u> .	B1
	The gradients have opposite signs indicate that the two forces act in opposite directions.	B1
	Hence the graphs are consistent with Newton's third law	
	Total:	10

2a	Total volume of molecules is negligible compared with volume occupied by the gas	B1
2b	pV = NkT 2.10 × 10 <sup>5</sup> × 950 × 10 <sup>-6</sup> = N × 1.38 × 10 <sup>-23</sup> × (280) N = 5.16 × 10 <sup>22</sup>	C1
	volume of one molecule = $(4 / 3) \Box r^3$ (= 1.41 × 10 <sup>-29</sup> m <sup>3</sup> ) volume of all molecules = 5.16 × 10 <sup>22</sup> × 1.41 × 10 <sup>-29</sup>	C1
	= $7 \times 10^{-7}$ m <sup>3</sup> ( <b>1 s.f</b> .; as this is an estimation question the uncertainty of final answer cannot be more precise than that of the given data.)	A1
	OR	
	volume of one molecule = $d^3$ (= 2.7 × 10 <sup>-29</sup> m <sup>3</sup> ) volume of all molecules = 2.7 × 10 <sup>-29</sup> × 5.16 × 10 <sup>22</sup> = 7 × 10 <sup>-7</sup> m <sup>3</sup>	(C1) (C1) (A1)
	( <b>1 s.f</b> .; as this is an estimation question the uncertainty of final answer cannot be more precise than that of the given data.)	(,,,)
2c	Since volume of all atoms (1 × 10 <sup>-6</sup> m <sup>3</sup> ) is <i>3 orders of magnitude less</i> than volume occupied by the gas (950 × 10 <sup>-6</sup> m <sup>3</sup> H 1 x 10 <sup>-3</sup> m <sup>3</sup> ) OR 0.1% of volume occupied by the gas so assumption in (a) is justified.	B1
2d(i)	Internal energy depends on temperature. Since final temperature equal initial	B1
	temperature so <b>no change in total internal energy</b>	B1
2d(ii)	For P → Q: work done on gas = 0 J and increase in internal energy, $\otimes$ U = Q + W = +97.0 + 0 = 97.0 J	A1
	<u>For Q → R</u> : increase in internal energy, $\otimes$ U = 0 -42.5 = <b>-42.5 J</b>	A1
	For R→P:	A1
	work done on gas, W = p $\Delta$ V = 2.10 × 10 <sup>5</sup> × (1125 – 950) × 10 <sup>-6</sup> = <b>36.8 J</b>	
	since total change in internal energy is zero,	A1
	$+97 + (-42.5) + \Delta U_{RP} = 0$ increase in internal energy, $\Delta U_{RP} = -54.5 \text{ J}$	A1
	thermal energy supplied $\Omega = A \Pi M = -54.5 = 26.9 = 04.2 \Pi$	
	$\frac{1}{2} = \frac{1}{2} = \frac{1}$	
	Total:	12

За	upthrust and weight	B1
3b	upthrust greater than weight so resultant force is upwards	B1
3c(i)	A, g and $\rho$ all constant so F is proportional to x	B1
	minus sign means $F$ and $x$ are in opposite directions	B1
3c(ii)	$a = \frac{F}{m} = (-)\frac{Ag}{m}x$	M1
	compare with SHM defining equation $a = -\omega^2 x$	
	$\omega^2 = \frac{A\rho g}{\underline{m}}$	M1
	$\omega = \sqrt{\frac{Ag}{m}}$	40
3d(i)	Damping due to viscous forces	B1
3d(ii)	$-\omega^2 = aradient = \frac{2 \cdot 30}{100} = 115$	C1
. ,	$(2\pi f)^2 - 115$	
	$(2\pi f) = 113$	A1
3d(iii)	$E = \frac{1}{2}kx^2 = \frac{1}{2}mw^2x$	C1
	initial $E = \frac{1}{2}(0.57)(115)(0.020)^2 = 0.01311 J$	
	final $E = \frac{1}{2}(0.57)(115)(0.016)^2 = 0.0083904 \text{ J}$	
		C1
	$\Delta E = Initial E - final E$	
	$= 4.7 \times 10^{-3} J$	A1
	OR	
	accept if students use area under graph to final initial and final E read off first point (-0.02,2.3) gives initial $E = 0.01311 \text{ J}$	
	accept either: read off second point as (0.016, -1.8) gives final E = 0.008208, hence $\Delta E = 4.9 \times 10^{-3} J$	
	read off second point as (0.016, -1.84) gives final E = 0.0083904 hence $\Delta E = 4.9 \times 10^{-3} J$	
	Total:	12

