

Anderson Serangoon Junior College 2024 JC2 H1 Physics Preliminary Examination Mark Scheme

Paper 2 (80 marks)

1ai	Any two of time, temperature, current, (luminous intensity)	B2
1aii	Any derived quantity, e.g. energy, force, power, velocity, acceleration, pressure, density, etc	B1
1bi	Percentage uncertainty = $2 + (3 \times 2)$ = 8%	A1
1bii	$g = \frac{(4\pi^2 \times 1.50)}{2.48^2}$ $= 9.63 \text{ m s}^{-2}$ <p>Absolute uncertainty = 0.08×9.63 = 0.8 m s^{-2}</p> $g = 9.6 \pm 0.8 \text{ m s}^{-2}$	C1 C1 A1
2a	As the sky-diver picks up speed, air resistance increases, the resultant force decreases and hence the acceleration decreases.	B1 B1
2b	Since the sky-diver starts from rest, there is <u>no air resistance initially</u> , hence his initial acceleration is equal to 9.81 m s^{-2} .	M1 A1
2c	Before 24.0 s, <u>speed increases with decreasing rate</u> After 24.0 s, falling with <u>constant velocity</u>	B1 B1
2d	Find the area under the graph by using trapezium rule/counting squares	B1 B1
2e	Correct shape start with zero gradient and ends with constant gradient from about $t = 24.0 \text{ s}$	M1 A1

	<p>displacement</p>	
3a	<p><u>Resultant/net force</u> (in any direction) on the object must be <u>zero</u> and <u>Resultant/net moment / torque</u> on the object <u>about any point / axis</u> must be zero.</p>	B1 B1
3b	<p>Taking moments about end A, $(W \times 0.25) + (12 \times 0.35) = (17 \sin 50^\circ \times 0.50)$ $W = 9.246$ $= 9.2 \text{ N}$</p>	C1 A1
3c	<p>Consider vertical equilibrium, taking upwards as positive Sum of forces in vertical direction = 0 $F_y + 17 \sin 50^\circ - 9.2 - 12 = 0$ $F_y = 8.177 \text{ N}$</p> <p>Consider horizontal equilibrium, taking rightwards as positive Sum of forces in horizontal direction = 0 $17 \cos 50^\circ - F_x = 0$ $F_x = 10.93 \text{ N}$</p> <p>$F = \sqrt{(8.177^2 + 10.93^2)} = 13.7 \text{ N}$</p>	C1 C1 A1
3d	<p>By taking the moments about end A, the <u>moment due to the force by the block on the beam decreases</u>, the <u>tension in the string decreases</u>.</p> <p>When the tension in the string decreases at the same angle, by considering <u>horizontal equilibrium</u>, the horizontal component of the force exerted on the beam by the hinge <u>decreases</u>.</p>	M1 A1

4a	If R is inversely proportional to θ then product of R and θ is a constant.
-----------	--

R / Ω	$\theta / ^\circ\text{C}$	$R\theta / \Omega ^\circ\text{C}$
1700	60	102000
800	100	80000
280	140	39200

As can be seen from the table, $R\theta$ is not a constant in the range 50 °C to 150 °C.

