

Catholic Junior College

JC2 Block Test

Higher 2

Topics: Gravitational Field, Oscillations, Wave Motion, Superposition, Thermal Physics, Electric Fields, Current of Electricity and D.C. circuits

| CANDIDATE NAME | MARK SCHEME | |
|-------------------|-------------|--|
| CLASS | 2T | |

PHYSICS

Section A: Multiple Choice Questions Section B: Structured Questions 9749 5 March 2024 2 hours

Additional Material: Multiple Choice Answer Sheet

INSTRUCTIONS

Write your name and tutorial group on this cover page.

FOR SECTION A

Write and shade your name, NRIC/FIN number and HT group on the Answer Sheet (OMR sheet). Write in soft pencil. Do not use staples, paper clips, highlighters, glue or correction fluid.

There are a total of **<u>15 Multiple Choice Questions (MCQs)</u>** in this paper.

For each question, there are four possible answers, **A**, **B**, **C** and **D**. Choose the **one** you consider correct and record your choice in **soft pencil** on the Answer Sheet (OMR sheet) provided.

FOR SECTION B

Write in dark blue or black pen in the spaces provided. **[PILOT FRIXION ERASABLE PENS ARE NOT ALLOWED]** You may use a soft pencil for any diagrams, graphs or rough working. Do not use highlighters, glue or correction fluid.

Answer all questions.

You are advised not to spend more than 30 minutes on Section A.

| FOR EXAMINER'S USE | | | | | | |
|--------------------|--|------|--|--|--|--|
| SECTION A | | / 15 | | | | |
| SECTION B | | | | | | |
| Q1 | | / 12 | | | | |
| Q2 | | / 8 | | | | |
| Q3 | | / 17 | | | | |
| Q4 | | /9 | | | | |
| Q5 | | / 14 | | | | |
| GRAND TOTAL | | /75 | | | | |

PHYSICS DATA:

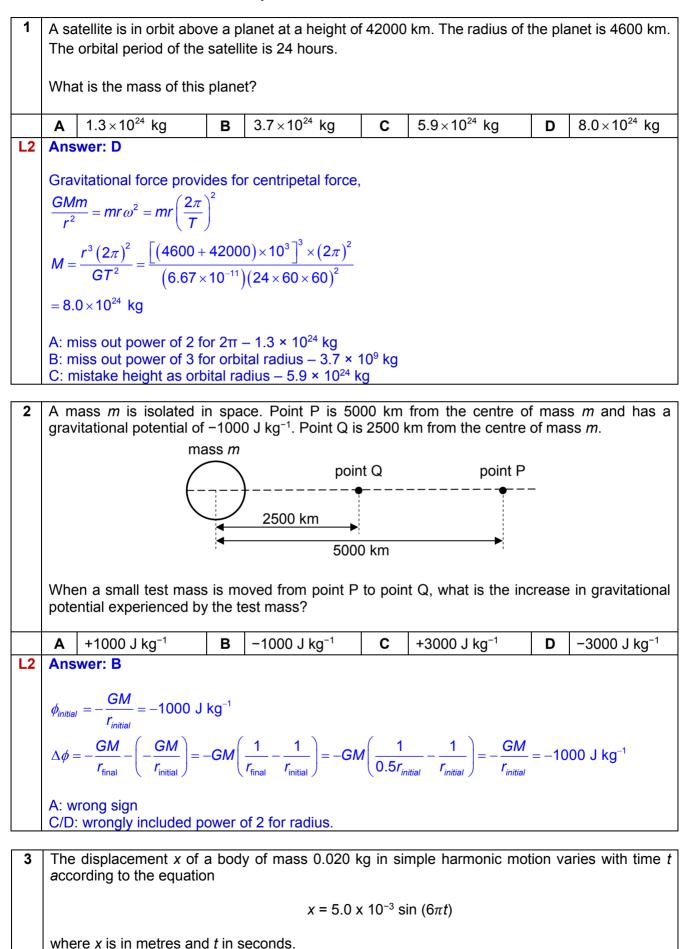
| speed of light in free space | С | = | 3.00 x 10 ⁸ m s⁻¹ |
|------------------------------|-----------------|---|--|
| permeability of free space | μ_0 | = | 4π x 10 ⁻⁷ H m ⁻¹ |
| permittivity of free space | \mathcal{E}_0 | = | 8.85 x 10 ⁻¹² F m ⁻¹ |
| | | | \approx (1/(36 π)) x 10 ⁻⁹ F m ⁻¹ |
| elementary charge | е | = | 1.60 x 10 ⁻¹⁹ C |
| the Planck constant | h | = | 6.63 x 10 ⁻³⁴ J s |
| unified atomic mass constant | и | = | 1.66 x 10 ⁻²⁷ kg |
| rest mass of electron | m_e | = | 9.11 x 10 ⁻³¹ kg |
| rest mass of proton | m_p | | 1.67 x 10 ^{−27} kg |
| molar gas constant | R | = | 8.31 J K ⁻¹ mol ⁻¹ |
| the Avogadro constant | N_A | = | 6.02 x 10 ²³ mol ⁻¹ |
| the Boltzmann constant | k | | 1.38 x 10 ⁻²³ mol ⁻¹ |
| gravitational constant | G | = | 6.67 x 10 ⁻¹¹ N m ² kg ⁻² |
| acceleration of free fall | g | = | 9.81 m s ⁻² |
| | | | |

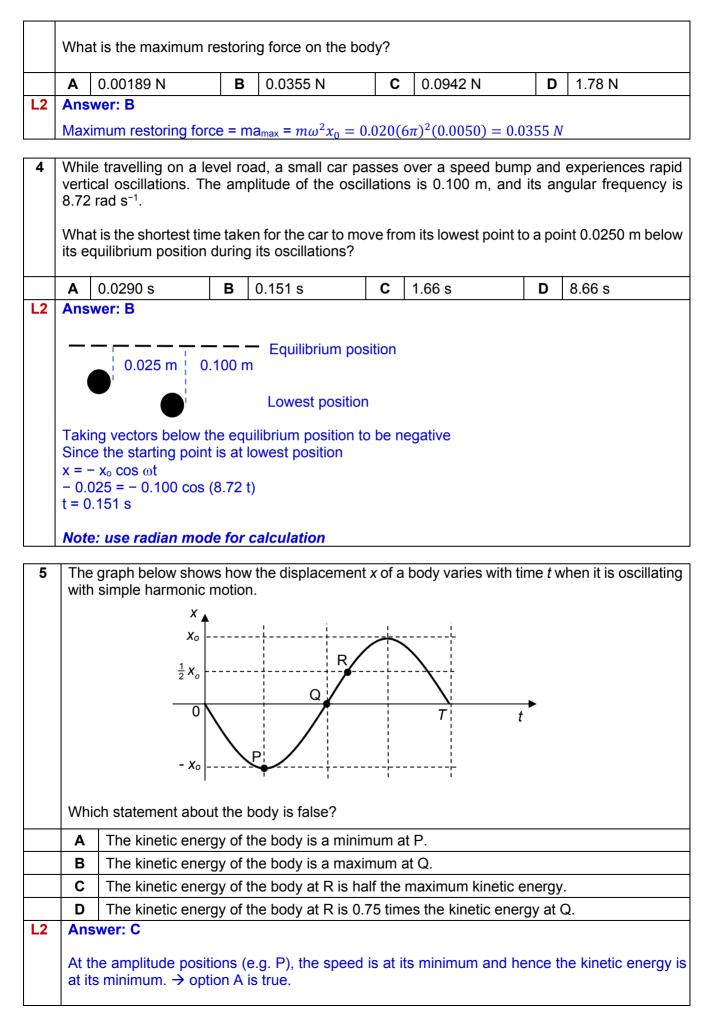
PHYSICS FORMULAE:

| uniformly accelerated motion | S | = | $u t + \frac{1}{2} a t^2$ $u^2 + 2 a s$ |
|--|--------|---|---|
| | v^2 | = | $u^2 + 2 a s$ |
| work done on / by a gas | W | = | $p \Delta V$ |
| hydrostatic pressure | Р | = | ρgh |
| arovitational potential | - | | |
| gravitational potential | ϕ | = | $-\frac{Gm}{r}$ |
| temperature | T/K | = | $T/^{\circ}C + 273.15$ |
| | 1 / 11 | | |
| pressure of an ideal gas | р | = | $\frac{1}{3}\frac{Nm}{V}\langle c^2\rangle$ |
| | P | | $\overline{3} \overline{V} \overline{V}$ |
| mean translational kinetic energy of an ideal gas molecule | E | _ | $\frac{3}{2}kT$ |
| | L | - | $\frac{1}{2}^{\kappa I}$ |
| displacement of particle in s.h.m. | x | = | $x_0 sin \omega t$ |
| velocity of particle in s.h.m. | v | = | $v_0 \cos \omega t$ |
| | | = | $\pm \omega \sqrt{{x_0}^2 - x^2}$ |
| | | - | $\pm \omega \sqrt{x_0} - x$ |
| electric current | Ι | = | Anvq |
| resistors in series | R | = | $R_1 + R_2 +$ |
| resistors in parallel | 1/R | | $1/R_1 + 1/R_2 + \dots$ |
| electric potential | | | |
| | V | = | $\frac{Q}{4\pi\varepsilon_o r}$ |
| alternating ourrent / voltage | | | |
| alternating current / voltage | x | = | $x_0 sin \omega t$ |
| magnetic flux density due to a long straight wire | P | | $\mu_{a}I$ |
| | В | = | $\frac{\mu_o I}{2\pi d}$ |
| magnetic flux density due to a flat circular coil | | | 2na 11 NI |
| | В | = | $\frac{\mu_o NI}{2r}$ |
| magnetic flux density due to a long selencid | В | _ | 2r |
| magnetic flux density due to a long solenoid | | | $\mu_o nI$ |
| radioactive decay | x | = | $x_0 \exp(-\lambda t)$ |
| decay constant | | | ln 2 |
| | λ | = | $\frac{\mathrm{III}2}{t_{\frac{1}{2}}}$ |
| | | | $\overline{2}$ |
| | | | |

Section A

Shade your answers on the OMR sheet.





At the equilibrium position (e.g. Q), the speed is the maximum and hence the kinetic energy is at its maximum. \rightarrow option B is true.

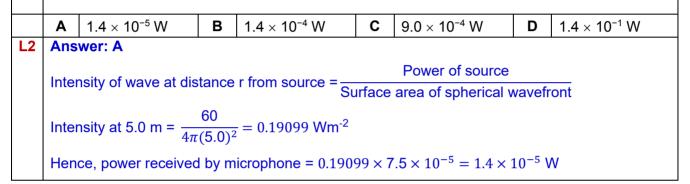
Kinetic Energy =
$$\frac{1}{2}m\omega^2(x_0^2 - x^2)$$

Maximum Kinetic Energy = Total Energy of oscillation = $\frac{1}{2}m\omega^2 x_0^2$

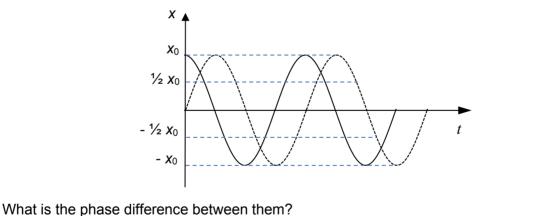
When we substitute $\frac{x_0}{2}$ into the equation for kinetic energy, we see that the kinetic energy is $\frac{3}{4}$ (= 0.75) of the maximum kinetic energy. \rightarrow option D is true, and option C is false.

6 A point source emits 60 W of sound uniformly in all directions. A small microphone of area 7.5×10^{-5} m² detects the sound at 5.0 m from the source.

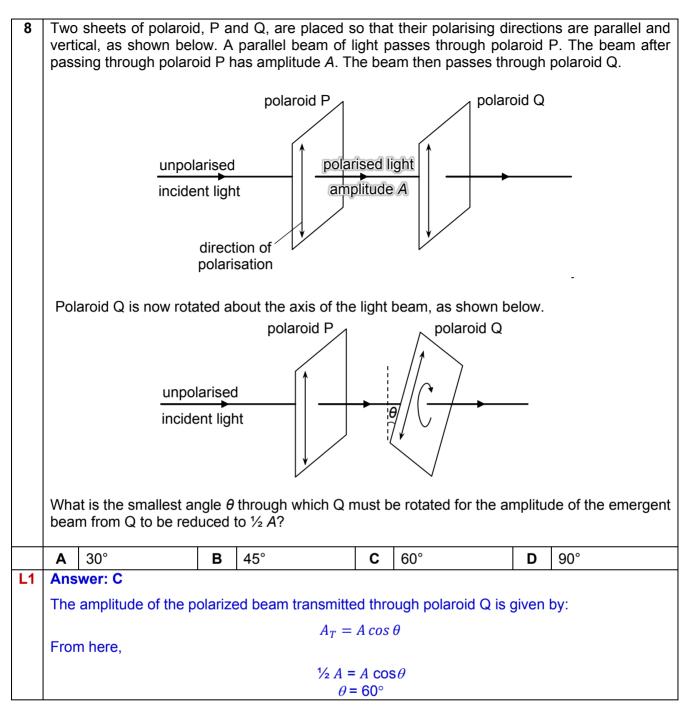
What is the power received by the microphone?



7 Two identical vertical spring-mass systems execute simple harmonic motion of the same amplitude and frequency. The graph below shows the variation of the displacement x of the masses with time t.



A90°B120°C135°D150°L1Answer: AThe masses are one quarter a period apart. $\Delta \theta = \frac{\Delta t}{T} \times 360^{\circ},$ $\Delta \theta = \frac{1}{4} \times 360^{\circ} = 90^{\circ}$



| 9 | A tuning fork is made to vibrate above a burette filled with water. The water is allowed to run out of the tube. A loud sound is heard when the length of the air column is $L_1 = 18$ cm and again when the length is $L_2 = 45$ cm. | | | | | | | |
|----|--|---|---------|------------------------|----------|----------------------|-------|----------|
| | | | | tuning fork | | | | |
| | | | | \rightarrow | | | | |
| | L ₁ burette water | | | | | | | |
| | What | is the wavelength | of the | sound in the air colu | mn? | | | |
| | Α | 27 cm | В | 54 cm | С | 60 cm | D | 72 cm |
| L2 | Ansv | | 1 | 1 | | 1 | | <u>'</u> |
| | Note that since $(18 \text{ cm x } 3) \neq 45 \text{ cm}$, End correction at the open end is NOT negligible and must be accounted for. Let c be the end correction. At first resonance: $L_1 + c = \frac{1}{4} \lambda$ (1) At second resonance: $L_2 + c = \frac{3}{4} \lambda$ (2) (2) - (1): $L_2 - L_1 = \frac{1}{2} \lambda$ $45 - 18 = \frac{1}{2} \lambda$ $\lambda = 54 \text{ cm}$ | | | | | | | |
| 10 | A bea | am of white light wa | as proj | ected onto a diffracti | on grati | ing with 400 lines p | er mm | ۱. |
| | How many orders of the entire visible spectrum (400 nm to 700 nm) can be produced using this grating? (Do not count the zeroth order.) | | | | | | | |
| | Α | 3 | В | 4 | С | 6 | D | 7 |
| L2 | Diffra d sin | ver: A ction grating equat $\theta = n\lambda$ | | AXIMUM number of c | brders | $a = 00^{\circ}$ | | |

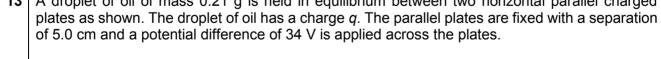
"entire spectrum" \rightarrow since the LONGEST wavelength diffracts the most, the LEAST number of orders of the LONGEST wavelength light can be seen on the screen, thus it is the limiting factor!