4a	Zero electric field strengths in sphere A(between $x = 0$ and $x = 1.4$ cm) and in sphere B (between $x = 11.4$ and $x = 12.0$ cm)	B1
4b	Since the <u>field strength is zero at a point between the spheres</u>	M1
	the <u>electric fields are in opposite directions</u> ,	
	the charges on the spheres are of the same sign.	A1
4c	At $x = 0.08$ m, the electric field strength due to sphere A cancels out the electric field strength due to sphere B.	
	$E_{\rm A} = E_{\rm B}$	B1
	$\frac{Q_A}{4\pi\varepsilon_0 (0.08)^2} = \frac{Q_B}{4\pi\varepsilon_0 (0.04)^2}$ $\frac{Q_A}{Q_B} = \left(\frac{0.08}{0.04}\right)^2$ $= 4$	C1
	(Allow estimation from graph, 7.8 cm $< x < 8.2$ cm)	A1
40		
	<ul> <li>Correct field line direction (either all inwards or all outwards) and shape</li> <li>neutral point nearer to sphere B</li> </ul>	B1 B1
	<ul><li>and any of the following:</li><li>field lines more closely spaced for sphere B</li><li>field lines perpendicularly from the spheres</li></ul>	B1
4e	change in electric potential = area under graph between $x = 1.4$ cm and $x = 3.0$ cm	C1
	Estimated area between $x = 1.4$ cm and $x = 3.0$ cm = $\frac{1}{2} (0.8 \times 10^{-2})(11.0 + 5.0)10^7 + \frac{1}{2} (0.8 \times 10^{-2})(5.0 + 2.5)10^7$ = 940 kV	C1
	Or by counting squares under graph. Acceptable range for either method is between 850 kV and 1050 kV.	
	Energy gained by proton = $(940 \times 10^3)(1.60 \times 10^{-19})$ = $1.5 \times 10^{-13} \text{ J}$	
	Accept (1.4 to 1.6) x 10 <sup>-13</sup> J	A1
	Total:	12

5a(i)	$(E = BE_{products} - BE_{reactantants})$	
	$E = (BE \text{ per nucleon of } C) \times 12 - 3 \times (BE \text{ per nuceon of He x 4})$	
	$E = [12 \times (7.680) - 3 \times (4 \times 7.074)]$ =7 272 MeV	C1
		A1
5a(ii)	$E_{total}$	
	$P = \frac{-\sin t}{t}$	
	_ number of reactions $\times E_{\text{each reaction}}$	
	<u>number of reactions</u> = $P$ = $2.75 \times 10^{26}$	C1
	t $E_{\text{each reaction}} = 7.272 \times 10^6 \left( 1.6 \times 10^{-19} \right)$	
	$(=2.3635\times10^{38} \text{ s}^{-1})$	
	n number of reactions	C1
	$\frac{1}{t} = \frac{1}{t} \times 3 = (2.3635 \times 10^{38})(3)$	
	n	Δ1
	$\frac{1}{t} = 7.09 \times 10^{38}$ helium nuclei per second	
5b(i)	714X	B1
	-10e	B1
5b(ii)1.	Observation 1: electrons/®-particles (emitted from the nucleus) have a (continuous) range of/ different (kinetic) energies	B1
	OR	
	Observation 2: electrons/®-particles and daughter nuclei X are not in opposite directions	
5b(iii)2.	Explanation for observation 1:	
	Since the energy released in each decay is <b>same/fixed</b>	B1
	by the principle of conservation of energy there must be <b>neutrinos</b> (emitted) to <b>take varying amounts of the</b> (same total) <b>energy</b> (released in the decay)	B1,
	so that electrons can take different/range of kinetic energy	
	OR Explanation for observation 1:	
	By conservation of momentum there must be <b>neutrinos</b> (emitted) such that the sum of momentum of neutrino and electron is in the opposite direction of the daughter nuclei X	(B1)
	direction of neutrinos varies so electrons can be emitted in varying directions	(B1)
5c(i)	tangent drawn and gradient calculation attempted	B1
	activity = $1.3 \times 10^6$ Bq (accept answer within $\pm 0.2 \times 10^6$ Bq)	A1
5c(ii)	$A = \lambda N$	B1
	$ \begin{array}{l} \lambda = (1.3 \times 10^{\circ})/(3.05 \times 10^{10}) \\ = 4.3 \times 10^{-5}  \mathrm{s}^{-1} (\approx 4 \times 10^{-5}  \mathrm{s}^{-1}) \end{array} $	M1 A0
	Total:	14