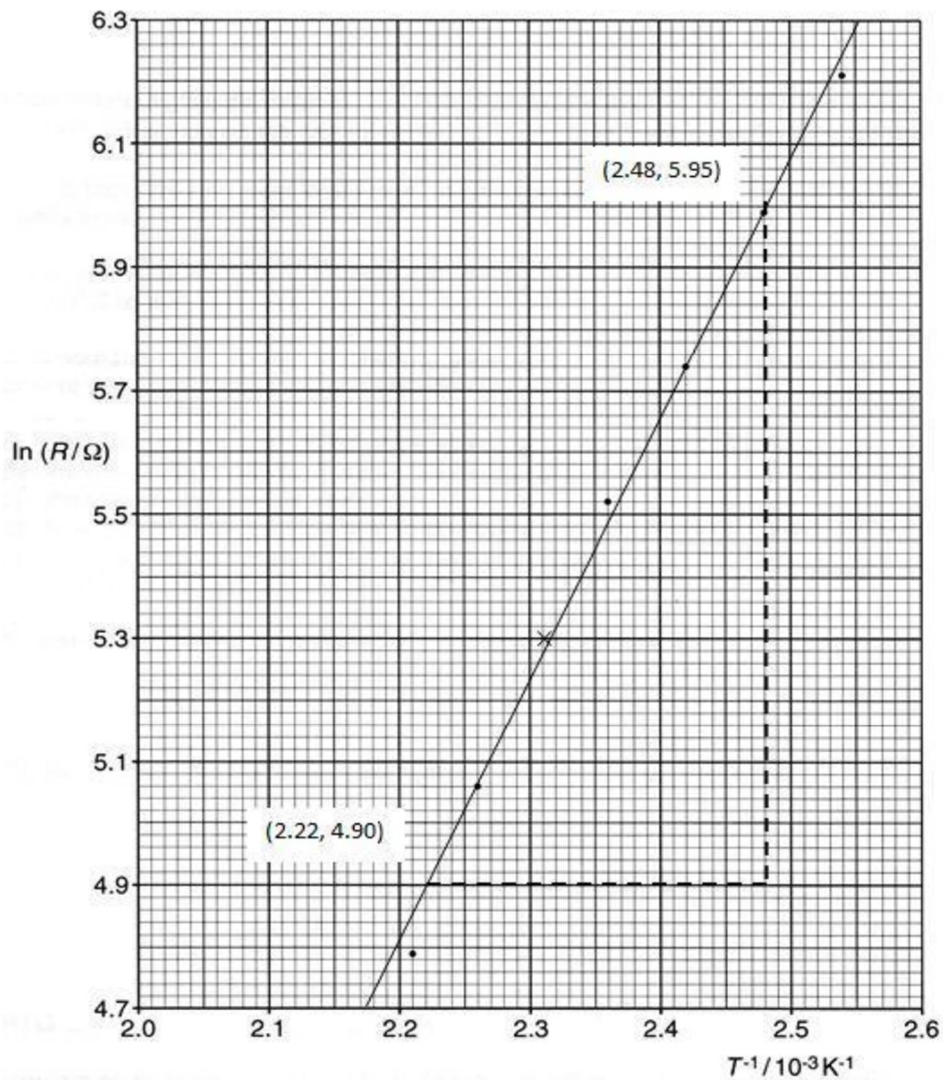
4bi

R / Ω	θ / $^{\circ}\text{C}$	T ⁻¹ / 10 ⁻³ K ⁻¹	ln(R / Ω)
200	160	2.31	5.30

Correct values for R , T^{-1} and $\ln R$.

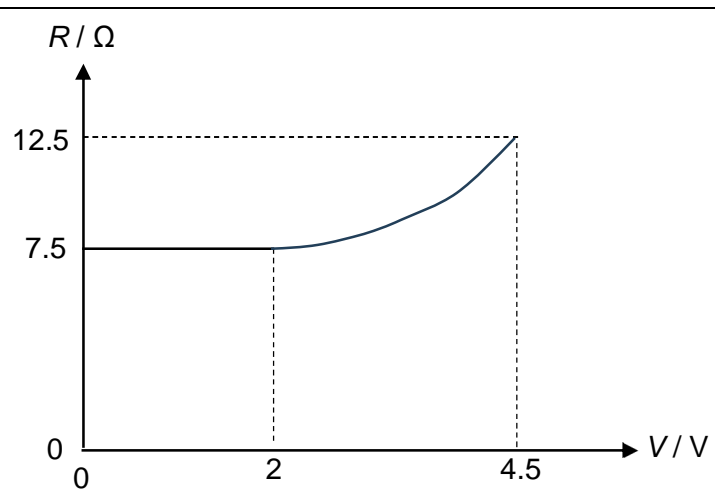
4bii

Plot point accurately to half small square.