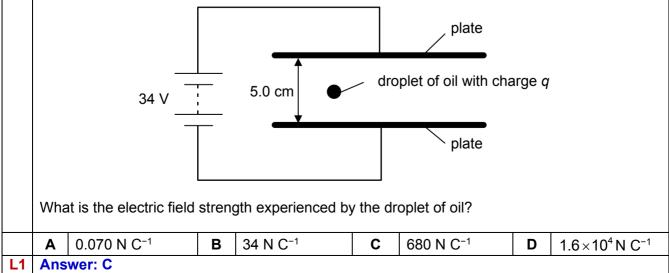
Use d sin
$$\theta = n\lambda$$

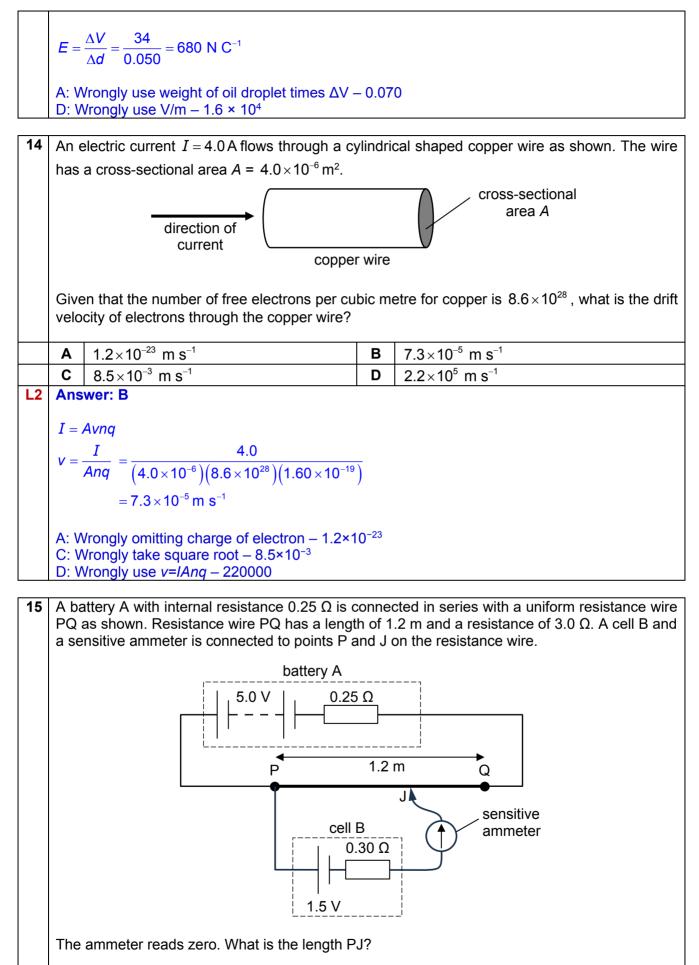
Where
d = (1 × 10⁻³) / 400 = 0.000025 m
 $\theta = 90^{\circ}$
 $\lambda = 700 \times 10^{-9}$ m
n = 3.6
 \rightarrow n = 0, 1, 2, 3 are visible
 \rightarrow maximum number of orders that can be seen, excluding zeroth order = 3
11 Some ideal gas is contained in two flasks X and Y. The flasks are connected by a tube of
negligible volume that is fitted with a tap, as shown.
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12 Some ideal gas is contained in two flasks X and Y. The flasks are connected by a tube of
negligible volume that is fitted with a tap, as shown.
13 Some ideal gas is contained in two flasks X and Y. The flasks are connected by a tube of
flask Y, the gas has pressure p_{Y} and volume V. The temperature of the gas in both flasks is T.
The tap is opened. After some time, the temperature of the gas returns to T.
Which expression gives the final pressure of the gas in the flasks after opening the tap once the
temperature has returned to T?
14 $\frac{p_{x}V_{x} + p_{x}V_{y}}{V_{x} + V_{y}}$
15 $\frac{p_{x}V_{x} + p_{x}V_{y}}{V_{x} + V_{y}}$
16 $\frac{p_{x}-p_{x})(V_{x}-V_{y})}{V_{x} + V_{y}}$
17 $\frac{p_{x}V_{x} + p_{y}V_{y}}{V_{x} + V_{y}}$
18 $\frac{1}{p_{x}V_{x} + p_{y}V_{y}}}{V_{x} + V_{y}}$
19 $\frac{(p_{x} - p_{x})(V_{x} - V_{y})}{V_{x} + V_{y}}}$
12 Answer: A
No. of moles of gas in X. $n_{x} = \frac{p_{x}V_{x}}{n_{x}}}$
No. of moles of gas in X, $n_{x} = \frac{p_{x}V_{x}}{n_{x}}}$
When the tap is opened, the gas from both flasks are mixed, but the total number of moles of
gas is unchanged and given by. $n = n_{x} + n_{y}$
Let p be the final pressure of the gas, and $V = (V_{x} + V_{y})$ be the total volume.

| $\frac{pV}{RT} = \frac{p_x V_x}{RT} + \frac{p_y V_y}{RT}$ |
|---|
| $pV = p_x V_x + p_y V_y$ |
| $p(V_x + V_y) = p_x V_x + p_y V_y$ |
| $p = \frac{p_x V_x + p_y V_y}{V_x + V_y}$ |

A school laboratory has dimensions 12 m by 10 m by 3 m. The laboratory contains air of molar 12 mass 0.029 kg, at an atmospheric pressure of 1.0 × 10⁵ N m⁻². The air has a density of 1.2 kg m⁻³. What is the root-mean-square speed of the gas molecules in the air? 410 m s⁻¹ 50000 m s⁻¹ 61000 m s⁻¹ В 500 m s⁻¹ С D Α L2 Answer: B $\frac{1}{2}mv_{r.m.s.}^{2} = \frac{3}{2}nRT = \frac{3}{2}pV$ $v_{\rm r.m.s.} = \sqrt{\frac{3p}{(m_V)}} = \sqrt{\frac{3p}{\rho}} = \sqrt{\frac{3(1.0 \times 10^5)}{1.2}} = 500 \text{ m s}^{-1}$ OR $p = \frac{1}{3} \frac{Nm}{V} v_{r.m.s.}^2 = \frac{1}{3} \rho v_{r.m.s.}^2$ $v_{r.m.s.} = \sqrt{\frac{3\rho}{\rho}} = \sqrt{\frac{3(1.0 \times 10^5)}{1.2}} = 500 \text{ m s}^{-1}$ A: Miss out 3/2 fraction -410 m s⁻¹ C: Miss out 3/2 fraction and wrongly use m = $0.029 \text{ kg} - 50\ 000 \text{ m s}^{-1}$ D: Wrongly use m = $0.029 \text{ kg} - 61 000 \text{ m s}^{-1}$ 13 A droplet of oil of mass 0.21 g is held in equilibrium between two horizontal parallel charged