6a	distance moved by wavefront/energy during one cycle/oscillation/period (of source)	B1
6b	$T = 2.0 \times 2.5$	
	(= 5.0 ms)	
	$f = 1 / (5.0 \times 10^{-3})$	
	= 200 Hz •	A1
6c(i)	(incident) wave reflects at end/top of tube	B1
	(incident) wave and reflected wave interfere/superpose	B1
	to produce stationary wave	
6c(ii)	line has maximum value of amplitude at $h = 0$ and $h = 0.80$ m only	B1
	line has minimum/zero value of amplitude at $h = 0.40$ m only	B1
	amplitude	
	0 0.20 0.40 0.60 0.80	
	<i>h /</i> m	
6c(iii)1.	vertical/along length of tube/along axis of tube	B1
6c(iii)2.	phase difference = 0°	A1
6c(iv)	L = 2 X 0.80 = 1.6 m	A1
6d(i)	path difference = $8.0 \pm (20.8^2 - 8.0^2)^{0.5} - 20.8$	M1
00(1)	= 6.4  m	A0
6d(ii)	• path difference = $4\lambda$	B1
	waves (meet at C) in phase	
	constructive interference (of waves) occurs	B1
6d(iii)	$v = 200 \times 1.6$	
	= 320 m s <sup>-1</sup>	
	$\Delta t = 6.4/320$ or $27.2/320 - 20.8/320$	C1
	= 0.020 s	A1
6d(iv)	$3\lambda = 6.4$	C1
	λ = 2.1 m	A1
6e(i)	Use Malus' law, Intensity I = $I_0 \cos^2 \sqrt{1 - 1}$	
	Intensity I = $I_o \cos^2 l = I_o \cos^2 45^\circ$	C1
	= I <sub>o</sub> /2	A1

	And orientation to the vertical is 45°	
6e(ii)	Intensity I = $(I_o \cos^2 45^\circ) \cos^2 45^\circ$	C1
	$= I_0/4$ and orientation to the vertical is 0°	A1
	(i.e. emergent beam is polarised vertically)	
	Total:	20

7a(i)	Faraday's Law of Electromagnetic Induction states that the <u>induced e.m.f</u> is directly proportional to the rate of change of magnetic flux linkage.	B1
7a(ii)	A (primary) coil is installed in the charging plate and a another (secondary) coil in the device.	B1
	A <u>changing</u> magnetic flux is produced in the (primary) coil of the charging plate, due to the alternating current from the power source.	B1
	By Faraday's law, an <b>emf</b> will be <b>induced</b> in the (secondary) <b>coil of the device</b> which will charge the device.	B1
7a(iii)	<ul> <li>Advantage: (any valid suggestion)</li> <li>No connecting wires required between device and charging plate, so less risk of electrical shock.</li> <li>Can fully enclose the charging parts to make it water-proof.</li> </ul>	B1
	<ul> <li>Disadvantage: (any valid suggestion)</li> <li>Coils of wires are required to be installed inside the device, hence more bulky/costly.</li> <li>Less efficient than wired connection due to resistive heating (Lenz's law).</li> <li>Longer charging time.</li> <li>Device will need to stay with the charging plate and is not mobile when charging.</li> </ul>	B1
7b(i)	$2\pi f = 377f = \frac{377}{2\pi} = 60.0  Hz$	
		C1 A1
7b(ii)	$V_{rms} = \frac{V_0}{\sqrt{2}} = \frac{340}{\sqrt{2}} = 240 V$	C1 A1
7b(iii)	It means that this alternating supply voltage will provide the same average/mean power (or rate of heat dissipation) as an equivalent steady direct voltage of 240 V.	B1
7c(i)	$\varepsilon = BLv = (0.54)(0.100)(2.3) = 0.1242 = 0.124V$	C1 A1
7c(ii)	end C	B1
7c(iii)	$I = \frac{\varepsilon}{R} = \frac{0.1242}{0.83}$ = 0.1496 = 0.150 A	C1
7c(iv)	By Fleming's LHR, since current flows from A to B and magnetic field is into the plane, so force on rod AB is <b>towards right</b> .	M1
7c(v)	$F = BIL = (0.54)(0.1496)(0.100)$ $= 8.08 \times 10^{-3} N$ $a = \frac{F}{m} = \frac{8.08 \times 10^{-3}}{0.034}$ $= 0.238 \text{ m s}^{-2} [41]$	C1
		A1
	Total:	20