4ci

$$R = Ae^{E_g/2kT}$$

	$\ln R = \ln A + \frac{E_g}{2kT} = \left(\frac{E_g}{2k}\right)\left(\frac{1}{T}\right) + \ln A$ As seen from relationship, <u>when $\ln R$ is plotted against $1/T$, a straight line should be obtained</u> with gradient = $\frac{E_g}{2k}$ and y-intercept = $\ln A$. Since a straight line is seen in Fig. 7.3, it supports the proposal.	A1
4cii	Gradient = $E_g/2k$ $\frac{E_g}{2k} = \frac{5.95 - 4.90}{(2.48 - 2.22) \times 10^{-3}} = 4038$ $E_g = 2(1.38 \times 10^{-23})(4038) = 1.11 \times 10^{-19} \text{ J}$	M1 M1 A1
4d	Parallel combination of resistance $= \left(\frac{1}{90} + \frac{1}{120}\right)^{-1}$ $= 51.43 \Omega$ Using potential divider, $V_{out} = \frac{51.43}{51.43 + 243} \times 9.0$ $= 1.57 \text{ V}$	C1 C1 A1
4e	For metal, as temperature increases, <u>the increase in lattice-electron collisions is more significant than the increase in charge carriers</u> , thus the resistance of metal <u>increases with temperature</u> .	A1
4f	 <p>Correct shape – constant resistance then increasing (allow straight line) Include at least one set of correct resistance value, e.g. 7.5 Ω, 12.5 Ω or any correct value.</p>	B1 B1
5a	electric field strength at a point is defined as the electric force exerted <u>per</u> unit positive charge placed at that point. OR	A1

	electric field strength at a point is defined as electric force <u>per</u> unit positive charge acting on a small stationary charge placed at that point.	
5b	$F = qE$ $ma = qE$ $a = \frac{qE}{m} = \frac{1.6 \times 10^{-19} (4.0 \times 10^4)}{9.11 \times 10^{-31}}$ $= 7.0 \times 10^{15} \text{ m s}^{-2}$	C1 A1
5ci	magnetic force on ion in path B provides for centripetal force By N2L, $Bqv = m \frac{v^2}{r}$ $m = \frac{rBq}{v} = \frac{\frac{12.3}{2} \times 10^{-2} \times 640 \times 10^{-3} \times 1.6 \times 10^{-19}}{9.6 \times 10^4}$ $= 6.56 \times 10^{-26} \text{ kg}$ $= \frac{6.56 \times 10^{-26}}{1.66 \times 10^{-27}} = 40 \text{ u (or 39.5 u)}$	B1 C1 A1
5cii	Since the ions are of the same isotope, they all have the same mass regardless of the paths undertaken. Using the equation in answer to (b)(i) , the radius of the path is inversely proportional to q (or state equation for r) Hence, the ions in path A have thrice the charge compared to ions in path B.	B1 B1 B1
6a	two nuclei of low nucleon number join / combine together to form one larger nucleus with release of energy.	M1 A1
6b	Energy released = Binding energy of products – Binding energy of reactants binding energy of Z = $[(1.25 + 1.81) \times 10^{-10}] - 2.94 \times 10^{-11} \text{ J}$ $(= 2.77 \times 10^{-10} \text{ J})$ nucleon number of Z = $93 + 139 + 2 - 1$ $(= 233)$ Binding energy per nucleon of Z = $(2.77 \times 10^{-10}) / (233 \times 1.60 \times 10^{-13})$ $= 7.43 \text{ MeV}$	C1 C1 C1 A1
6ci	sketch: line with negative gradient starting at $(0, 1.0 N_0)$ and extending to $t = 30$ days exponential curve, extending from $t = 0$ to $t = 30$ days, with gradient of steadily decreasing magnitude line passing through $(0, 1.0 N_0)$, $(10, 0.5 N_0)$ and $(20, 0.25 N_0)$	B1 B1 B1
6cii	Short range in tissue / high ionisation energy.	B1
7ai	By Newton's 2 nd Law, rotating blades pushes air and causes it to undergo a rate of <u>change in momentum downwards</u> giving rise to a <u>downward force</u> . From Newton's 3 rd Law, the <u>air exerts an upward force of the same magnitude on the blades/helicopter</u> .	B1 B1