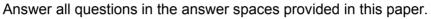


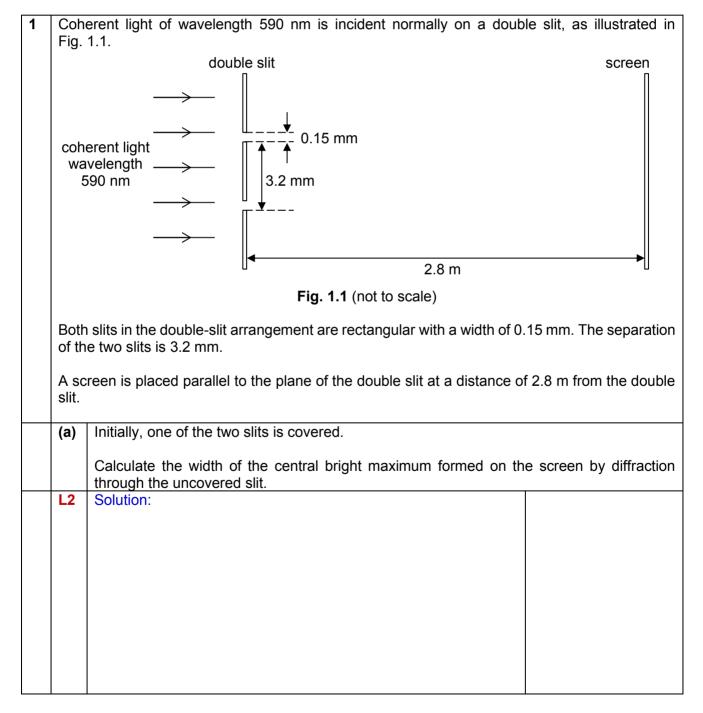


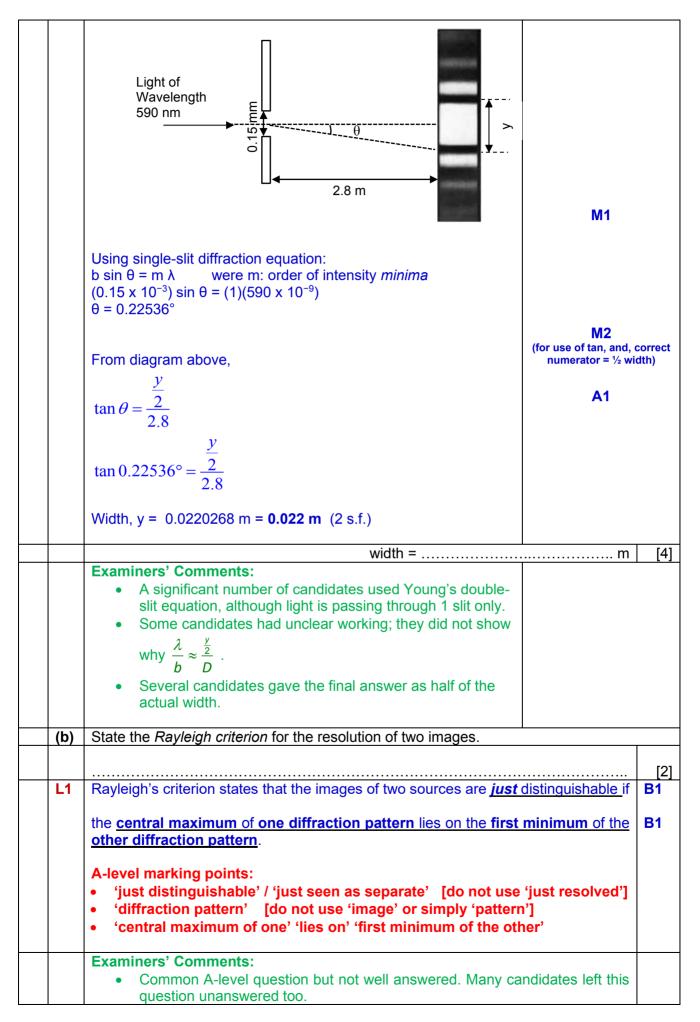
| Α | 0.32 m | В | 0.35 m | С | 0.36 m | D | 0.39 m |
|---|--------|---|--------|---|--------|---|--------|

| L2 | Answer: D |
|----|--|
| | $V_{PQ} = \frac{3.0}{3.0 + 0.25} \times 5.0 = 4.6154 \text{ V}$ |
| | $V_{\rm PJ} = \frac{\ell_{\rm PJ}}{\ell_{\rm PQ}} \times V_{\rm PQ}$ |
| | $1.5 = \frac{\ell_{PJ}}{1.2} \times 4.6154$ $\ell_{PJ} = 0.39 \text{ m}$ |
| | $\ell_{_{PJ}} = 0.39 \text{ m}$ |
| | A: Wrongly take length of PQ as $1m - 0.32 m$ B: Wrongly take V _{PJ} = (3/3.3)×1.5 V - 0.35 m C: Wrongly miss out internal resistance of A - 0.36 m |

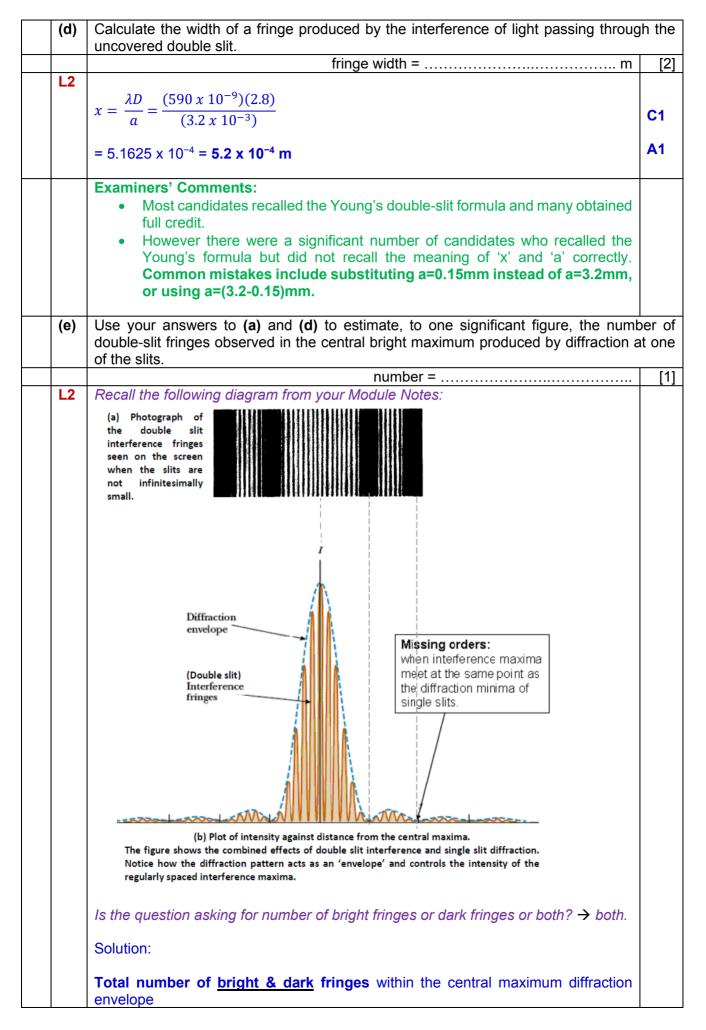
Section B





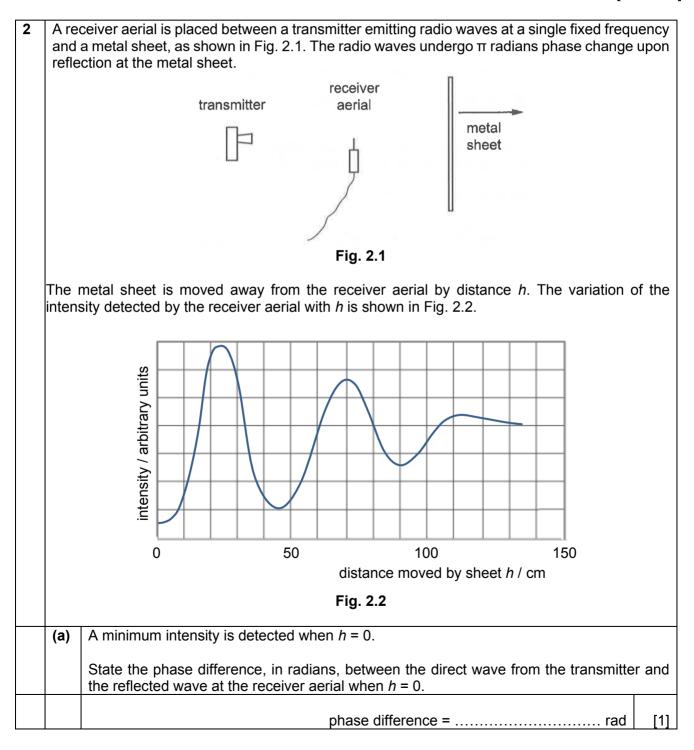


| | • Many candidates did not hit the A-level marking points highlighted in Red | | | | | | |
|-----|---|-----------|--|--|--|--|--|
| | above. | | | | | | |
| (c) | Both slits in the double slit are now uncovered. | | | | | | |
| | Use the Rayleigh criterion to explain whether the diffraction patterns produced by th slits are seen on the screen as being separate. | e two | | | | | |
| | | [3] | | | | | |
| L3 | To check if the 2 diffraction patterns due to the double slits are distinguishable using Rayleigh criterion, we need to know the separation between the central maxima of the 2 diffraction patternshow can we know this? → What information is given in the question & what have we derived in the earlier part(s)? Separation between the 2 central maxima equals to the separation of the double slits = 3.2 mm What is the distance between the central maximum of one & the first minimum of the other? → Draw out the 2 diffraction patterns as shown below to visualise. → distance equals HALF the width of the central maximum fringe found in (a) = y/2 = 0.0220268 m / 2 = 11.0 mm So are the 2 diffraction patterns distinguishable? → No, because 3.2 mm is smaller than 11.0 mm. The 2 diffraction patterns overlap to a large extent and hence not distinguishable. Mesolved Unresolved (Rayleigh criterion) Unresolved (Rayleigh criterion) (unresolved y/2) (y/2) (y/2) | [3] | | | | | |
| | Solution: Using (a), distance between the central maximum of one diffraction pattern | | | | | | |
| | and the first minimum of the other equals to $0.0220268 \text{ m} / 2 = 11.0 \text{ mm}.$ | B1 | | | | | |
| | The separation between the central maxima of the two slits' diffraction patterns in Fig. 1.1 is 3.2 mm. | | | | | | |
| | The separation of 3.2 mm is very much smaller than the separation of 11.0 mm required for the two diffraction patterns to be distinguishable by Rayleigh criterion. The two diffraction patterns overlap to too large an extent and will not be seen as being separate. | B1 | | | | | |
| | Examiners' Comments: This question is similar to A-level 2019 P3 Q8. Majority of the candidates found this question challenging. Many did not attempt the question too. Candidates need to make clear the significance of the slits separation (3.2mm) in relation to Rayleigh's Criterion, i.e. relate 3.2mm to the separation between the central maxima of the two diffraction patterns, not simply repeat that 3.2mm is the slits separation which is given in the question. | | | | | | |



| $= 0.0220268 / (5.1625 \times 10^{-4})$ = 42.6 = 40 (Round DOWN to 1 sig. fig.) Answer should be rounded DOWN not up. And should be expressed to 1 sig. fig. only. The following are not acceptable e.g. 42, 43, | B1 |
|---|----|
| Examiners' Comments: Many candidates obtained ECF for this part. However many also left this part blank or put in a random value as the answer without showing how it is derived from parts (a) and (b). | |

[[]Total: 12]

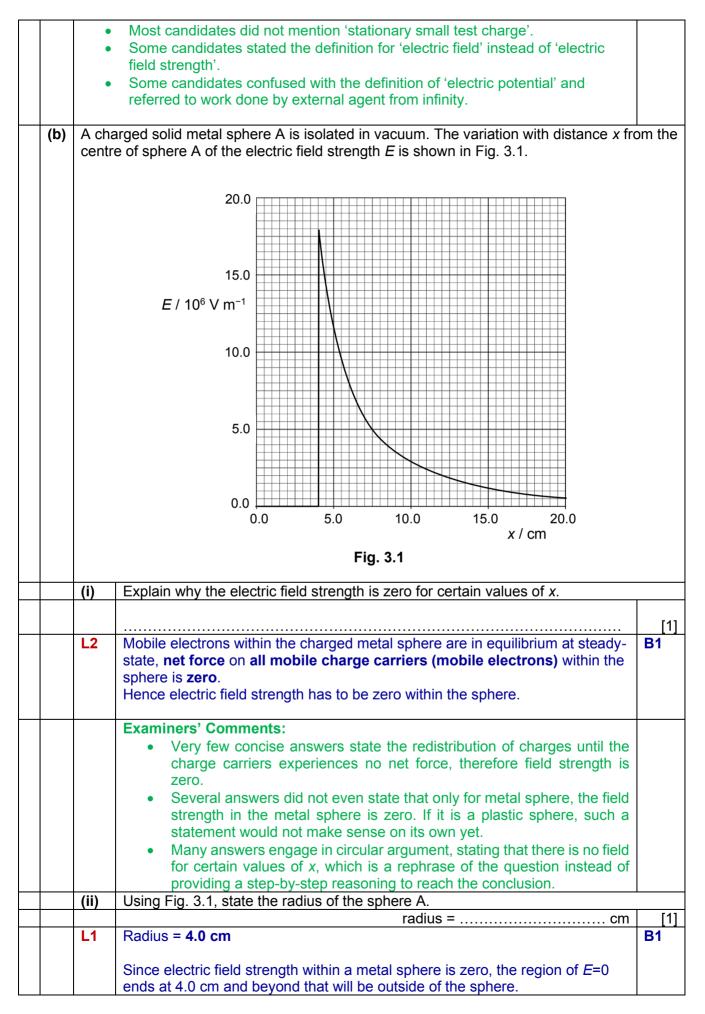


| <u> </u> | Examiners' Comments: | |
|----------|--|-----------|
| | Hence when the direct and the reflected waves superpose in antiphase, the resultant displacement is non-zero and is greater as h increases. | B1 |
| L2 | The reflected wave has a smaller amplitude than the wave directly from the transmitter. The difference in their amplitudes increases with <i>h</i> . | B1 |
| | | [2 |
| (c) | Explain why as <i>h</i> increases, the intensity of the minimum increases. | |
| | the two waves when they meet at the receiving aerial. | |
| | travels after undergoing the reflection from the metal sheet changes. As a result, the path difference varies and so does the phase difference between | |
| | the receiving aerial does not change, but the distance that the reflected wave | |
| | question phrasing. As h changes, the distance that the direct wave travels to | |
| | wave.Answer related to this question should be contextualized in terms of the | |
| | • Many candidates visualized the scenario as the formation of a stationary | |
| | Generally not well done. | |
| | Examiners' Comments: | |
| | It is to be taken note that the metal sheet is the one that is moving while the receiver is stationary. | |
| | No mark for the point that radio waves undergo π radians phase change upon reflection since it is given in the question. | |
| | B1 for correct values of path difference stated in each case. | |
| | B1 for stating that when the 2 waves arrive in phase they interfere constructively, and, when arrive in antiphase they interfere destructively. | |
| | B1 for relating h to path difference. | |
| | constructive interference, giving rise to an intensity maximum. | |
| | Whenever the path difference equals an <u>odd integer multiple of half a</u> <u>wavelength</u> , the two waves arrive <u>in phase</u> at the aerial and undergo | B1 |
| | destructive interference, giving rise to an intensity minimum. | |
| | Whenever the <u>path difference</u> equals <u>zero or an integer multiple of a</u> <u>wavelength</u> , the two waves arrive in <u>antiphase</u> at the aerial and undergo | B1 |
| | Since the radio waves undergo π radians phase change upon reflection, | |
| | and, an odd integer multiple of half a wavelength. | |
| | waves increases and alternates between an integer multiple of a wavelength, | |
| L2 | As <i>h</i> increases, the <u>path difference</u> between the direct and reflected radio | [B1 |
| | maximum and minimum. | |
| (b) | phase difference of π radians. Explain why as <i>h</i> increases, the intensity detected by the antenna alternates bet | twee |
| | • Candidates will need to note that for minimum intensity, destructive interference takes place and that the waves will meet at antiphase, with a | |
| | Generally not well done. Condidates will need to note that for minimum intensity destructive | |
| | Examiners' Comments: | |
| | π radians. | B1 |