	When this <u>upward force equals the weight of the helicopter</u> , <u>resultant force (of helicopter) is zero</u> (and hence it can remain stationary vertically)	B1
7aii1	$\text{Area} = \pi r^2 = \pi(0.70)^2$ $= 1.539 \text{ m}^2$ <p>Volume of air per second = $1.539 \times 4.0 = 6.156 \text{ m}^3 \text{ s}^{-1}$</p> <p>Mass per second = volume per second \times density</p> $= 6.156 \times 1.2$ $= 7.387 \text{ kg s}^{-1}$ $= 7.4 \text{ kg s}^{-1}$	C1 C1 M1 A0
7aii2	Rate of change of momentum = $\text{dm/dt} \times \text{velocity} = 7.4 \times 4.0$ $= 29.6 \approx 30 \text{ N}$	C1 A1
7aiii	$F_{\text{net}} = 0$ Mg – Force on helicopter by air = 0 Mg = Force on helicopter by air = 29.6 N $M = 29.6 / 9.81$ $= 3.0 \text{ kg}$	C1 A1
7bi	Drag forces/ air resistance/ resistive forces <u>increases</u> with speed of the car At higher constant speed, there is <u>greater work done</u> against drag forces/ air resistance/ resistive forces hence, higher power is required	B1 B1 A0
7bii	$v = 60 \times (1000 / 3600) = 16.67 \text{ m s}^{-1}$ Effective power = $F_{\text{driving}} \times v$ $22 \times 10^3 = F_{\text{driving}} \times 16.67$ $F_{\text{driving}} = 1320 \text{ N}$ Since the car is at <u>constant speed</u> , total resistive force = $F_{\text{driving}} = 1320 \text{ N}$	C1 A1 B1
7biii	Total momentum before = total momentum after $m \times 60 - 2m \times 60 = (m + 2m) V$ $V = -20 \text{ km h}^{-1}$ Speed = 20 km h^{-1}	C1 A1
2.	During collision, <u>force on car and truck is the same</u> (by Newton's 3 rd Law) but since car has <u>smaller mass</u> , <u>acceleration of car is greater than the acceleration of the truck</u> . (For the same mass), force by seatbelt on car driver is greater.	B1 B1 B1
8ai	Horizontal component of tension / spring force provides centripetal acceleration Weight of sphere is (now) equal to the vertical component of tension / spring force OR horizontal and vertical components of tension / spring force combine to give a greater tension in spring Greater tension/spring force so <u>greater extension</u> / since extension is proportional to spring force	B1 M1 A1

8aii1	Radius, $r = 10.8 \sin 27^\circ = 4.903 \text{ cm}$ $\approx 4.9 \text{ cm}$	A1
8aii2	$F_{\text{spring}} \cos \theta = mg$ OR sum of vertical forces = 0 $F_{\text{spring}} = \frac{mg}{\cos \theta} = \frac{0.29 \times 9.81}{\cos 27^\circ} = 3.19 \text{ N}$ $F_{\text{spring}} \approx 3.2 \text{ N}$ (shown)	B1 A1 A0
8aii3	$k = \frac{\Delta F_{\text{spring}}}{\Delta x} = \frac{3.2 - (0.29 \times 9.81)}{(10.8 - 8.5)}$ $k = 0.15 \text{ N cm}^{-1}$	C1 A1
8aii1	$a_c = \frac{F_{\text{spring}} \sin \theta}{m} = \frac{3.2 \times \sin 27^\circ}{0.29}$ $a_c = 5.0 \text{ m s}^{-2}$	C1 A1
8aii2	$a_c = r\omega^2 = r\left(\frac{2\pi}{T}\right)^2$ $T = 2\pi \times \sqrt{(0.049 / 5.0)} = 0.62 \text{ s}$	C1 A1
8bi	The <u>gravitational force</u> acting on the stars (which provides centripetal force) is <u>always perpendicular</u> to the velocity of the stars.	A1
8bii	The <u>gravitational force</u> between the stars provides/is the centripetal force By <u>Newton's third law</u> , the gravitational force acting on the stars have the same magnitude.	M1 A1
8biii	Centripetal acceleration changes the direction but not the speed/magnitude of velocity OR Work done by the centripetal force is zero	B1
8biv	$v = \frac{2\pi r}{T} = \frac{2\pi}{T} \left(\frac{d}{2}\right)$ $v = \frac{2\pi}{4.0 \times 365 \times 24 \times 60 \times 60} \left(\frac{2.8 \times 10^8 \times 10^3}{2}\right)$ $v = 6973 \approx 7.0 \times 10^3 \text{ m s}^{-1}$	C1 A1
8bv	(Gravitational force provides centripetal force) $\frac{G \times M \times M}{d^2} = \frac{Mv^2}{\left(\frac{d}{2}\right)}$ $M = \frac{2v^2 d}{G} = \frac{2 \times 6973^2 \times 2.8 \times 10^8 \times 10^3}{6.67 \times 10^{-11}}$ $M = 4.1 \times 10^{29} \text{ kg}$	C1 A1