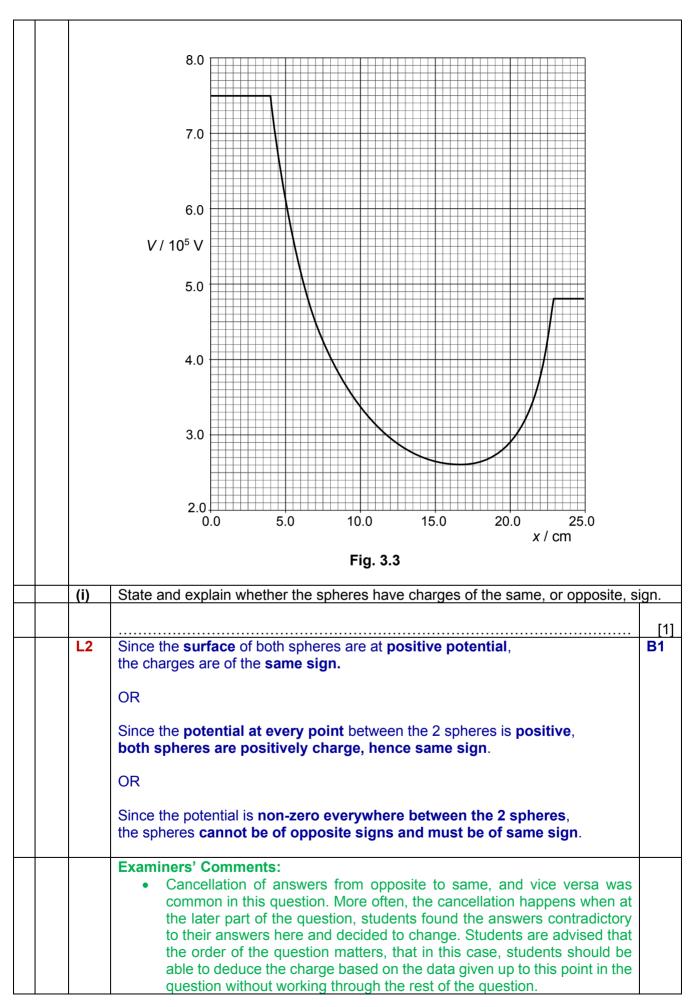
| | Generally not well done. Candidates to note the decrease in amplitude of waves as they travel further and further away from the source. As a result, when both waves undergo destructive interference, the resultant amplitude will be non-zero. | |
|-----|--|-------|
| | <i>Extension Question:</i> Explain why as <i>h</i> increases, the intensity of the maximum decreases. | |
| | Solution: While the amplitude of the wave directly from the transmitter remains constant, the amplitude of the reflected wave decreases as h increases. | |
| | Hence when the two waves superpose in phase, the resultant displacement decreases as h increases. | |
| (d) | Use Fig. 2.2 to estimate, to one significant figure in cm, the wavelength of the radio w | vave. |
| | wavelength =cm | [2] |
| L3 | Successive minima detected when path difference <u>changes by</u> one wavelength. Likewise, successive maxima detected when path difference <u>changes by</u> one wavelength. | |
| | λ = change in path difference when the plate moves a distance that results in successive minima/maxima detected = 2 x change in h | M1 |
| | Using successive minima when <i>h</i> = 0 and <i>h</i> = 45 cm, λ = 2 x change in h = 2 (45 cm) = <u>90 cm (Round off to 1 sig. fig.)</u> | A1 |
| | OR | |
| | A stationary wave is formed between the transmitter and the metal sheet. Maximum intensity detected indicates an antinode in the stationary wave at the aerial. Minimum intensity indicates a node. | |
| | Internodal distance is 45 cm. Wavelength λ = 2 x 45 cm = <u>90 cm (Round off to 1 sig. fig.)</u> | |
| | Examiners' Comments: | |
| | This question is similar to Alevel 2014 P1 Q22 and 2019 P1 Q18. | |
| | Generally not well done. | |
| | • Candidates to note that a change in path difference of one wavelength corresponds to a position experiencing minimum intensity twice, detecting one minimum intensity to a maximum and then back to a minimum. Therefore, visualizing how the reflected wave is travelling, this one | |
| | wavelength is equal to twice the distance moved by the metal sheet. | |

| [| I | 0 | ta | I: | 8 |
|---|---|---|----|----|---|
| | | | | | |

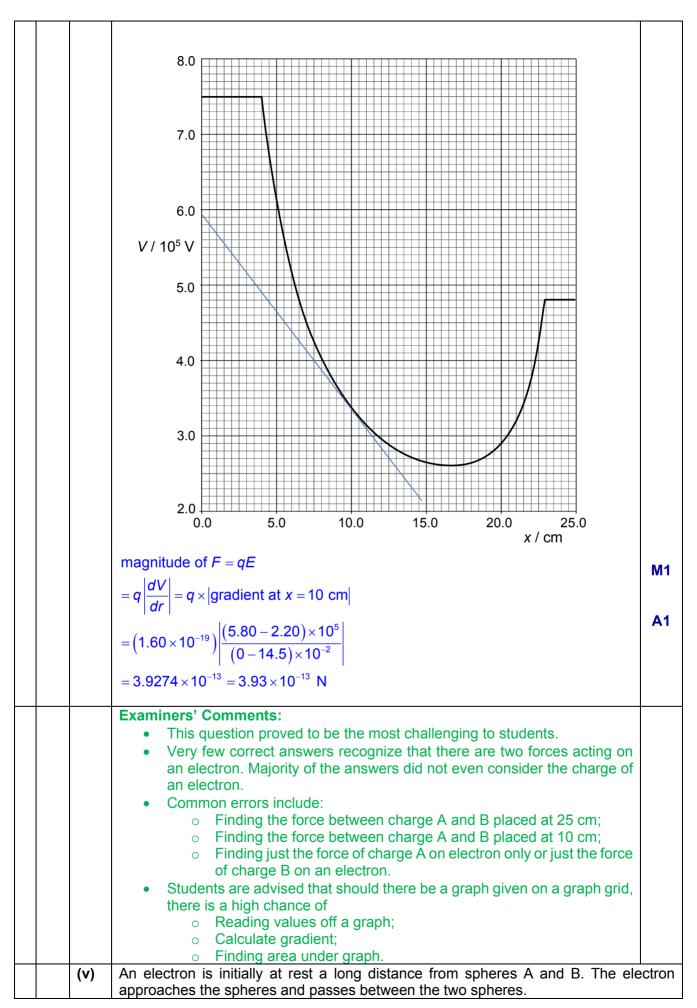
| 3 | (a) | Define electric field strength. | - |
|---|-----|---|-----|
| | | | [2] |
| | L1 | The electric field strength at a point in an electric field is the <u>electric</u> force <u>per</u> unit <u>positive</u> charge | B1 |
| | | acting on a stationary small test charge placed at that point. | B1 |
| | | Examiners' Comments: | |
| | | • Several candidates referred to electric force on a 'mass' or per unit 'mass'. | |
| | | Some candidates omitted per unit 'positive' charge. | |
| | | Some candidates stated 'on a charge' rather than 'per unit'. | |



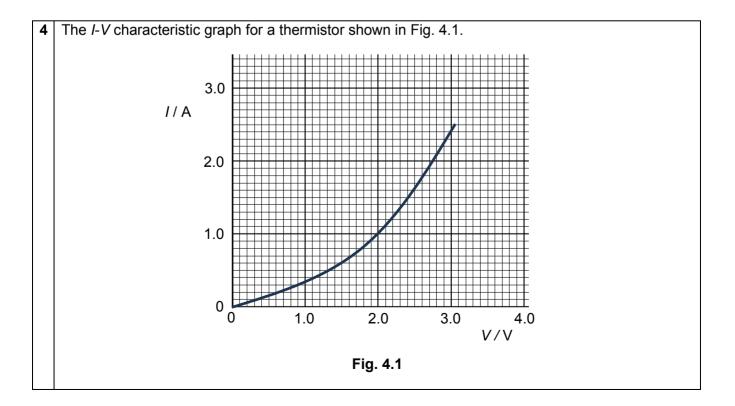
| | | Examiners' Comments: | |
|-----|-------|--|--------|
| | | Majority of the answers were acceptable. | |
| | (iii) | Using Fig. 3.1, determine the magnitude of the charge of sphere A. | |
| | | charge = C | [2] |
| | L2 | From the graph, at $x = 4.0$ cm, $E = 18.0 \times 10^6$ V m ⁻¹ | |
| | | $\boldsymbol{E} = \frac{\boldsymbol{Q}}{4\pi\varepsilon_0 r^2}$ | |
| | | $18.0 \times 10^{6} = \frac{Q_{A}}{4\pi \left(8.85 \times 10^{-12}\right) \left(0.040\right)^{2}}$ | M1 |
| | | $Q_A = 3.20 \times 10^{-6} C$ | A1 |
| (c) | | Examiners' Comments: Common errors include not squaring the separation or read off the graph as a V against r graph. Plenty of answers did not consider units in the graph, i.e. 10⁶ is often missing for the vertical axis and cm ignored in the horizontal axis. Per charged solid metal sphere B is placed with a centre-to-centre separation of sphere A as shown in Fig. 3.2. Both metal spheres are isolated in vacuum. sphere A Fig. 3.2 (not to scale) | 25 cm |
| | | P is a point on the line joining the centres of the two spheres. Point P is a distant the centre of sphere A. | ance x |
| | | variation with distance x from the centre of sphere A of the electric potential V spheres is shown in Fig. 3.3. | due to |



| | Less ideal answers merely describe the graphs but not the exact features that are confirmative of charges of the same sign, such as "there exist a null point"; "one charge potential is higher than the other"; the potential decreases then increases". Students are advised to be precise in their responses, for example, if we are to explain why an animal is a zebra, we do not just mention it has eyes, nose and ears, but to go straight to the point that it must have at least black and white stripes. | |
|-------|---|-------|
| (ii) | Using the charge of sphere A found in (b)(iii), determine the charge of sphere B. | |
| | charge = C | [2] |
| L2 | From the graph, at x = 4.0 cm, V = 7.5 × 10 ⁵ V $V = \frac{Q_{A}}{4\pi\varepsilon_{0}r_{A}} + \frac{Q_{B}}{4\pi\varepsilon_{0}r_{B}}$ $7.5 \times 10^{5} = \frac{3.20 \times 10^{-6}}{4\pi (8.85 \times 10^{-12})(0.040)} + \frac{Q_{B}}{4\pi (8.85 \times 10^{-12})(0.25 - 0.040)}$ | M1 |
| | $Q_B = 7.1595 \times 10^{-7} = 7.2 \times 10^{-7} C$ | A1 |
| | Examiners' Comments: | |
| | This question is badly done. | |
| | • Many answers did not realise that the graph in Fig. 3.3 is the resultant potential of both charge A and B, often missing a second term in the equation. | |
| | Concerning numbers of answers equated potential as equivalent to potential energy. | |
| | Some incorrect application stated that the potentials are the null point is equal, not realizing that for null point, it is the electric field strengths that are equal and opposite. | |
| (iii) | State and explain the direction of the electric field at point P, where $x = 10.0$ cm. | |
| | | |
| | | [2] |
| L2 | Since the electric field strength is equal to negative of the electric potential gradient, | M1 |
| | the negative potential gradient implies that the electric field strength acts in the direction away from sphere A (<i>or</i> towards sphere B). | A1 |
| | Examiners' Comments: | |
| | There were many guess works in this question, stating either towards A or towards B. Very field answers gave satisfactory explanation. As the data Fig. 3.3 is provided, there is no error carry forward. All answers must be based on the data provided but not based on own | |
| | incorrect interpretation of the question. The best answers consider the relationship, E = -dV/dr, stating that the | |
| | gradient is negative, this the E is positive, pointing towards B. Many answers beat around the bush, describing the trend in Fig. 3.3. without exact feature that determines the direction of the electric field strength. | |
| (iv) | Use Fig. 3.3 to determine the magnitude of the electric force on an electron place point P, where $x = 10.0$ cm. | ed at |
| | magnitude of electric force =N | [3] |
| L2 | From the graph, at $x = 10$ cm, determine the gradient (Mark for construction of tangent at $x = 10$ cm. Tangent drawn should be long enough and 2 coordinates chosen to calculate gradient should be far apart enough.) | B1 |
| | | |



| | | Calculate the minimum speed of the electron as it crosses the line joining the ce of the two spheres. | entres |
|--|------|---|------------------|
| | | speed = m s ⁻¹ | [2] |
| | L3 | At a long distance away, assume at infinite distance away, the potential will be zero. The minimum speed is achieved when the electron passes the point of minimum potential on the graph as the change in electric potential energy in the process would be the lowest. By conservation of energy, the electron loses electric potential energy and gains kinetic energy. | |
| | | Gain in kinetic energy = loss in electric potential energy $\frac{1}{2}mv^{2} - 0 = q(V_{\text{initial}} - V_{\text{final}})$ | |
| | | $\frac{1}{2} (9.11 \times 10^{-31}) v^2 = (-1.60 \times 10^{-19}) (0 - 2.60 \times 10^5)$ | M1 |
| | | $v = 3.02 \times 10^8 \text{ m s}^{-1}$ | A1 |
| | | Examiners' Comments: Generally not well done. Candidates to note the energies transformation of the electron as it gets attracted to the two positively charged spheres and make use of the conservation of energy to solve. | |
| | (vi) | Suggest why the answer in (c)(v) is not possible. | |
| | L3 | It exceeds the speed of light. | [1] B1 |
| | | Examiners' Comments: Generally not well done. The answer is dependent on what candidates wrote for part (v). | otal: 17 |



| | thermistor increases. | of th |
|-----|--|--------|
| | | |
| L2 | As the temperature of the thermistor increases, the number of free mobile charge carriers per unit volume increases, thus resistance decreases sharply. | |
| | Moreover, the amplitude of vibration of the atomic core increases, the resistance increases. | B |
| | The effect of more free mobile charge carriers decreasing the thermistor resistance is larger than the increase in resistance due to the atomic vibrations. Thus, overal resistance of the thermistor decreases. | |
| | Examiners' Comments: | |
| | Most students ended up describing how resistance is decreasing by looking at the curvature of the graph. Should be explaining why resistance drops instead Some students get 1 mark for mentioning increase in frequency of collision due to more vigorous vibration of ions. | |
| (b) | In an attempt to obtain the graph in Fig. 4.1 for the thermistor, a student set up a cir shown in Fig. 4.2. | |
| | | |
| | Fig. 4.2 | |
| | A cell of e.m.f. 3.5 V with negligible internal resistance is connected to the thermistor, a fixed resistor and a variable resistor. | a 1.5 |
| | When the variable resistor has a resistance value of $2R$, the thermistor has a resistance of R . The potential difference across the variable resistor is 2.0 V. | ə valı |
| | (i) Determine the value of <i>R</i> . | |
| L1 | $R = \dots \dots \Omega$ By the potential divider principle, | 2 [|
| | $\frac{2R}{2R+R+1.5} \times 3.5 = 2.0$ | М |
| | 3.5R = 3R + 1.5 0.5R = 1.5 $R = 3.0 \Omega$ | A |
| | | |
| | Examiners' Comments: A few students wrongly see this as a parallel circuit. Note that the idea | |

| use the total resistance when applying $V=IR$.(ii)Use Fig. 4.1 to determine the current passing through the thermistor.current =current =L2By the potential divider principle, the potential difference across the thermistor is, $\frac{3}{6.0+3.0+1.5} \times 3.5 = 1.0 V$ From Fig. 4.1, the current passing through the thermistor is 0.35 A. (by calculation, the theoretical answer = 0.33 A)Examiners' Comments: • Note that this question says: "Use Fig. 4.1" so you are forced to use this method.• While there are some error carried forward, full marks couldn't be award since the method used was wrong to start with.• Note that the values from the graph should be read to the nearest 1/2 smallest square on the graph. In this case, to the nearest 0.05 A. Hence, it is not acceptable for some students to read 0.34A or 0.33A from the graph.(iii)The variable resistor has a resistance between zero to 10 Ω .Explain, using appropriate calculations, why the circuit shown in Fig. 4.2 is inappropriat for determining the graph of Fig. 4.1.L3The thermistor is in series with the fixed resistor, the variable resistor and the cell. The resistance of the variable resistor of 10 Ω is not high enough, resulting in not achieving low p.d. across thermistor as shown in Fig. 4.1. | | | resistor would have to be $3.5 - 0.6 - 0.3 = 2.6$ V. The resistance required would be $2.6 / 0.2 = 13 \Omega$ which is larger than the maximum resistance of 10 Ω . Marks scheme: | 51 |
|---|----|-------|--|-----------|
| use the total resistance when applying V=IR. (ii) Use Fig. 4.1 to determine the current passing through the thermistor. | L3 | | The resistance of the variable resistor of 10 Ω is not high enough, resulting in not achieving low p.d. across thermistor as shown in Fig. 4.1. | B1 B1 |
| use the total resistance when applying V=IR. (ii) Use Fig. 4.1 to determine the current passing through the thermistor. current = | | (iii) | Explain, using appropriate calculations, why the circuit shown in Fig. 4.2 is inappropriate for determining the graph of Fig. 4.1. | priate |
| use the total resistance when applying V=IR.(ii)Use Fig. 4.1 to determine the current passing through the thermistor.current =AL2By the potential divider principle, the potential difference across the thermistor is, $\frac{3}{6.0+3.0+1.5} \times 3.5 = 1.0 \text{ V}$ From Fig. 4.1, the current passing through the thermistor is $\underline{0.35 \text{ A}}$.M(by calculation, the theoretical answer = 0.33 A) | | | Note that this question says: "Use Fig. 4.1" so you are forced to use this method. While there are some error carried forward, full marks couldn't be award since the method used was wrong to start with. Note that the values from the graph should be read to the nearest ½ smallest square on the graph. In this case, to the nearest 0.05 A. Hence, it is not acceptable for some students to read 0.34A or 0.33A from the graph. | <u>A1</u> |
| 2.0V as the potential difference (p.d.) of thermistor. | L2 | (ii) | • Some students tried to calculate the total current in the circuit but didn't use the total resistance when applying $V=IR$. Use Fig. 4.1 to determine the current passing through the thermistor. $current = \dots A$ By the potential divider principle, the potential difference across the thermistor is, $\frac{3}{6.0+3.0+1.5} \times 3.5 = 1.0 \text{ V}$ From Fig. 4.1, the current passing through the thermistor is <u>0.35 A</u> . | [2] M1 |

| 5 | (a) | A battery of e.m.f. <i>E</i> and internal resistance <i>r</i> is connected to a load of variable resistance <i>R</i> as shown in Fig. 5.1. | | | | | |
|---|-----|--|--|----------|--|--|--|
| | | battery | | | | | |
| | | (i) | Fig. 5.1 Derive an expression for the power <i>P</i> dissipated in the load resistor in terms of <i>E</i> , | r and | | | |
| | | • • | R | | | | |
| | L2 | | The current flowing in the circuit is, | [2] | | | |
| | | | $I = \frac{E}{R+r}$ Since electrical power dissipated in load with resistance <i>R</i> , $P = I^{2}R$ $P = \left(\frac{E}{R+r}\right)^{2}R$ $P = \frac{E^{2}R}{R+r^{2}}$ | C1 A1 | | | |
| | | | Examiners' Comments: Many candidates merely stated the expression without any logical deduction or explanation of their workings. Some candidates were unable to derive the correct expression for the current flowing in the circuit. A few candidates stated the final expression for the power <i>P</i> dissipated in the load resistor in terms of various incorrect and undefined physical quantities. | | | | |
| | | (ii) | On Fig. 5.2, sketch the variation of the power <i>P</i> dissipated in the load with resistant of the load resistor. At the maximum of the curve, label the axes with approximation expressions. | | | | |

P 0 R Fig. 5.2 [3] L2 Solution: F E^2 4r 0 r R 1 mark – general shape of graph (starts at 0 and have only one maximum) **B1** 1 mark – Labeling *r* at the horizontal axis for maximum power **B1** 1 mark – Correct expression $E^2/4r$ for maximum power **B1 Examiners' Comments:** Many candidates did not show correct understanding of the concept of • the maximum power theorem and left this part of the question un-attempted. Some candidates sketched graphs of random shapes and did not obtain • much credit for this part of the question. A group of candidates did not attempt to label the axes with the appropriate expressions. A battery has an e.m.f. 12.0 V and internal resistance 0.500 Ω . It is connected to a parallel (b) arrangement of four lamps, as shown in Fig. 5.3.

| | | battery $12.0 V$ X X X | |
|----|--------|---|-------|
| | | Fig. 5.3 | |
| | Each | lamp has a constant resistance of 30.0 Ω . | |
| | For th | ne circuit as shown in Fig. 5.3, calculate | |
| | (i) | the terminal potential difference of the battery, | |
| L2 | | terminal potential difference =V The effective resistance R_{eff} of the four identical lamps each of 30.0 Ω: | [2] |
| | | $R_{eff} = \frac{30.0}{4} = 7.50 \ \Omega$ By Potential Divider Principle, the p.d. across the four lamps which is also equal to the terminal p.d. of the battery is given by: | |
| | | $V = \frac{R_{eff}}{R_{eff} + r} \times E = \frac{7.50}{7.50 + 0.500} \times 12.0$ | M1 |
| | | V = 11.25 = 11.3 V (3 s.f.) | A1 |
| | | Examiners' Comments: Many candidates did not understand the terminology 'terminal potential difference of the battery' correctly. Thus, they attempted to calculate the potential difference across the internal resistance of the battery instead. Some candidates were unable to calculate the effective resistance of the four lamps in parallel correctly. A small number of candidates wrongly assumed the potential difference across the four resistors as 12 V, which was the e.m.f. of the battery. | |
| | (ii) | the total power dissipated in the four lamps, | [0] |
| L1 | | power =W | [2] |
| | | $P = \frac{V^2}{R} = \frac{11.25^2}{7.50}$ | M1 |
| | | P = 16.875 = 16.9 W (3 s.f.) | A1 |
| | | Examiners' Comments: Many candidates did not realize that the potential difference across each resistor was the same as they were arranged in parallel with each other. Some candidates attempted to calculate the total power dissipated in the battery with reference to the e.m.f. of the battery of 12 V and total resistance of 8.00 Ω in the circuit. Some candidates attempted to find the current flow through each resistor by assuming it to be the same value as the current flow through the battery itself. | |
| | (iii) | the efficiency, assuming that the total power dissipated in the lamps are useful p | ower. |
| | 1 | 1 | |

| | efficiency =% | [2] |
|-----|--|-----------|
| L2 | The efficiency, $\eta = \frac{P_{load}}{P_{battery}} \times 100\% = \frac{16.875}{12.0^2} \times 100\%$ | M1 |
| | 0.500 + 7.50 $\eta = 93.75\% = 93.8\%$ (3 s.f.) | A1 |
| | Examiners' Comments: Many candidates obtained full credit for this part of the question as they were able to deduce the correct expression. Some candidates were unable to calculate the power dissipated by the battery correctly as they substituted wrong values of resistance in their workings. A few candidates expressed their final answers for efficiency as a ratio instead of as percentage efficiency. | |
| (c) | A student thinks that the brightness of the lamps in (b) would be increased by connectinadditional resistor in the circuit, placed so as to extract the maximum power from the based of the | |
| | The additional resistor may be placed as shown in Fig. 5.4(a) or in Fig. 5.4(b). | |
| | battery $12.0 V$ X X X | |
| | Fig. 5.4(a) | |
| | battery $\begin{bmatrix} 12.0 \ V \\ 0.500 \ \Omega \end{bmatrix}$ \bigotimes \bigotimes \bigotimes \bigotimes | |
| | Fig. 5.4(b) | |
| | State and explain which of the two circuits, shown in Fig. 5.4(a) or Fig. 5.4(b), shoul additional resistor be connected so as to extract the maximum power from the battery. | d the |
| L3 | The circuit in <u>Fig. 5.4(b) should be used</u> . | [3] A1 |
| | The maximum power dissipated at the load happens when the effective resistance of the load is equal to the internal resistance of the battery. | |
| | | M1 |

| As the effective resistance of the lamps before placing the additional resistor of $\underline{7.50 \ \Omega}$ is higher than the internal resistance of $0.500 \ \Omega$, a decrease in the external resistance is required. | M1 |
|--|----|
| Only when the additional resistor is placed <u>parallel</u> to the lamps, can the total resistance of the load decrease from 7.50 Ω to 0.500 Ω . | |
| Marks scheme: M1 marks must be attained for A1 mark to be awarded. | |
| Examiners' Comments: Most students managed to correct state that connecting the additional resistor in parallel to the lamps in Fig. 5.4(b) results in a lower resistance. However, most students ended up using P=IV=I²R=V²/R to explain but failed to notice that in every form, the variables have opposing changes (eg. <i>R</i> decreases but <i>I</i> increases. Hence we cannot use this to conclude. Students need to read up on "maximum power theorem". | |
| Extension Question: If the question is changed from "to extract maximum power from the battery" to "to increase the efficiency of energy transfer from the battery to the load (additional resistor and lamps inclusive)", what would the answer be? Answer: The circuit in Fig. 5(a) should be used instead. When the additional resistor is connected as in Fig. 5(a), the total circuit resistance increases and the total current through the battery decreases, hence the power dissipated in the internal resistance of the battery decreases while the terminal p.d. across the battery increases. This increases the total power dissipated in the external load and hence increases the efficiency of energy transfer from the battery to the load (additional resistor and lamps inclusive). | |

[Total: 14]

End of Paper